Gravitational signatures of unstable particles in cosmology

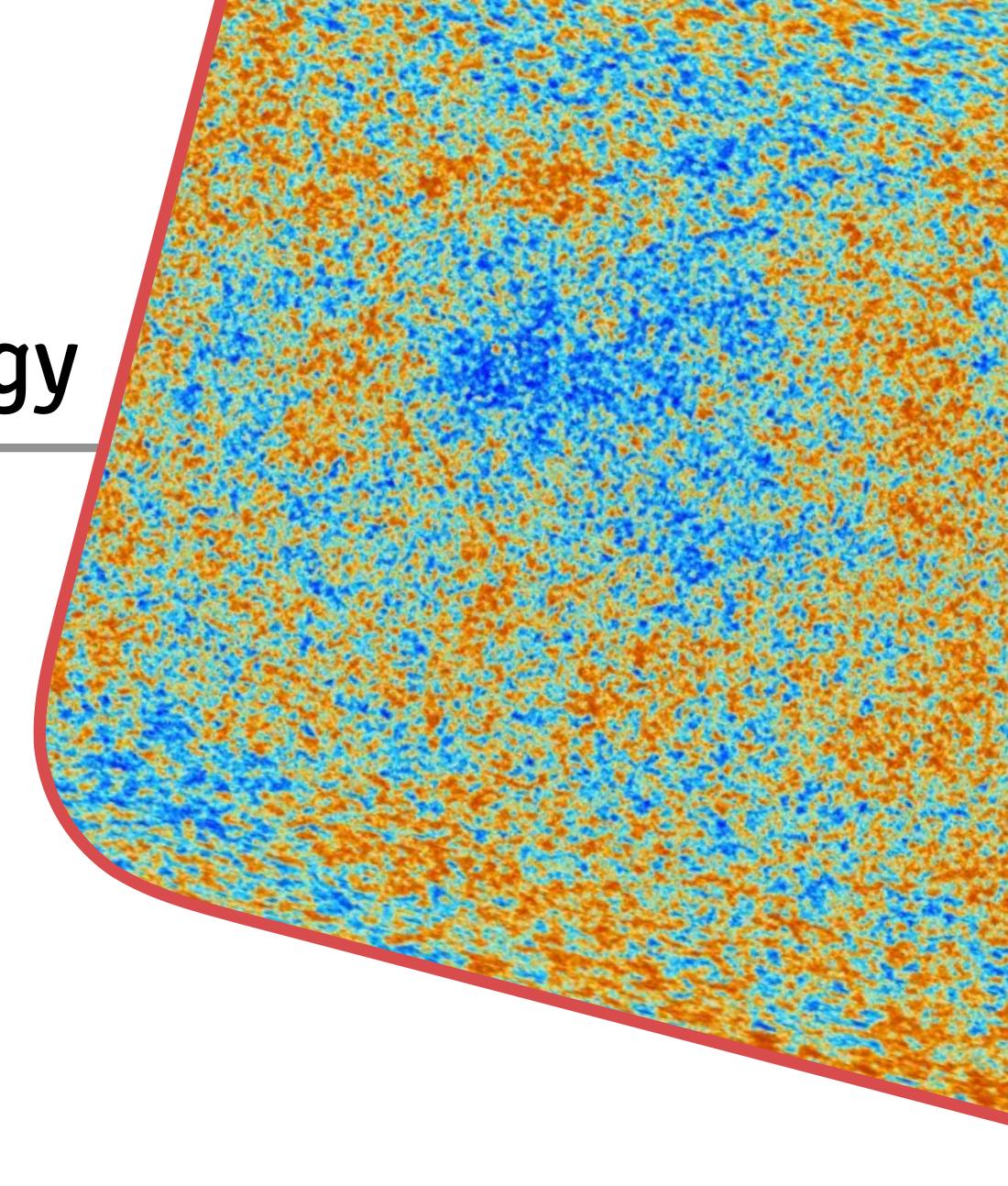
Guillermo Franco Abellán

Laboratoire Univers et Particules de Montpellier

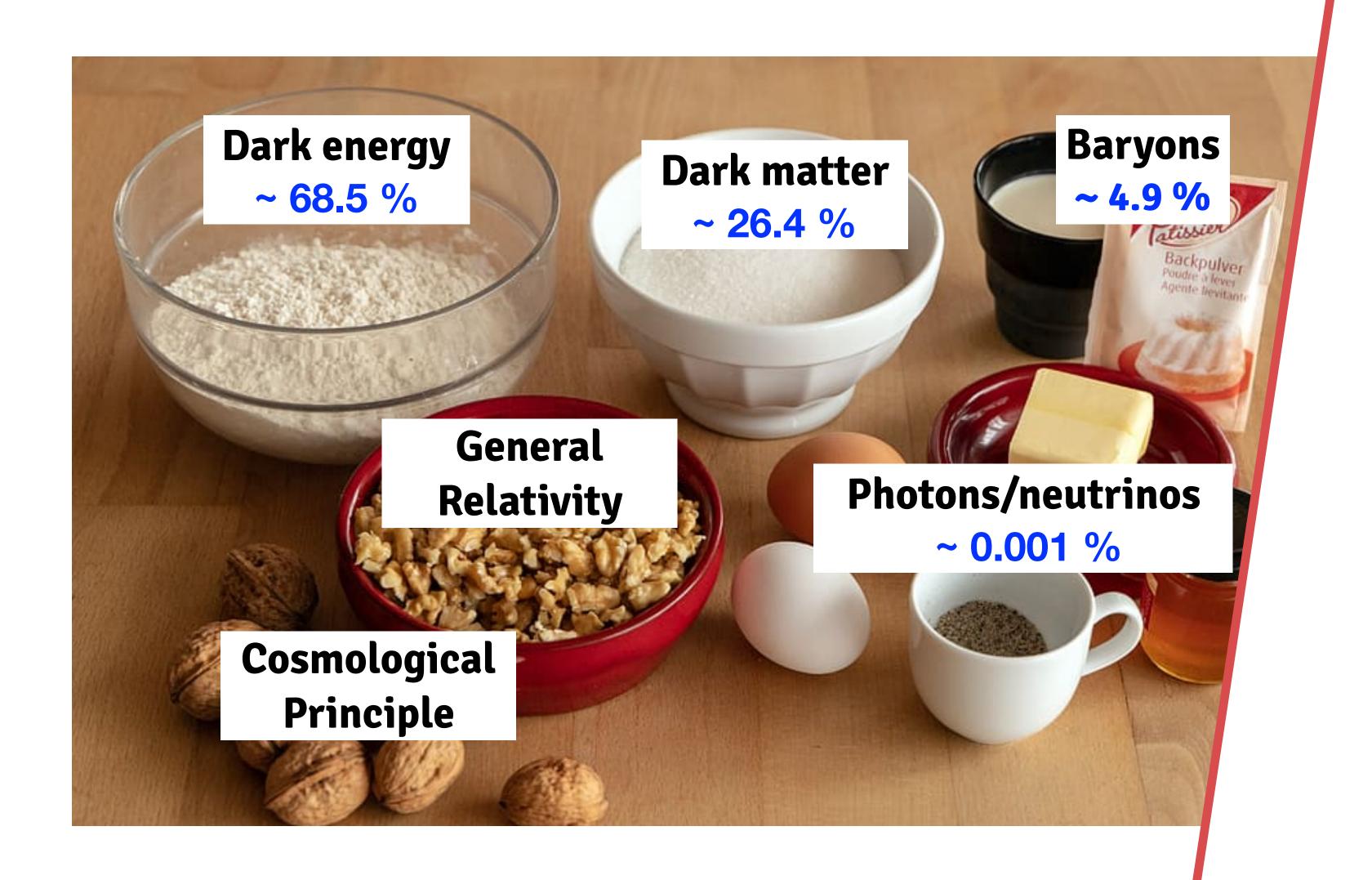








Concordance / CDM model of cosmology:

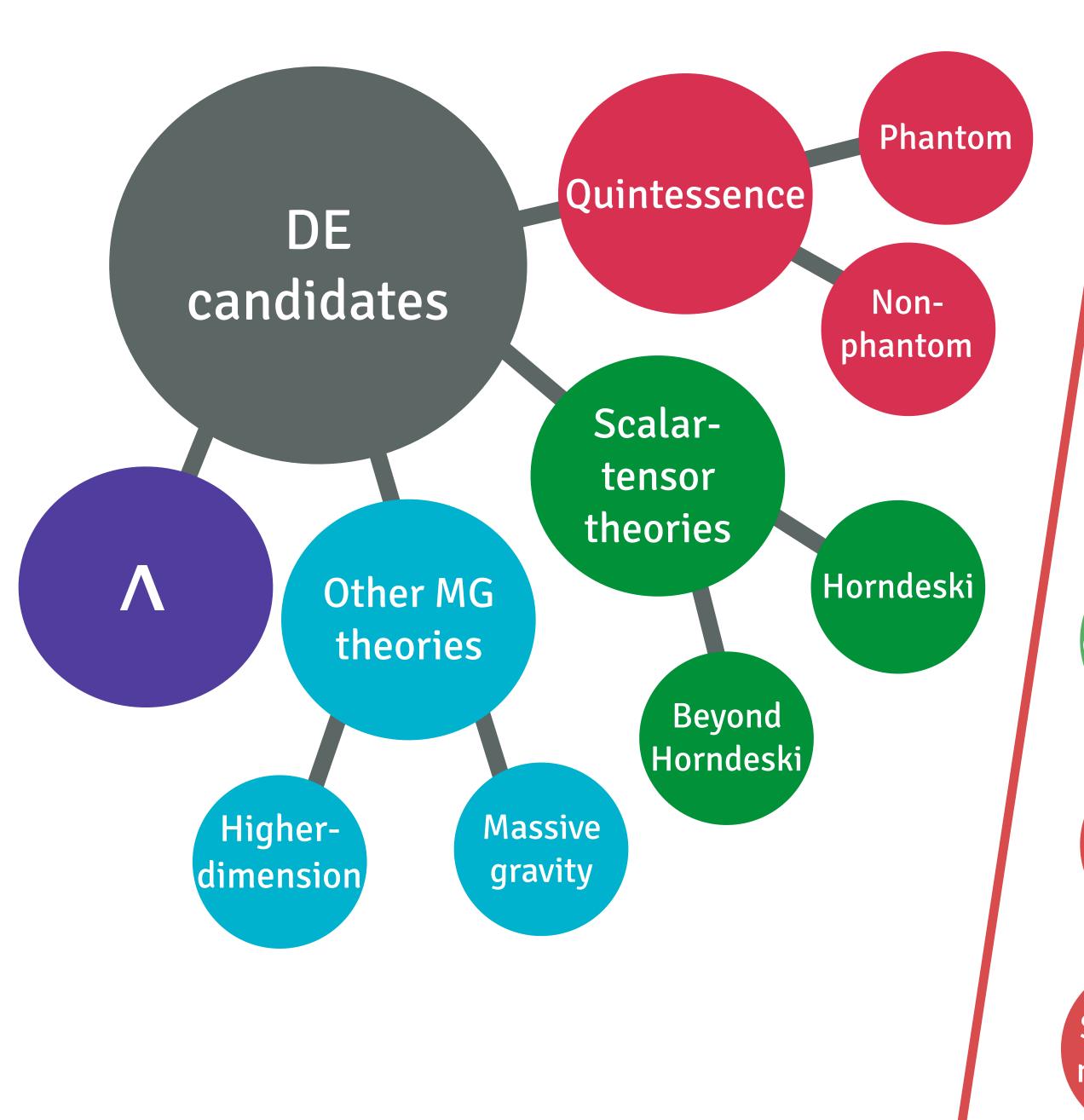


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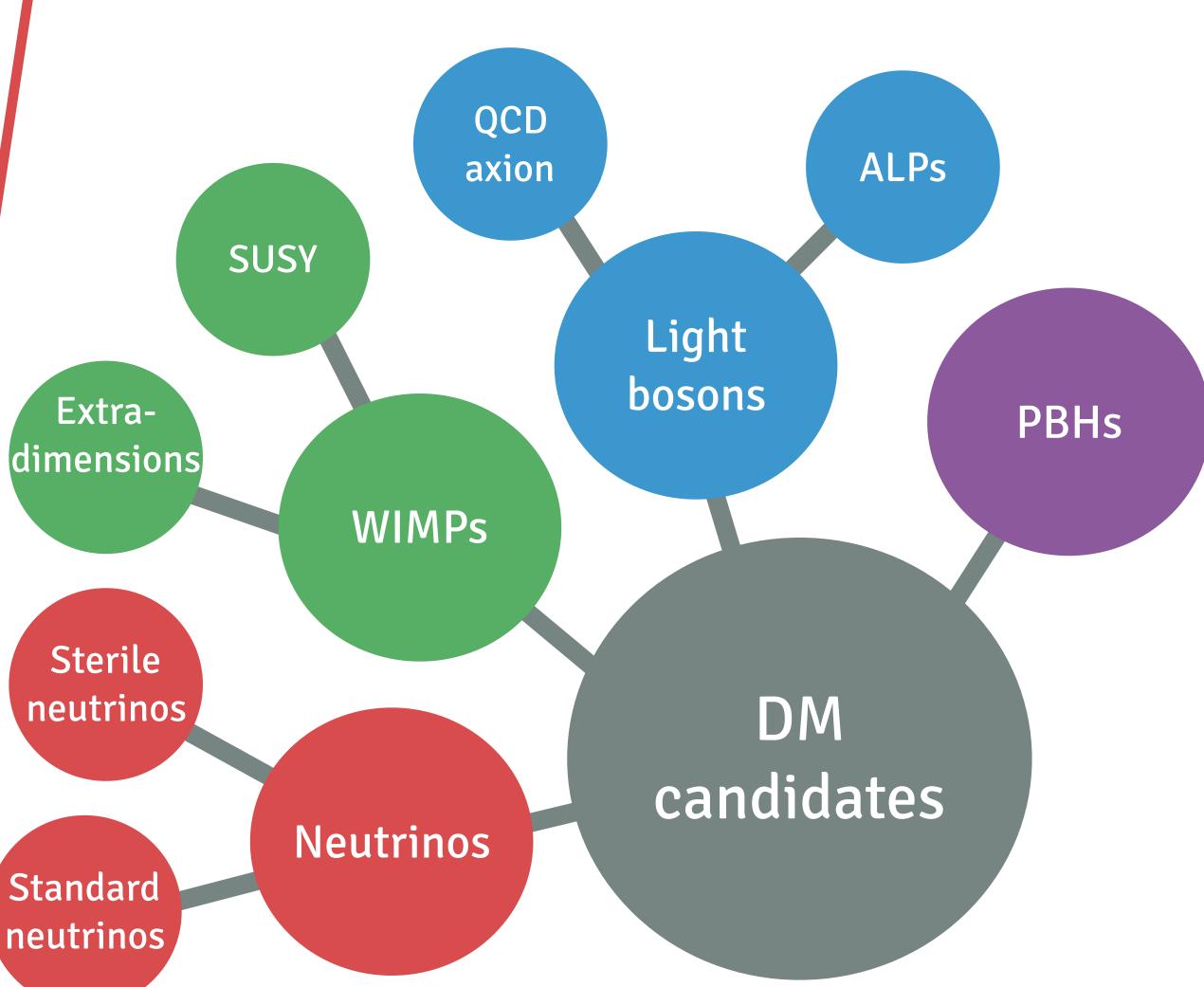


Only 6 free parameters:

$$\omega_{\rm c}$$
 $\omega_{\rm b}$ H_0
 A_s n_s $\tau_{\rm reio}$



However, the nature of the dark sector remains a mystery



In addition, several discrepancies have emerged in recent years

 H_0 tension (5 σ)

[Riess+ 21] [Planck 18]

 S_8 tension (2-3 σ)

[KiDS 20] [DES 21] [Planck 18]

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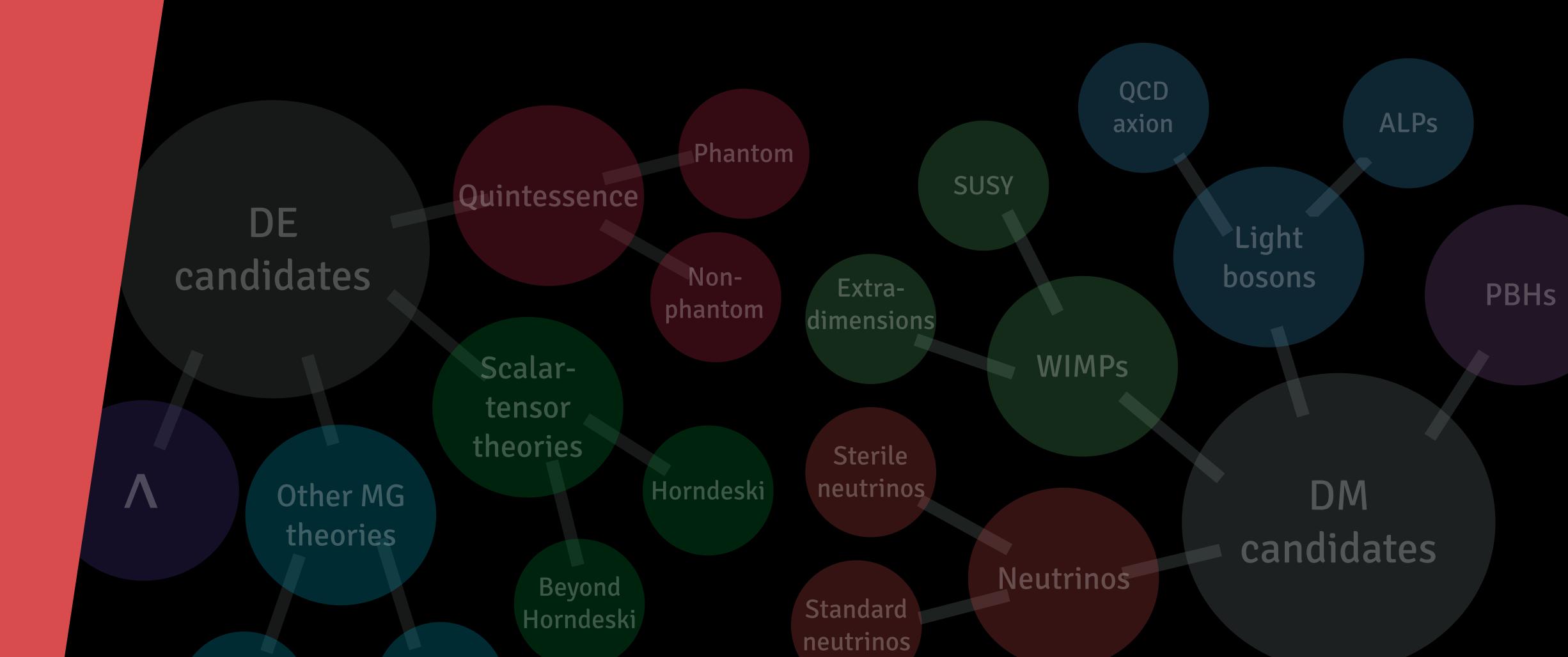
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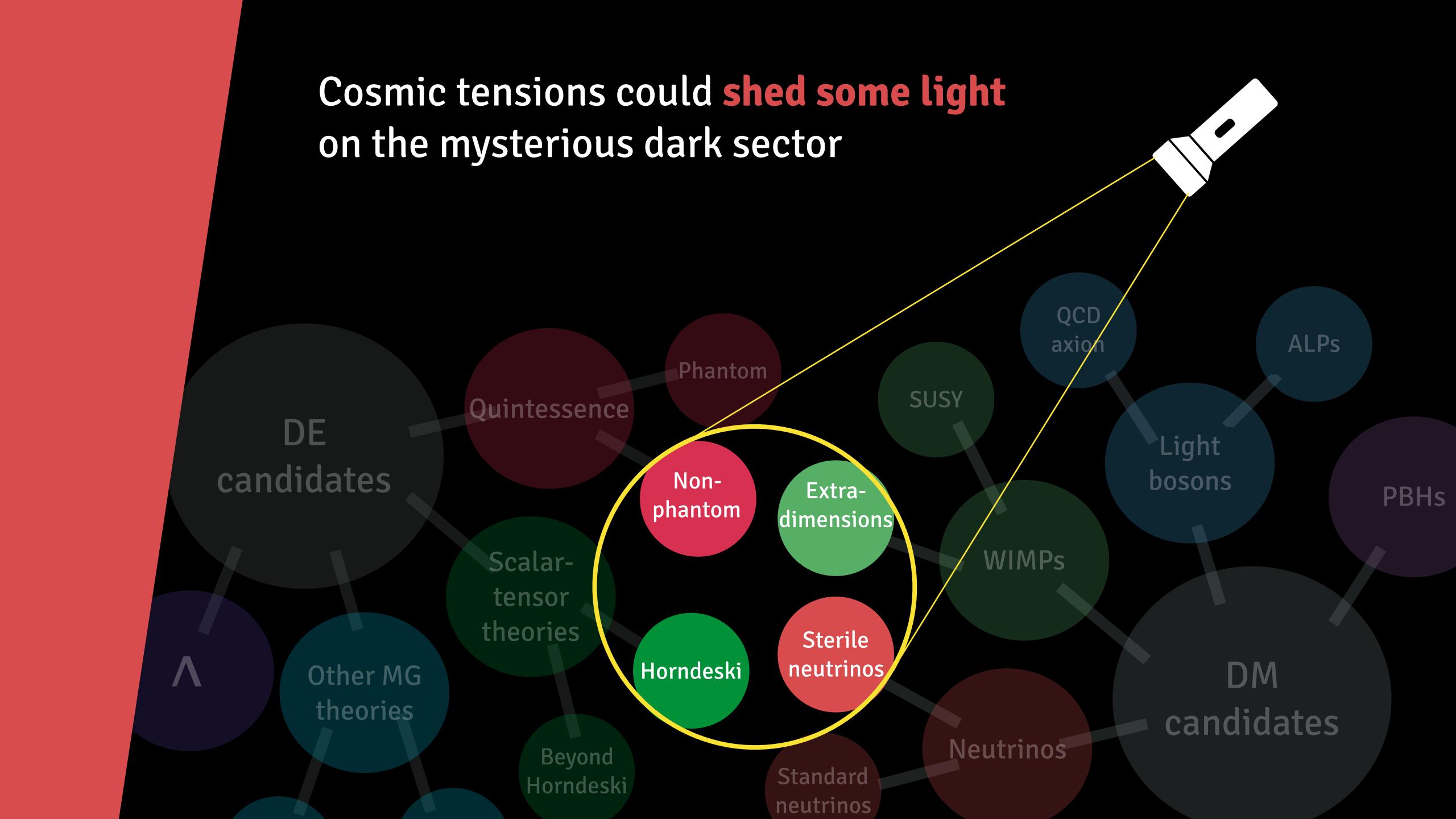
[KiDS 20] [DES 21] [Planck 18]

Systematics?

New physics?

Cosmic tensions could shed some light on the mysterious dark sector



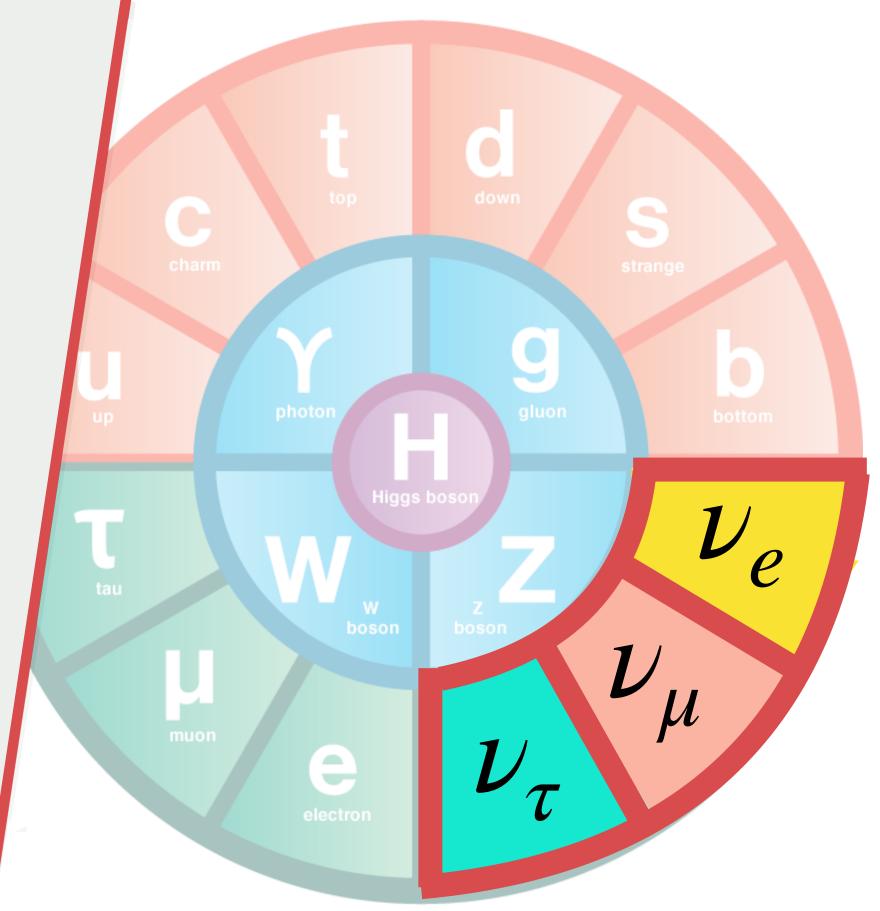


But the visible sector is not free of unknowns...

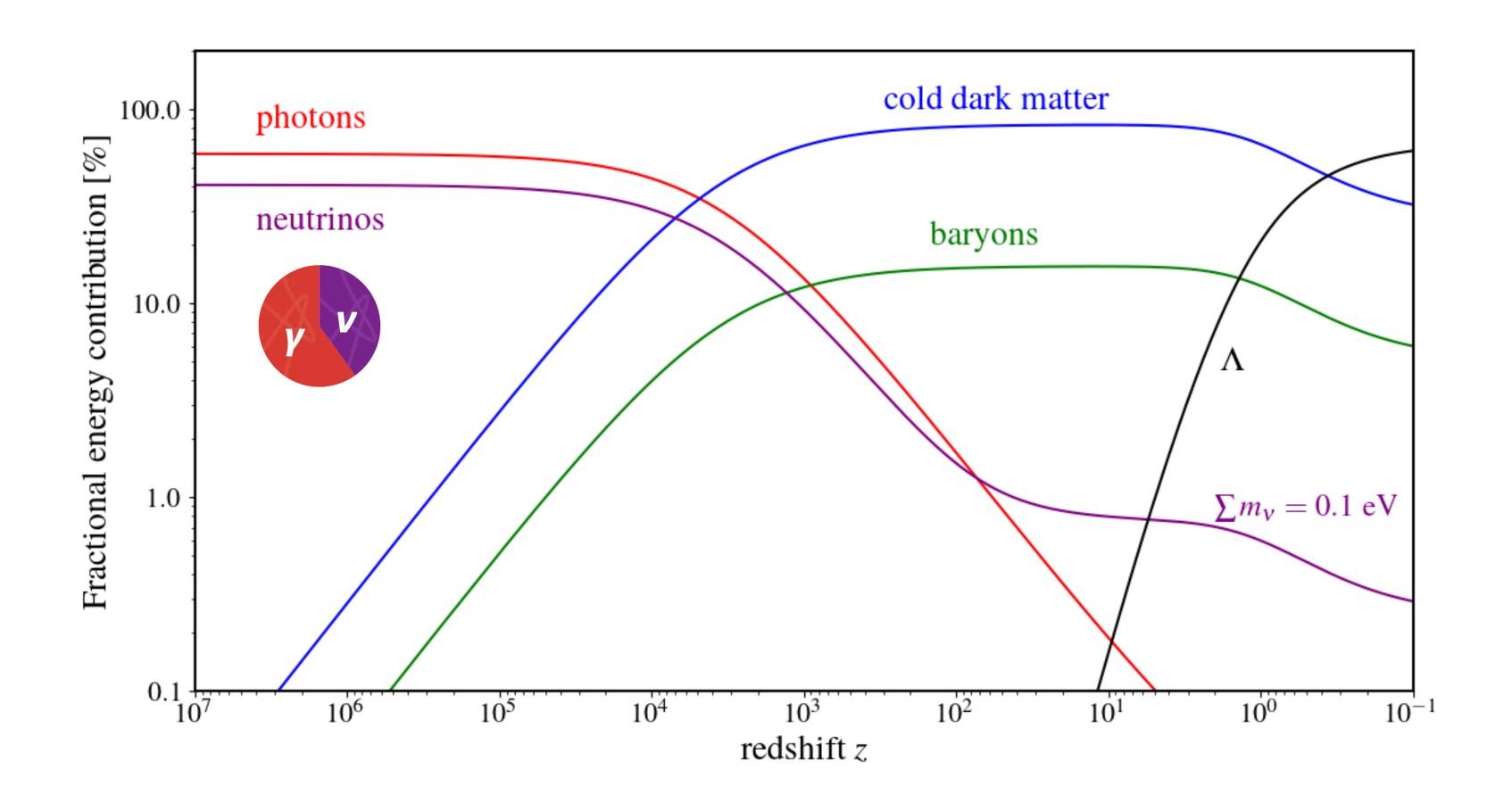
The elusive neutrinos

- Lightest fermions, very weakly-coupled
- Many properties unknown

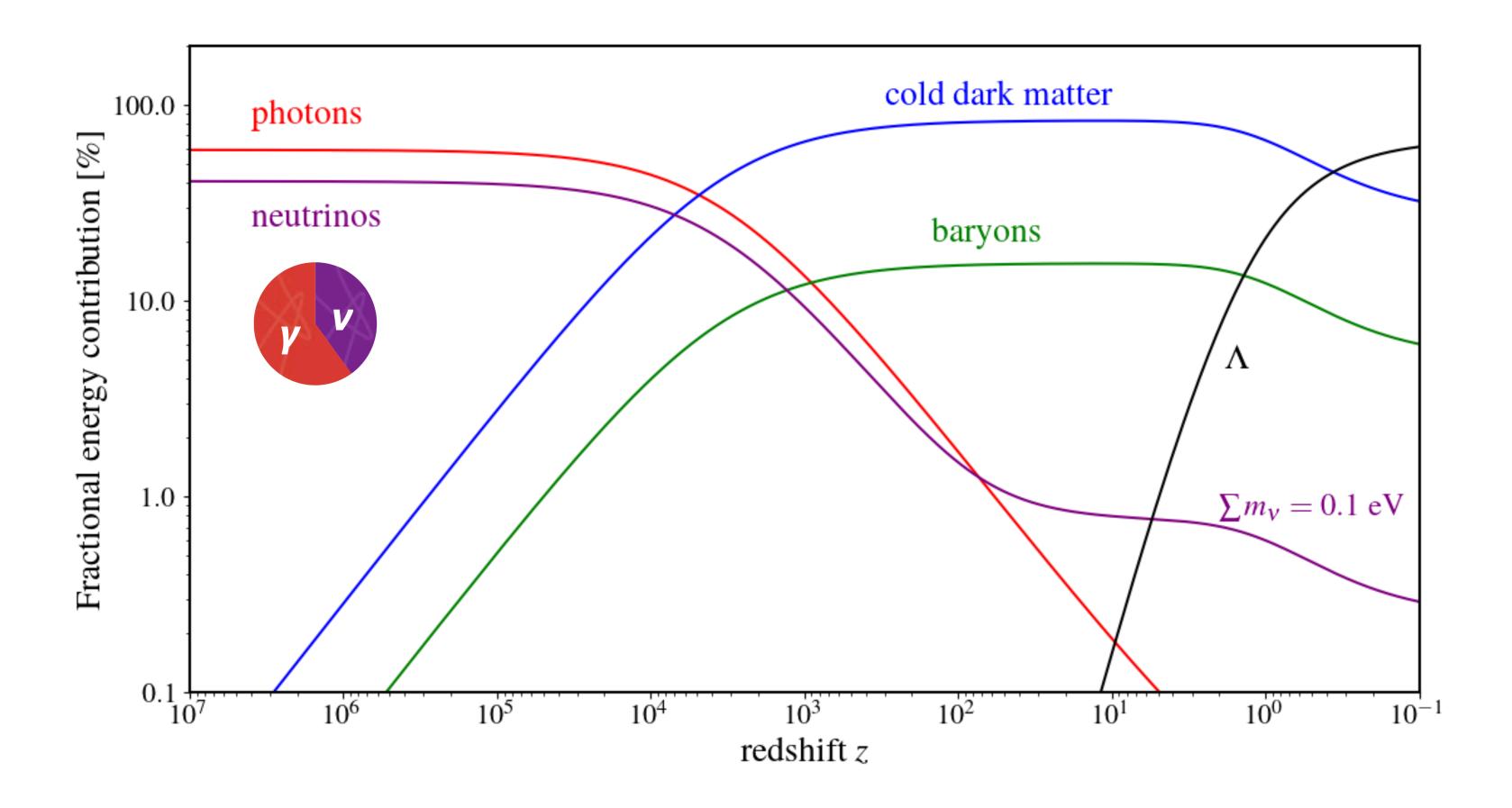
Neutrino masses provide the only certain evidence of physics beyond the SM



Neutrinos are always relevant for Universe's energy budget



Neutrinos are always relevant for Universe's energy budget



From their impact on CMB and LSS observables, we can learn about their properties

Main GOAL of my work:

Use the very precise cosmological data to constrain new physics (both in dark and neutrino sector), focusing on unstable relics

Part I:

THE H₀ OLYMPICS

A FAIR RANKING OF

PROPOSED MODELS

Part II:

DECAYING
DARK MATTER
& THE S₈ TENSION

Part III:

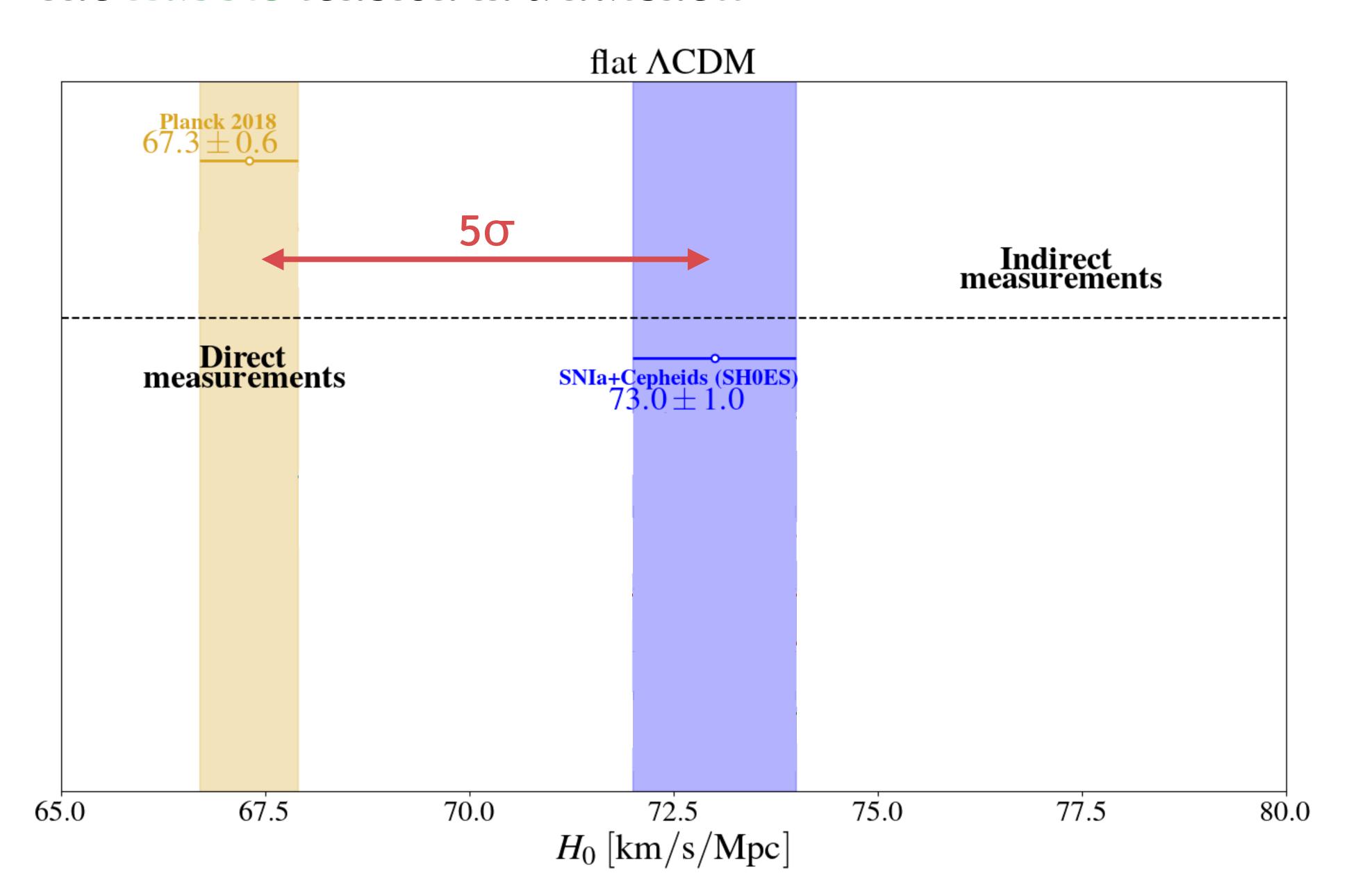
DECAYING
NEUTRINOS
& THE NEUTRINO
MASS BOUNDS

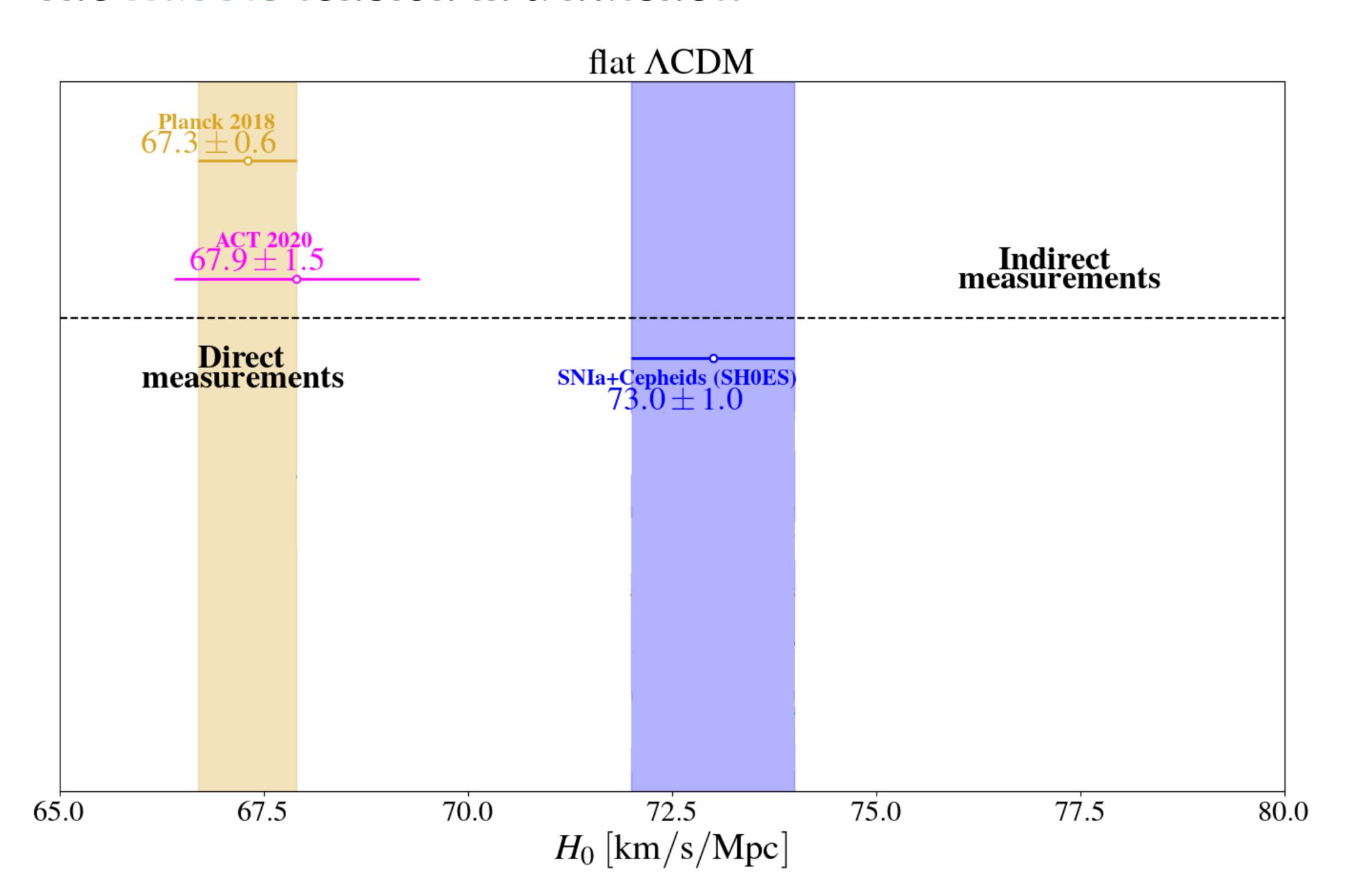
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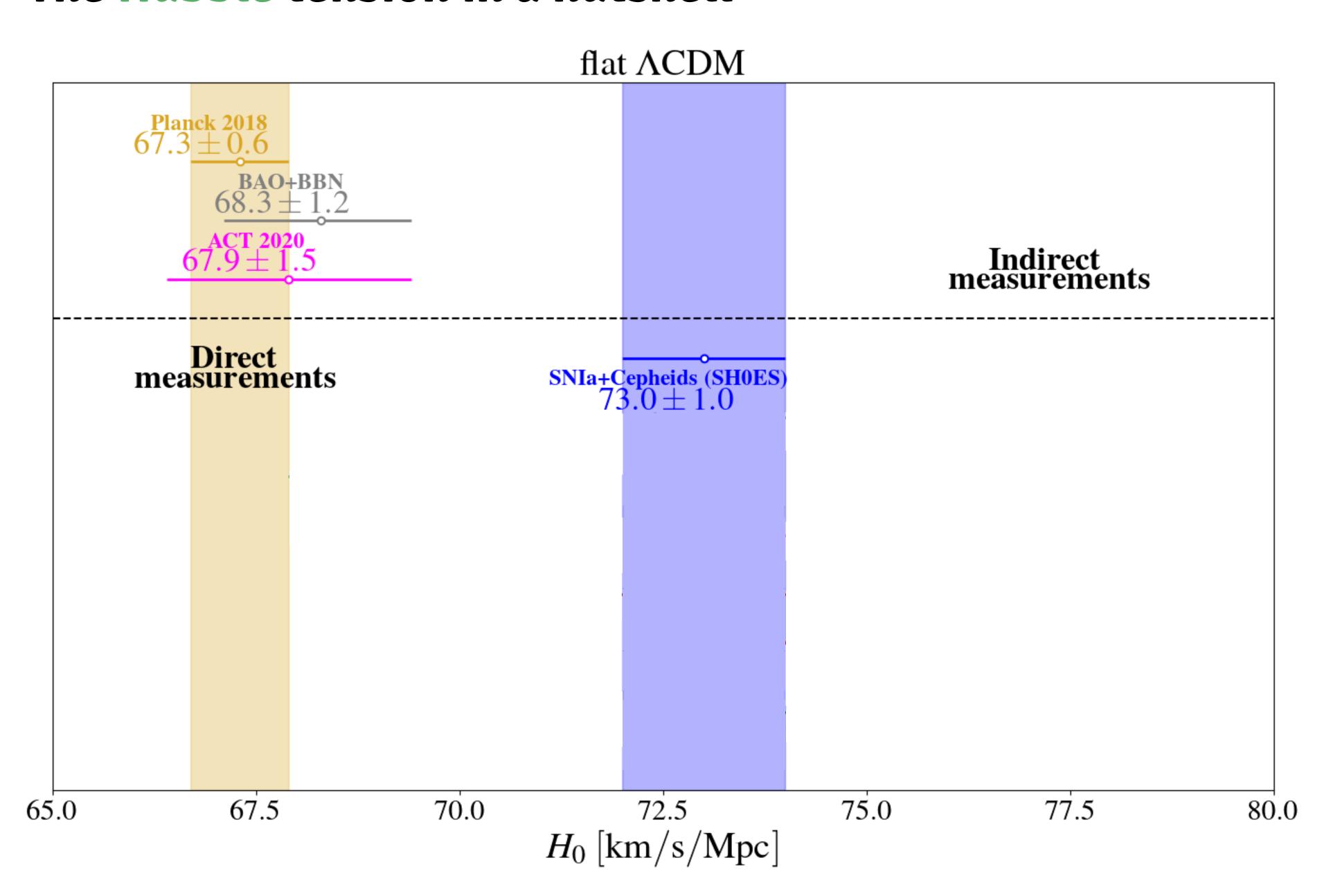
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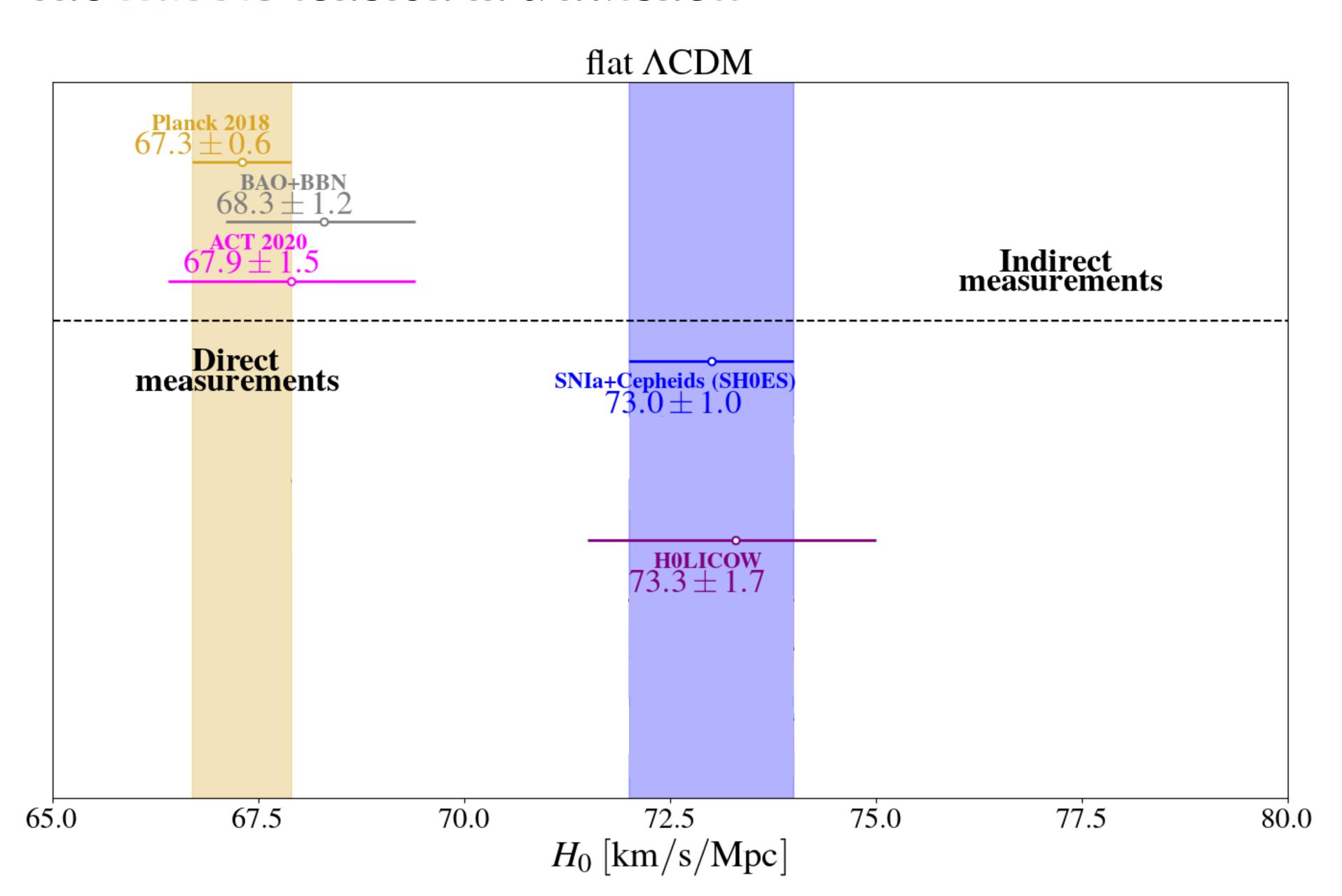
[Schöneberg, GFA, Sánchez, Witte, Poulin, Lesgourgues 2021 arXiv:2107.10291]

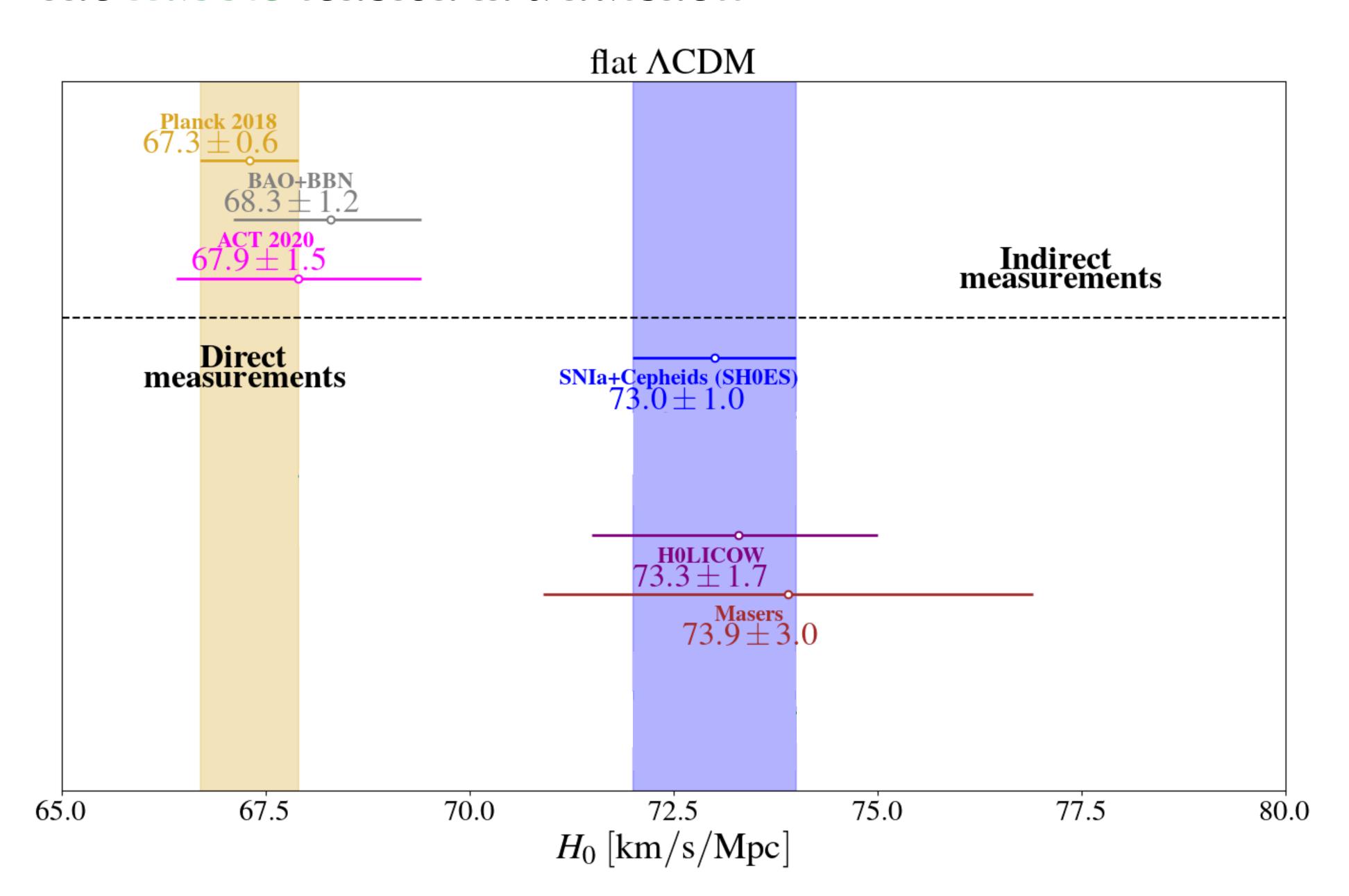


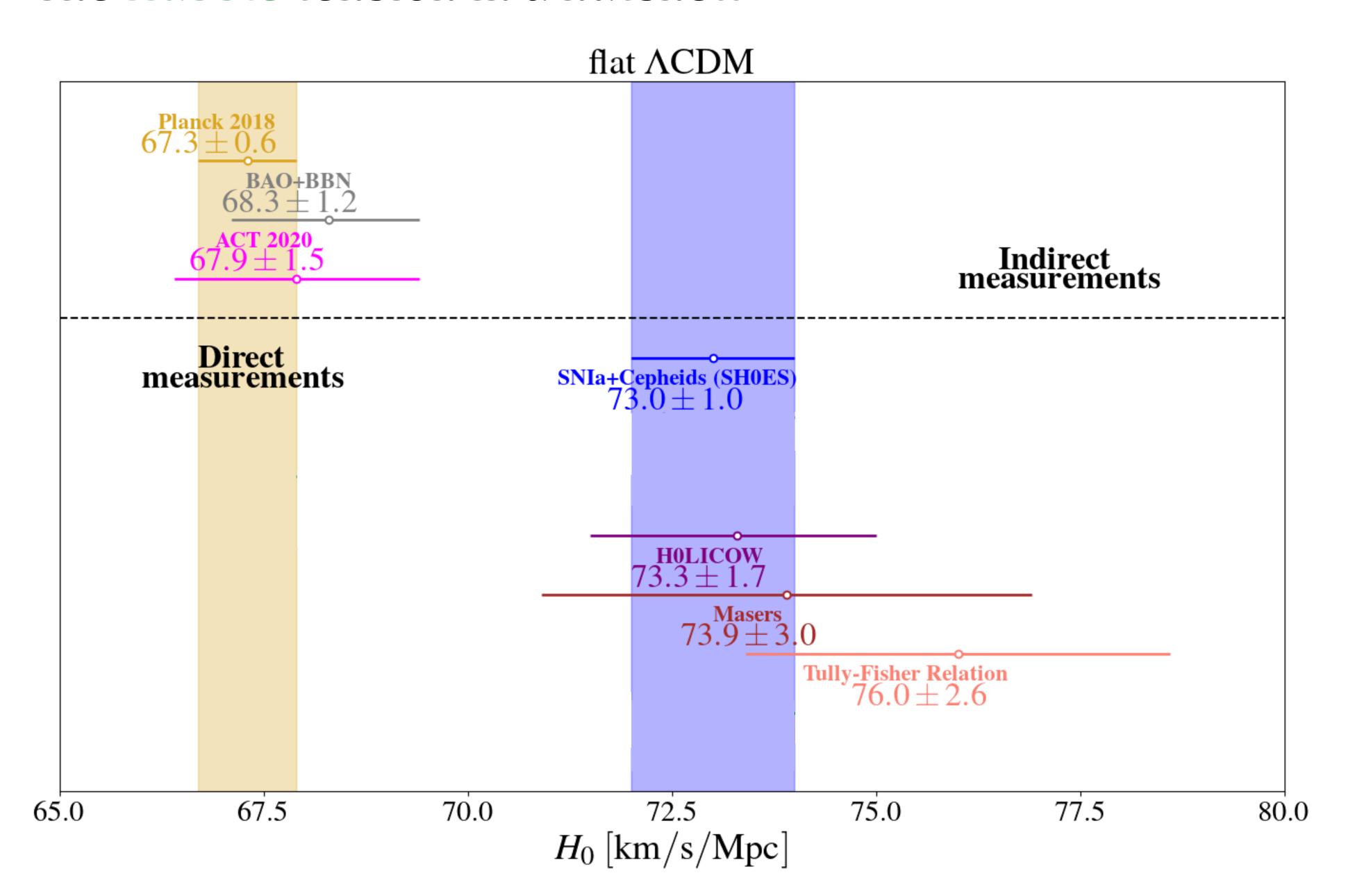


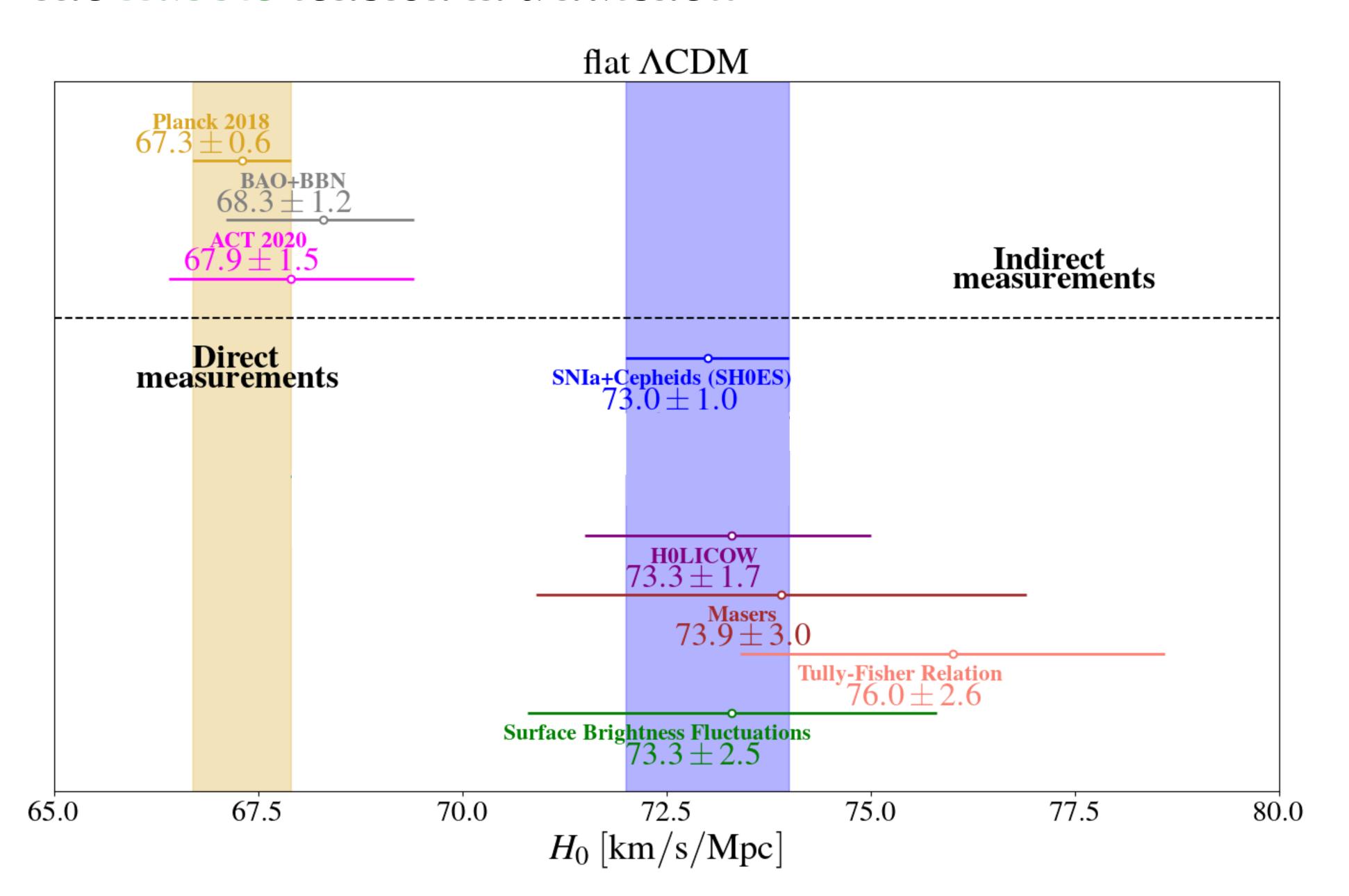


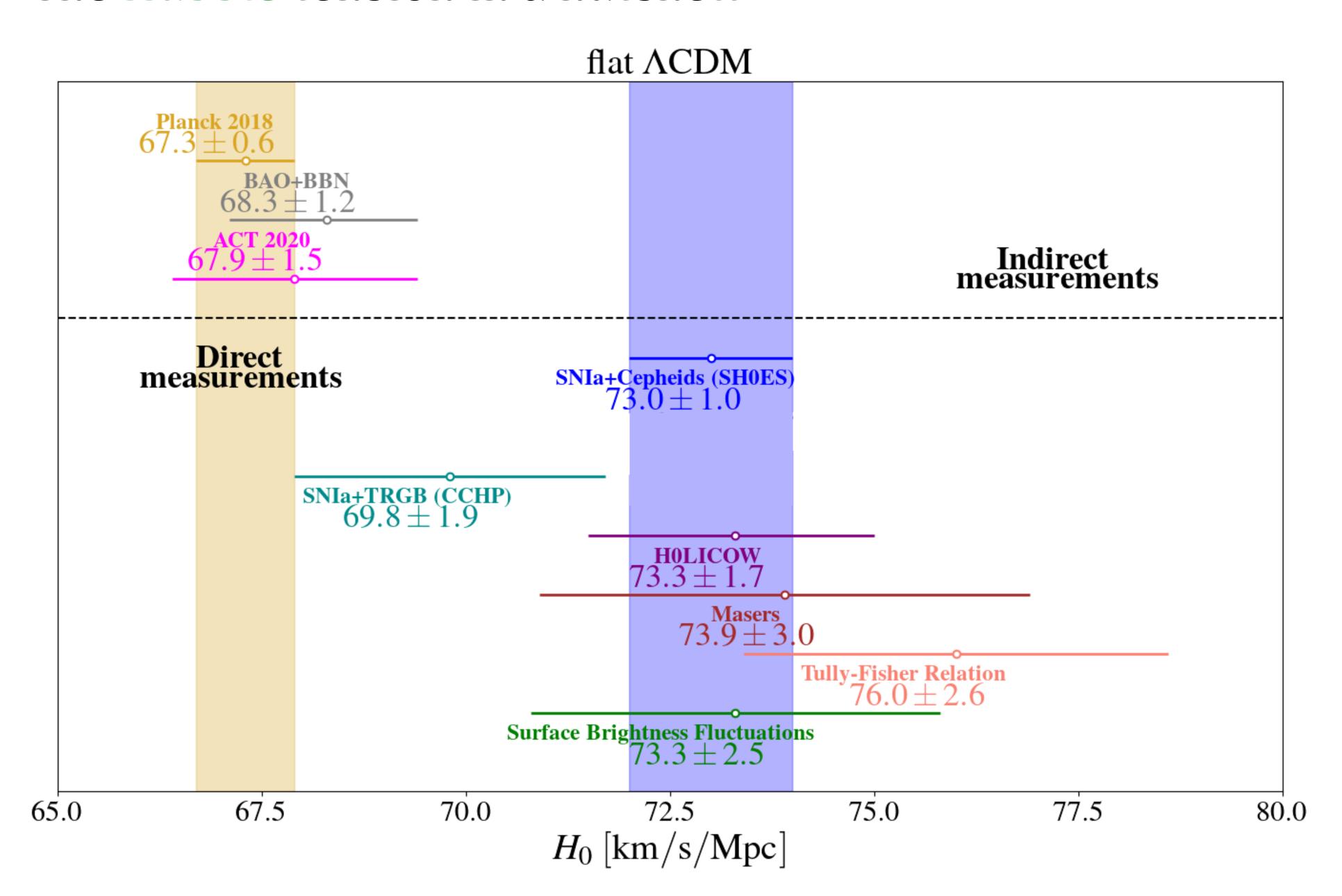


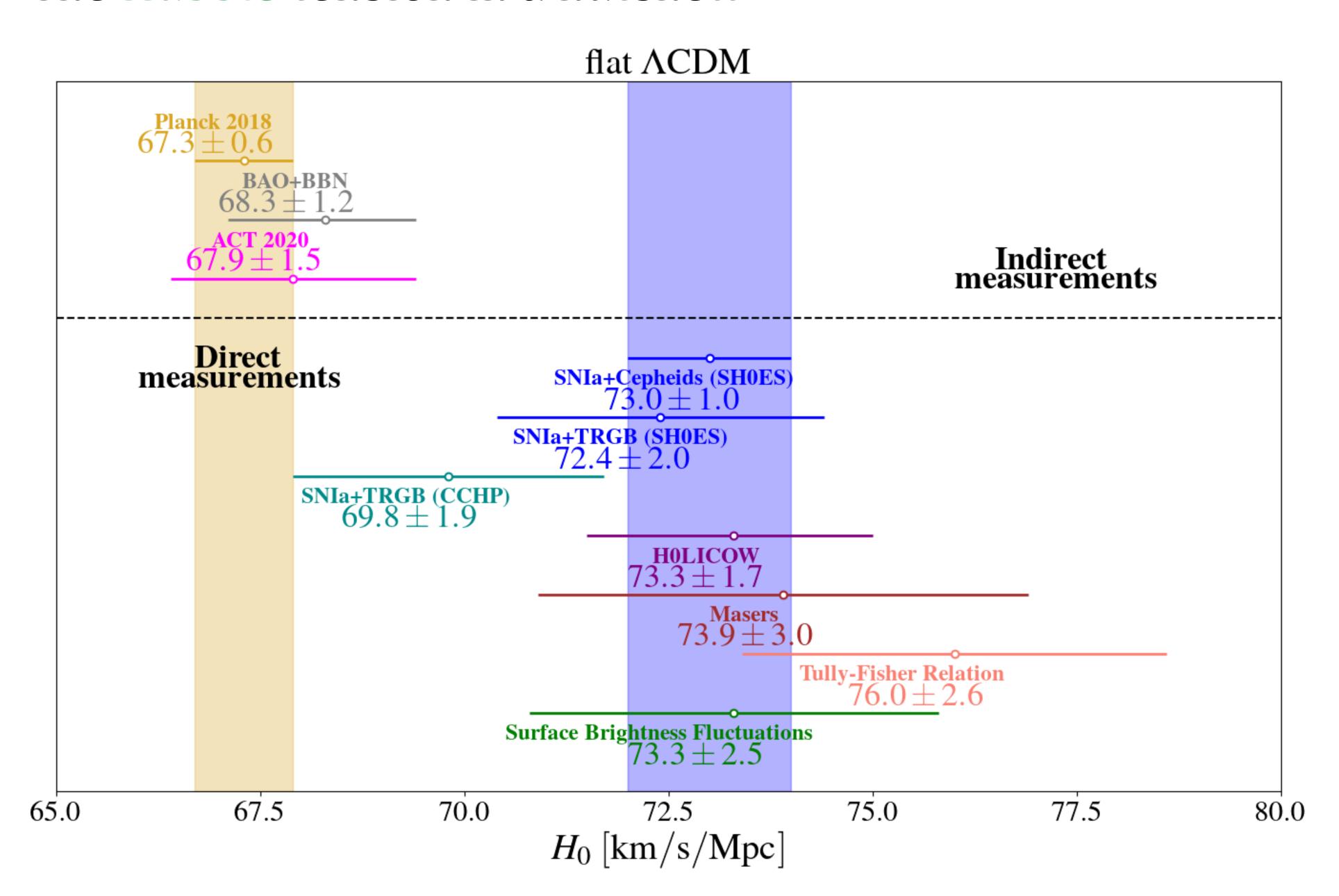










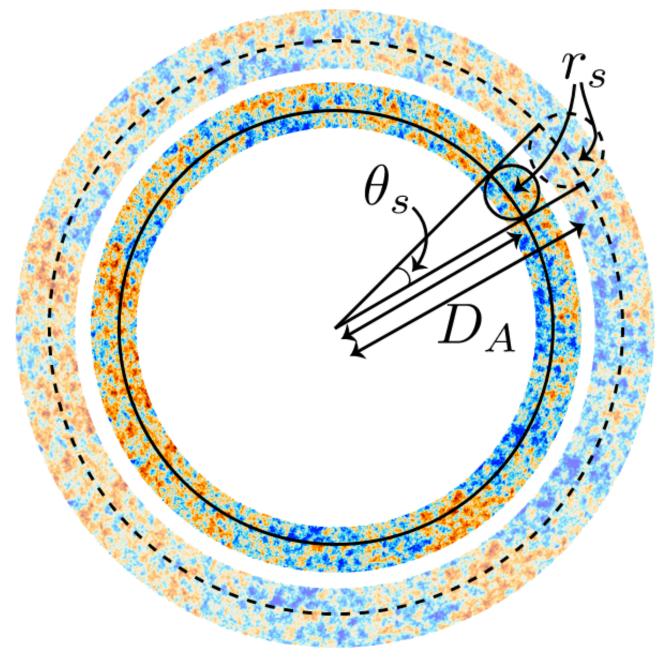


How does the CMB determine H₀?

Angular size of the **sound horizon** is measured at the 0.04% precision

$$\theta_{s} = \frac{r_{s}(z_{\text{rec}})}{D_{A}(z_{\text{rec}})} = \frac{\int_{\infty}^{z_{\text{rec}}} c_{s}(z)dz/\sqrt{\rho_{\text{tot}}(z)}}{\int_{0}^{z_{\text{rec}}} cdz/\sqrt{\rho_{\text{tot}}(z)}}$$





[T. Smith]

Early-time solutions $(z > z_{rec})$

Decrease $r_s(z_{rec})$ at fixed θ_s to decrease $D_A(z_{rec})$ and increase H_0

Some examples:

- Free-streaming Dark Radiation
- Early Dark Energy (EDE)
 [Poulin+ 18]

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Late-time solutions (z < z_{rec})

 $r_s(z_{\rm rec})$ and $D_A(z_{\rm rec})$ are fixed, but $D_A(z < z_{\rm rec})$ is changed to allow higher H₀

Some examples:

- Late phantom Dark Energy
- Decaying Dark Matter

[Vattis+ 19]

Lost in the landscape of solutions

Early Dark Energy Can Resolve The Hubble Tension

Vivian Poulin¹, Tristan L. Smith², Tanvi Karwal¹, and Marc Kamionkowski¹

Relieving the Hubble tension with primordial mag

Karsten Jedamzik¹ and Levon Pogosian^{2,3}

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Christina D. Kreisch,^{1,*} Francis-Yan Cyr-Racine,^{2,3,†} and Olivier Doré⁴

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... is it possible to rank the different models?

GOAL:

Identify which underlying mechanisms are more likely to be responsible for explaining the discrepancy

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Take a sample of proposed solutions

17 different models, spanning early- and late-universe solutions

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Use a wide array of data

As a prior on M_b !

Planck 2018 + BAO + SNIa + SH0ES

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Apply different metrics

QDMAP

 Δ AIC

$$\frac{\bar{x}_D - \bar{x}_{SH0ES}}{\sqrt{\sigma_D^2 + \sigma_{SH0ES}^2}}$$

$$\sqrt{\chi^2_{\text{min,D+SH0ES}} - \chi^2_{\text{min,I}}}$$

$$\frac{\bar{x}_D - \bar{x}_{SH0ES}}{\sqrt{\sigma_D^2 + \sigma_{SH0ES}^2}} \qquad \sqrt{\chi_{\min,D+SH0ES}^2 - \chi_{\min,D}^2} \qquad \chi_{\min,M}^2 - \chi_{\min,\Lambda CDM}^2 + 2(N_M - N_{\Lambda CDM})$$

Results of the contest

Model	$\Delta N_{ m param}$	M_B	Gaussian Tension	$Q_{ m DMAP}$ Tension		$\Delta\chi^2$	$\Delta { m AIC}$		Finalist	
$\Lambda { m CDM}$	0	-19.416 ± 0.012	4.4σ	4.5σ	X	0.00	0.00	X	X	
$\Delta N_{ m ur}$	1	-19.395 ± 0.019	3.6σ	3.8σ	\boldsymbol{X}	-6.10	-4.10	\boldsymbol{X}	X	
SIDR	1	-19.385 ± 0.024	3.2σ	3.3σ	\boldsymbol{X}	-9.57	-7.57	\checkmark	✓ ③	
mixed DR	2	-19.413 ± 0.036	3.3σ	3.4σ	\boldsymbol{X}	-8.83	-4.83	\boldsymbol{X}	X	
DR-DM	2	-19.388 ± 0.026	3.2σ	3.1σ	\boldsymbol{X}	-8.92	-4.92	\boldsymbol{X}	X	
$\mathrm{SI}\nu+\mathrm{DR}$	3	$-19.440^{+0.037}_{-0.039}$	3.8σ	3.9σ	\boldsymbol{X}	-4.98	1.02	\boldsymbol{X}	X	
Majoron	3	$-19.380^{+0.027}_{-0.021}$	3.0σ	2.9σ	\checkmark	-15.49	-9.49	\checkmark	✓ ②	
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NEDE	3	$-19.380^{+0.023}_{-0.040}$	3.1σ	1.9σ	\checkmark	-18.93	-12.93	\checkmark	✓ ②	
EMG	3	$-19.397^{+0.017}_{-0.023}$	3.7σ	2.3σ	\checkmark	-18.56	-12.56	\checkmark	✓ ②	
CPL	2	-19.400 ± 0.020	3.7σ	4.1σ	\boldsymbol{X}	-4.94	-0.94	\boldsymbol{X}	X	
PEDE	0	-19.349 ± 0.013	2.7σ	2.8σ	\checkmark	2.24	2.24	\boldsymbol{X}	X	
GPEDE	1	-19.400 ± 0.022	3.6σ	4.6σ	\boldsymbol{X}	-0.45	1.55	\boldsymbol{X}	X	
$\mathrm{DM} \to \mathrm{DR} {+} \mathrm{WDM}$	2	-19.420 ± 0.012	4.5σ	4.5σ	\boldsymbol{X}	-0.19	3.81	\boldsymbol{X}	\boldsymbol{X}	
$\mathrm{DM} \to \mathrm{DR}$	2	-19.410 ± 0.011	4.3σ	4.5σ	\boldsymbol{X}	-0.53	3.47	X	\boldsymbol{X}	!

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		•				•			·	

Early-time solutions not involving dark radiation appear the most successful

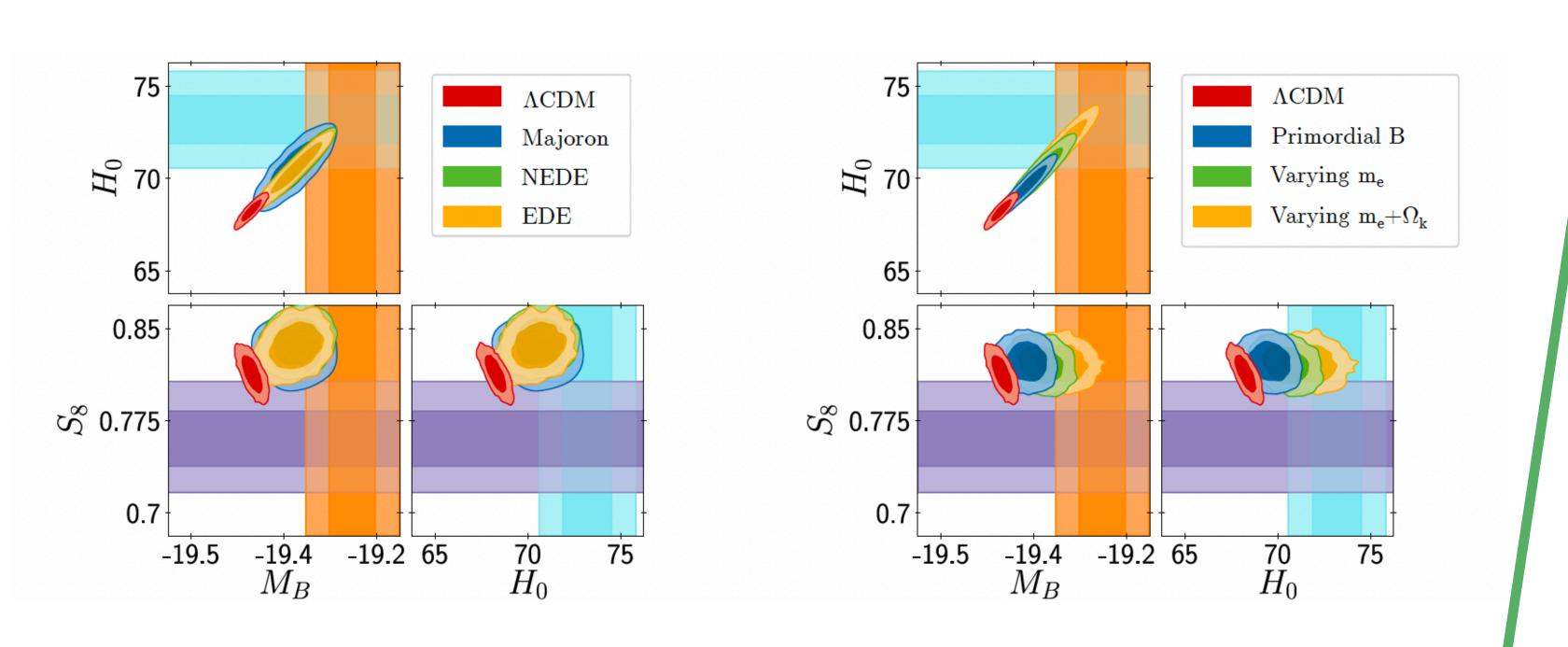
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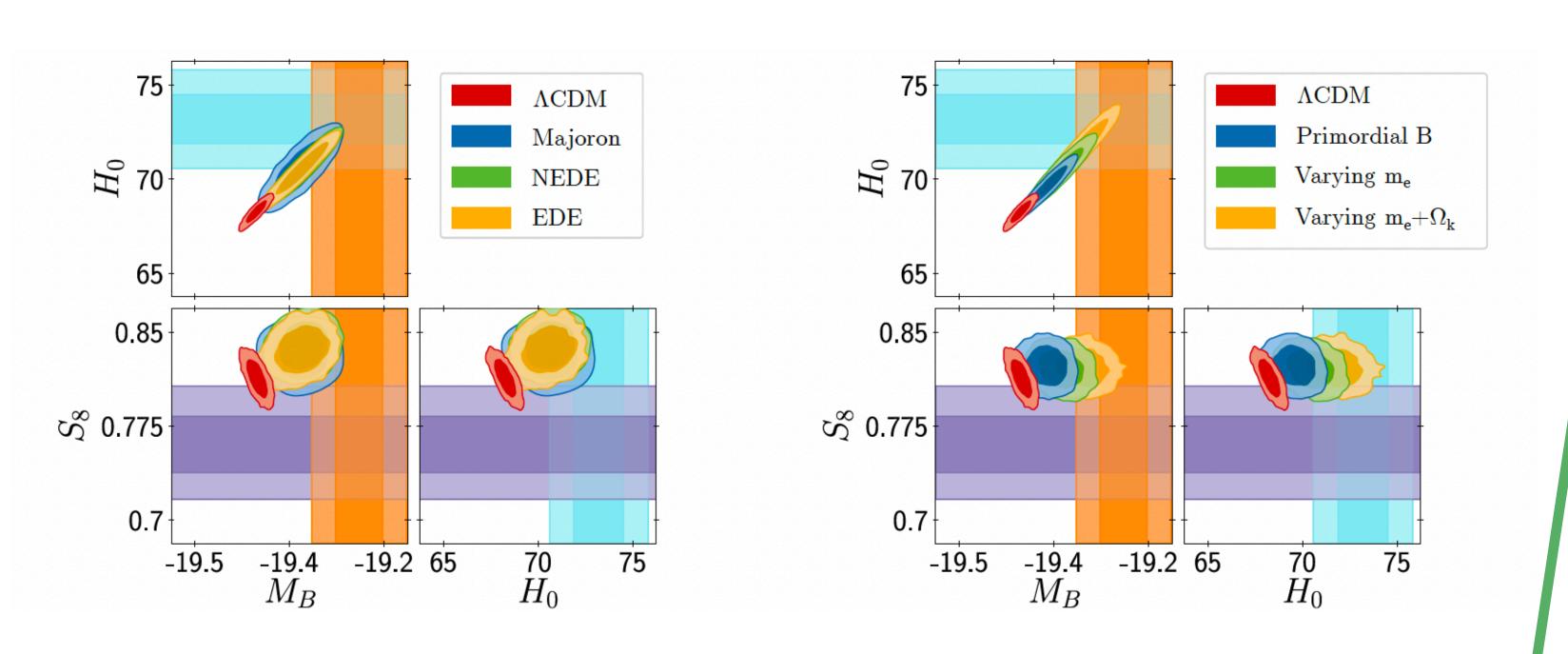
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Late-time solutions (including decay models) are the most disfavored (severely constrained by SNIa+BAO) Does this mean that decay models are not worth exploring?

The most successful models for the H_0 tension are unable to explain the S_8 tension

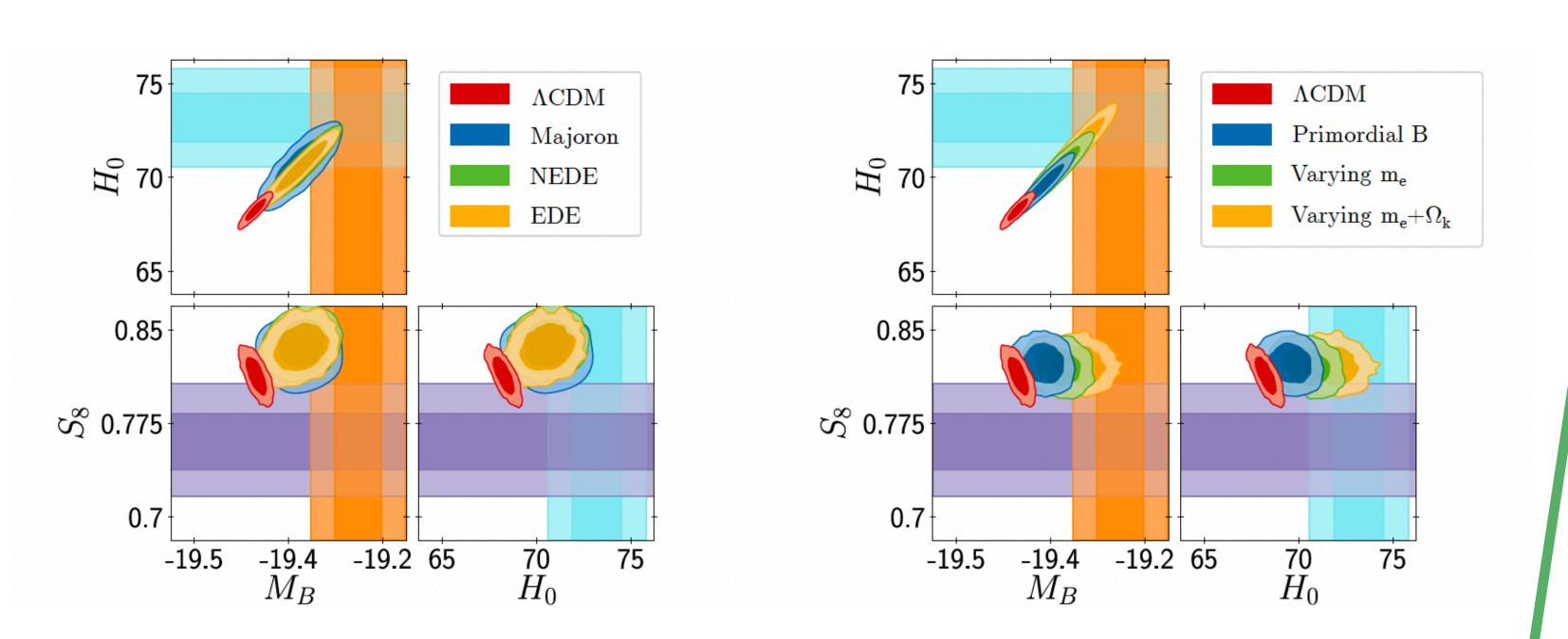


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Decay models could provide a way to explain the low measured S₈ values

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Decay models could provide a way to explain the low measured S₈ values

They could also help answering other questions (like the neutrino mass puzzle)

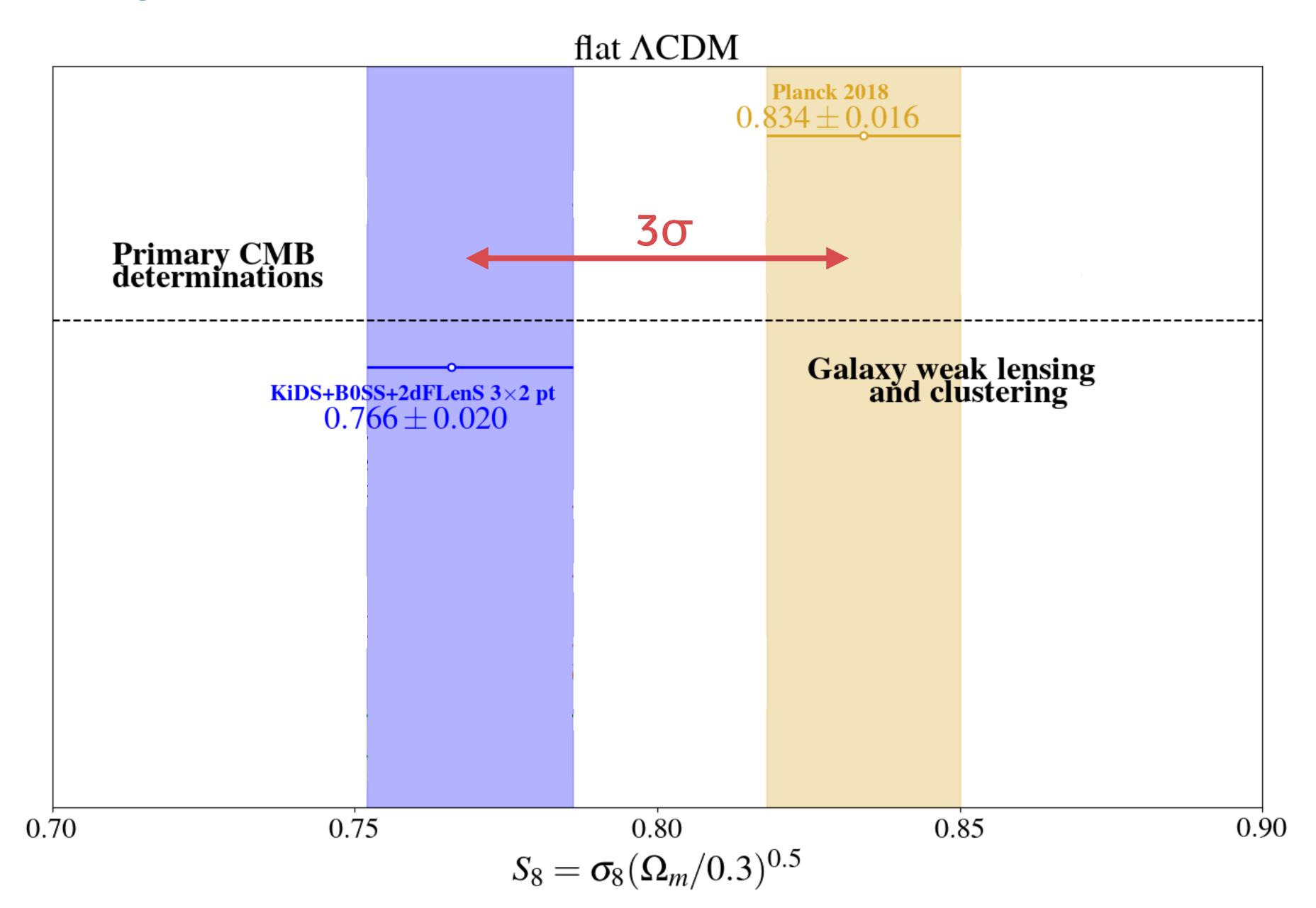
Part II:

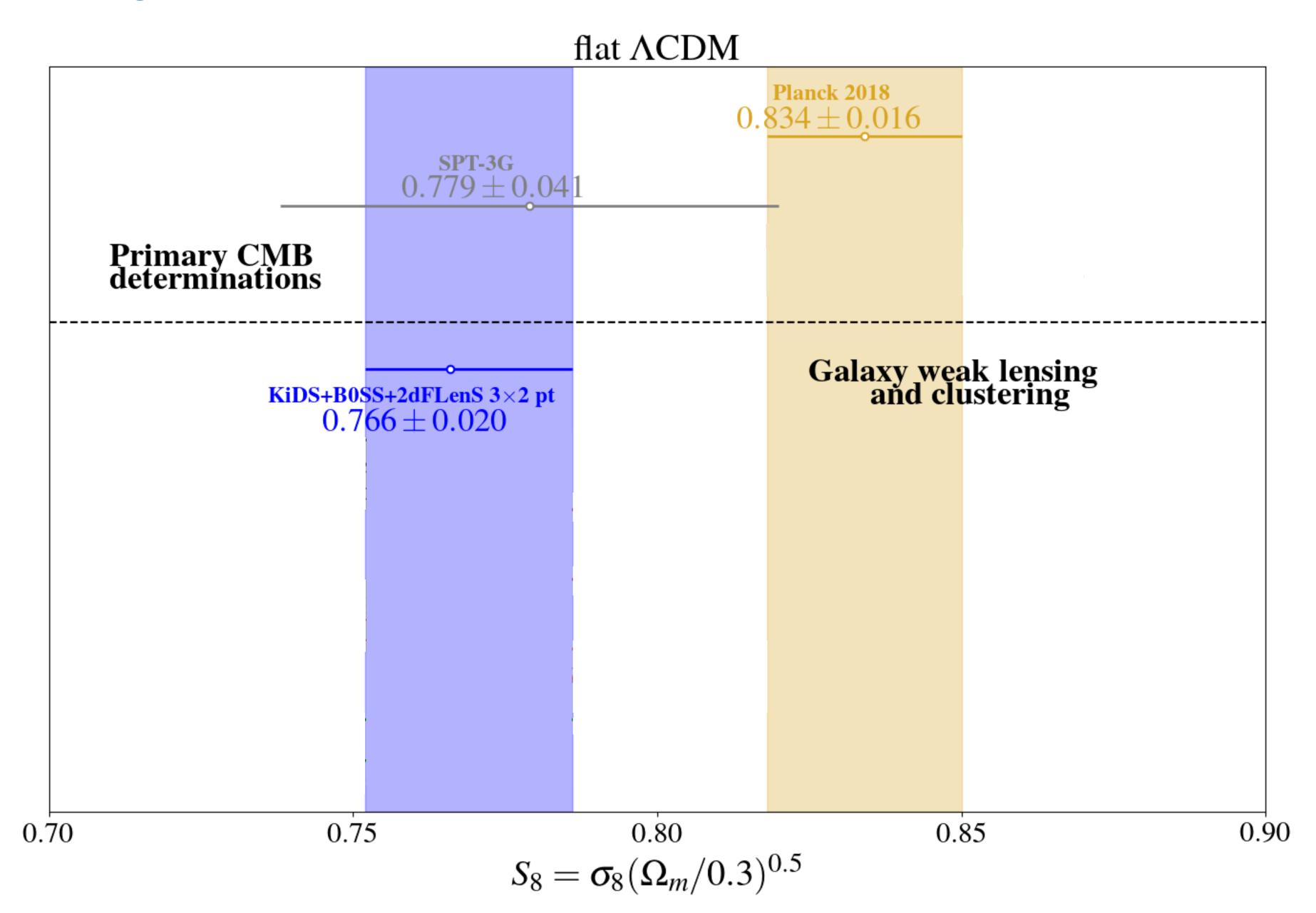
DECAYING DARK MATTER & THE S₈ TENSION

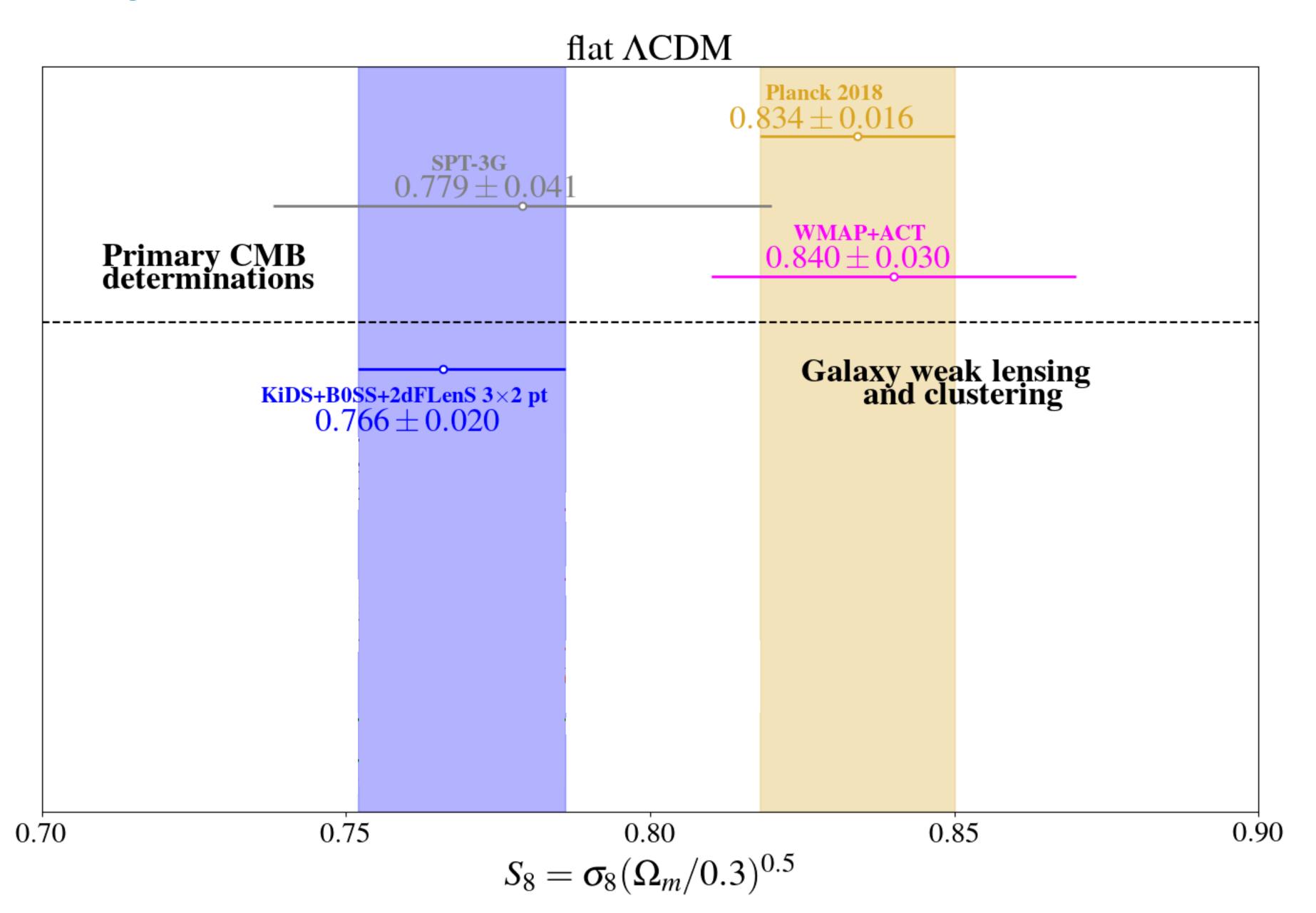
[GFA, Murgia, Poulin, Lavalle 2020 arXiv:2008.09615]

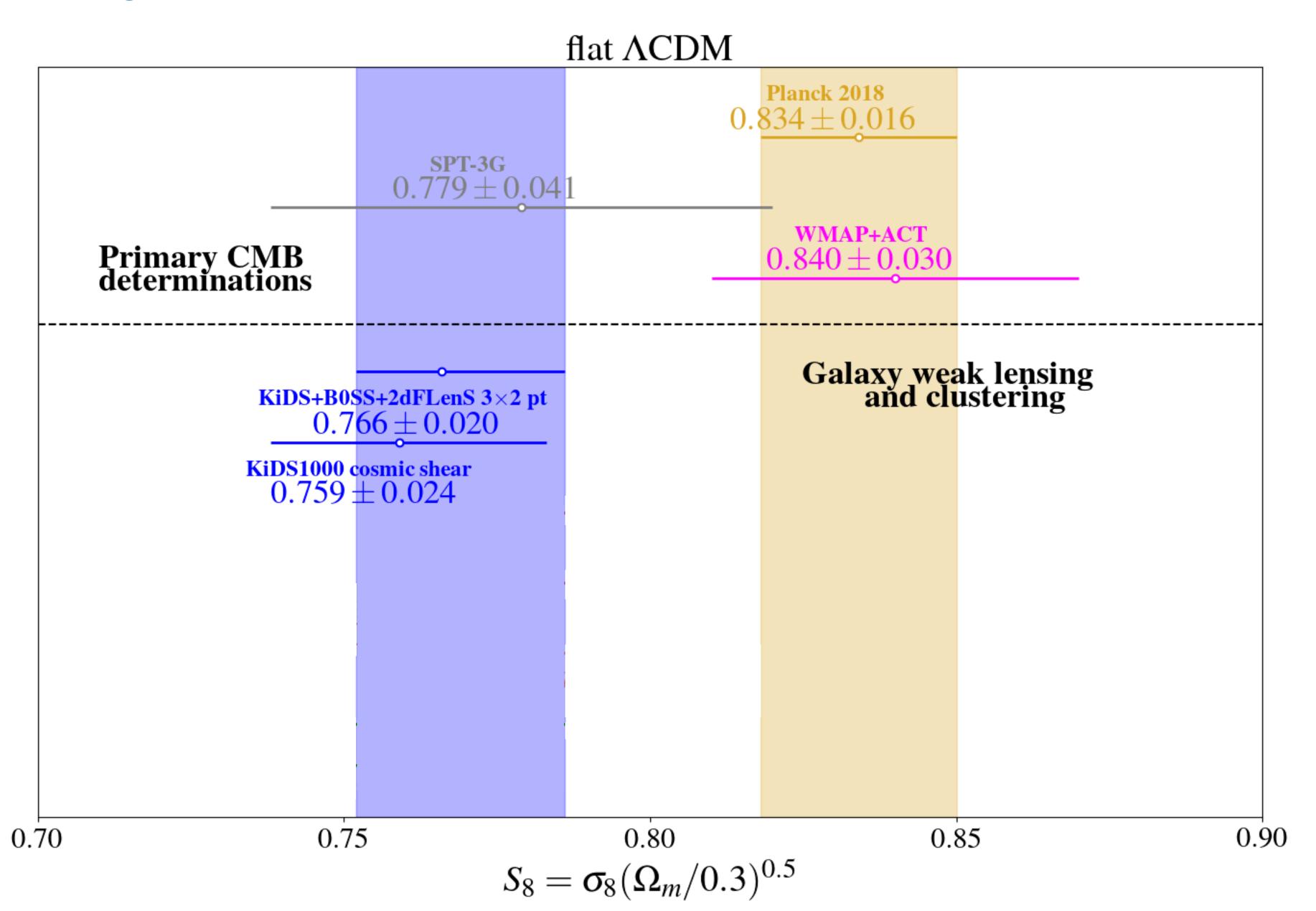
[GFA, Murgia, Poulin 2021 arXiv:2102.12498]

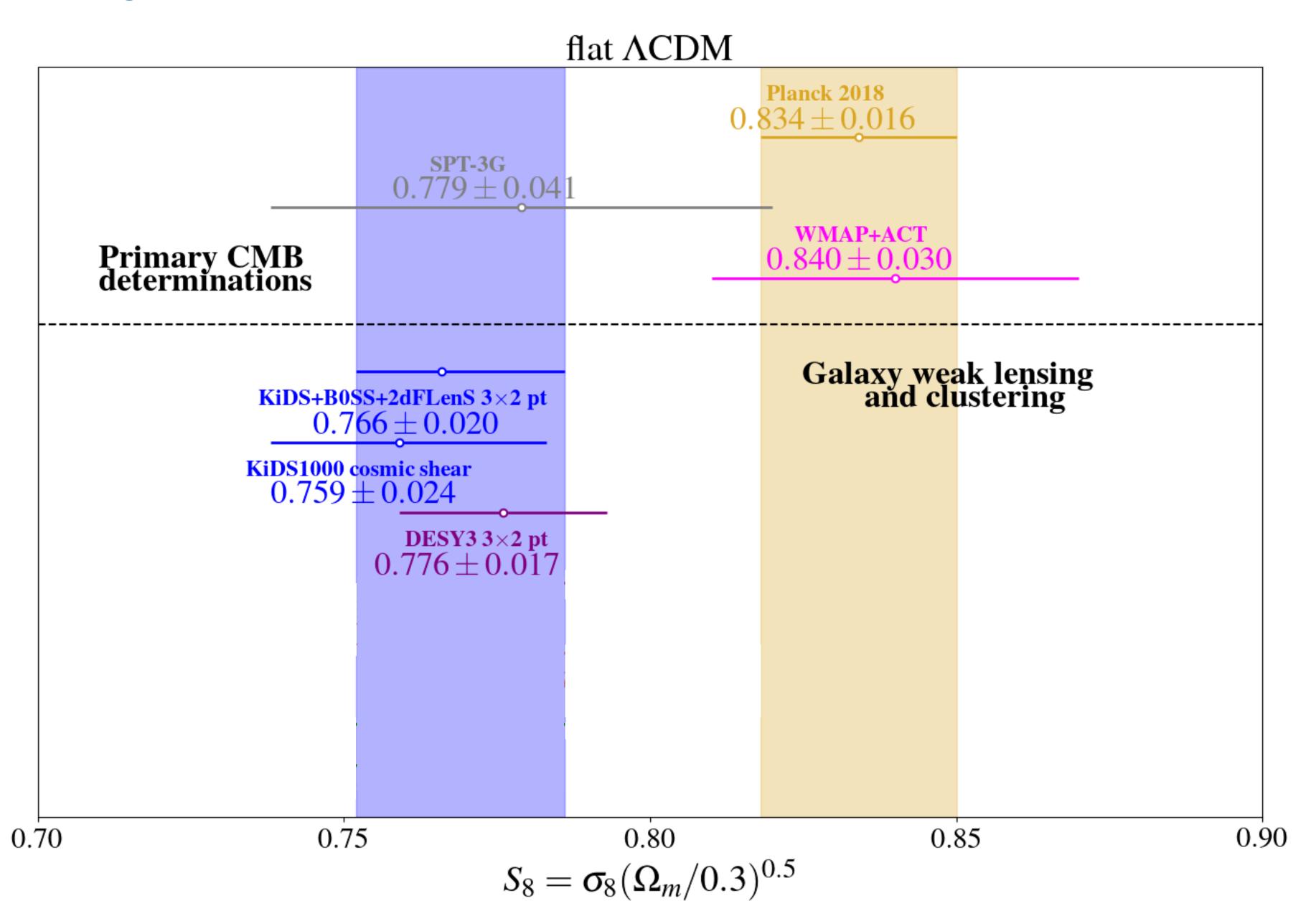


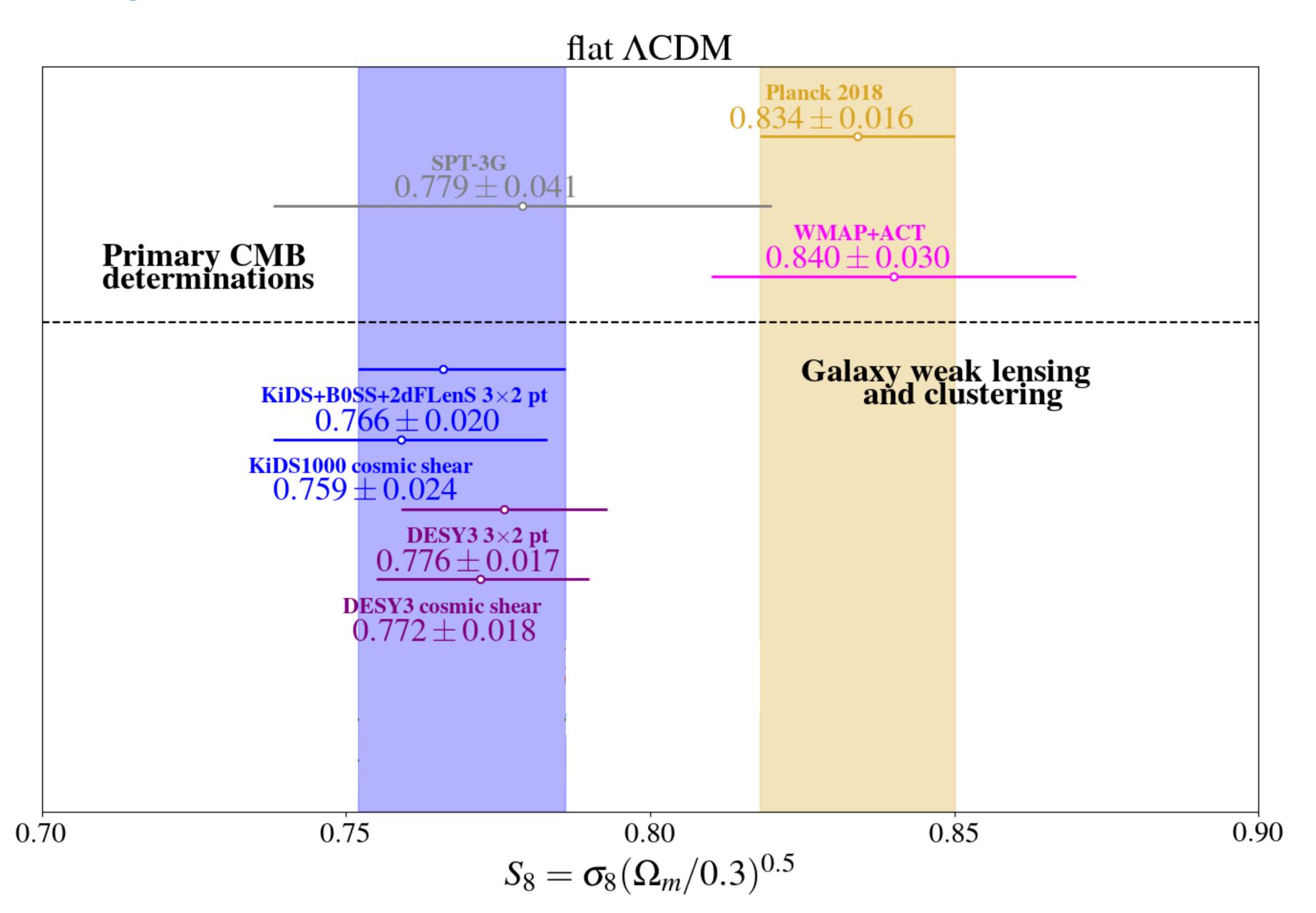


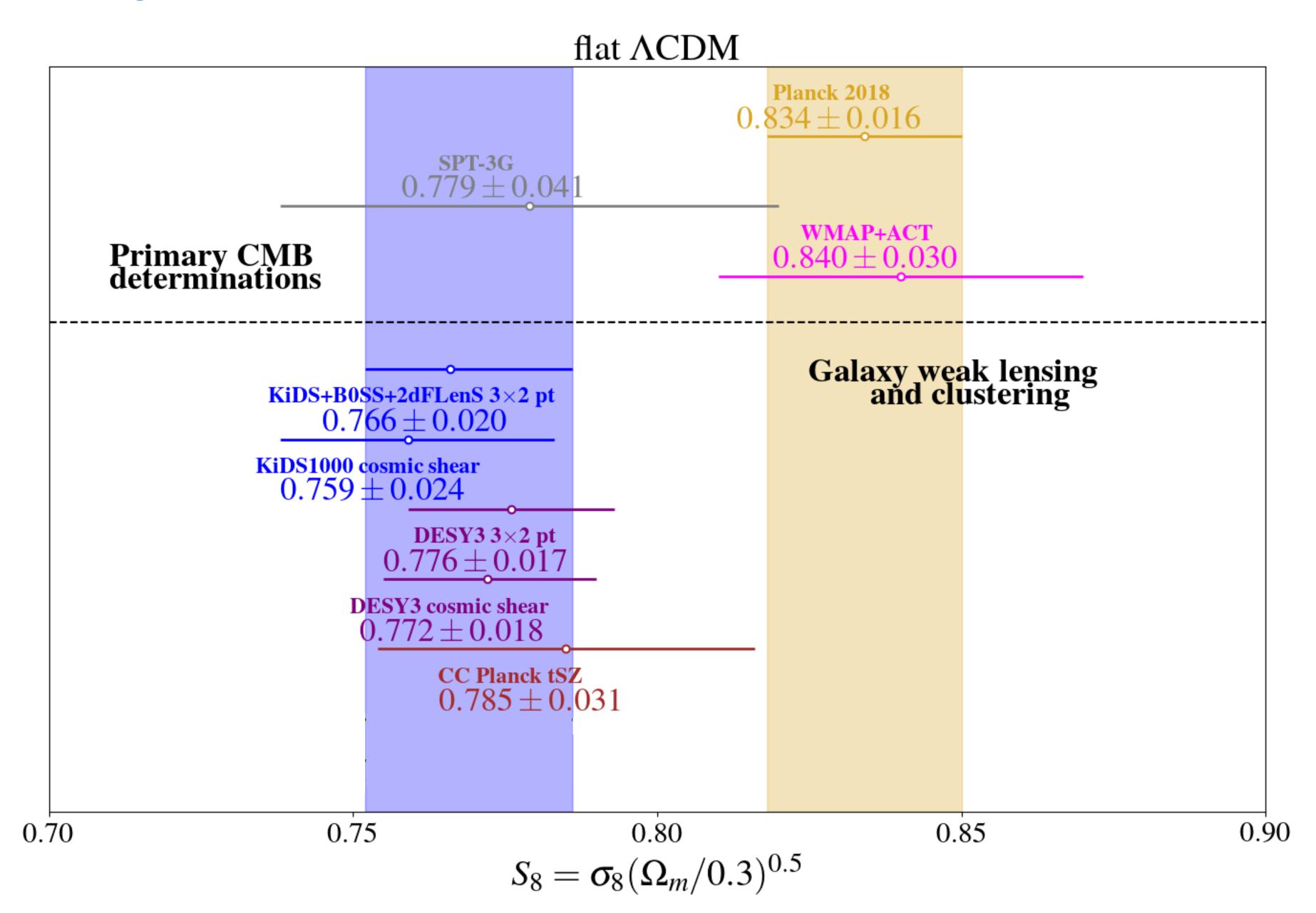


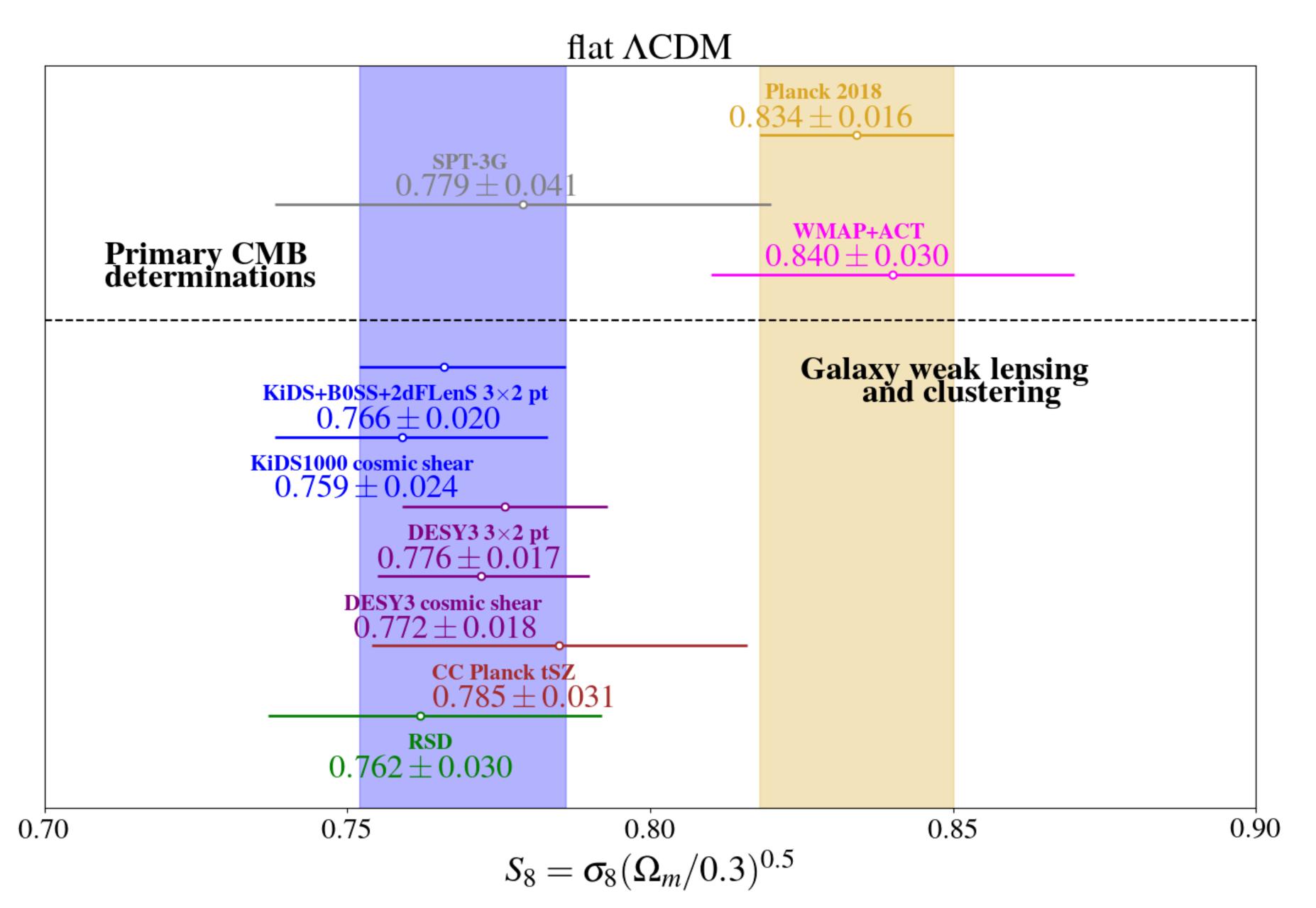












$$S_8 = \sigma_8 \sqrt{\Omega_m/0.3}$$

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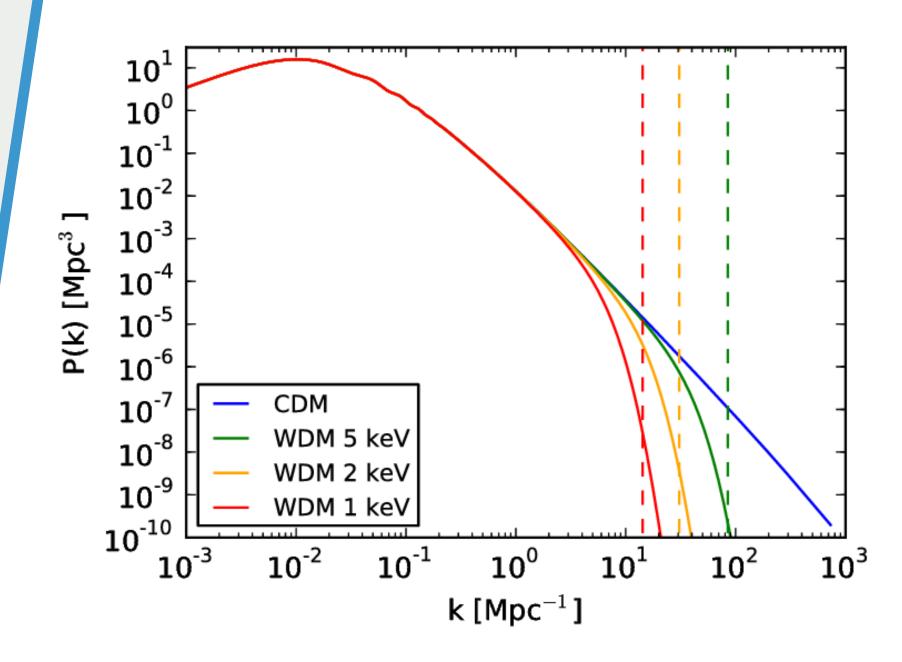
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Ex: Warm dark matter



Very constrained by Ly-α! [Iršič+ 17]

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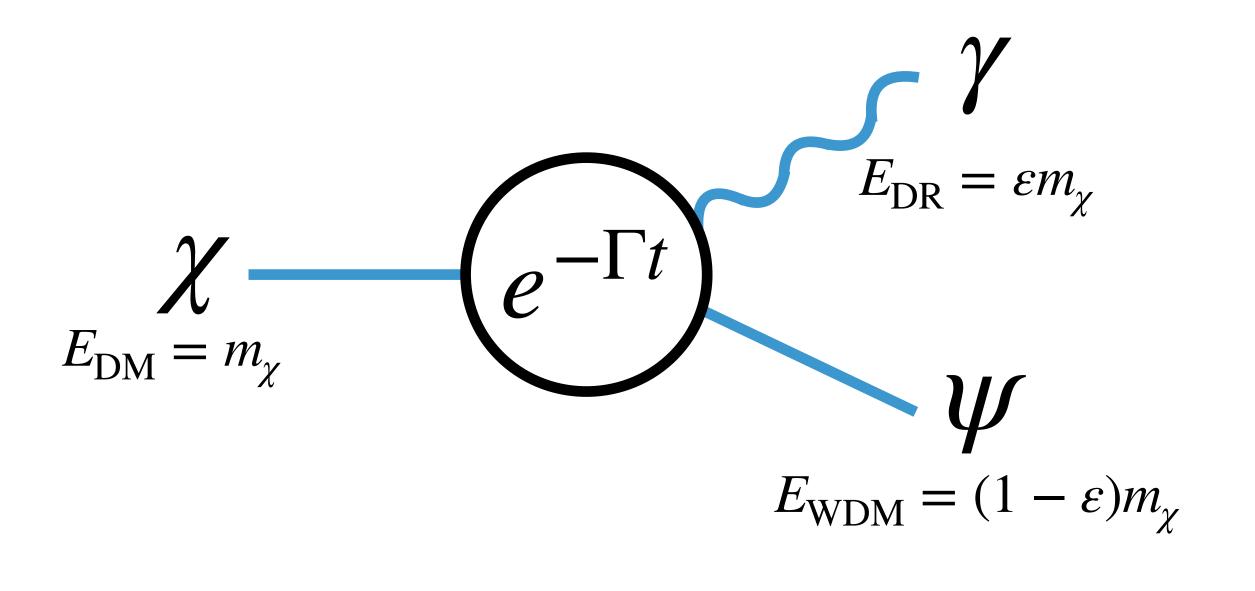
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What about massive products?

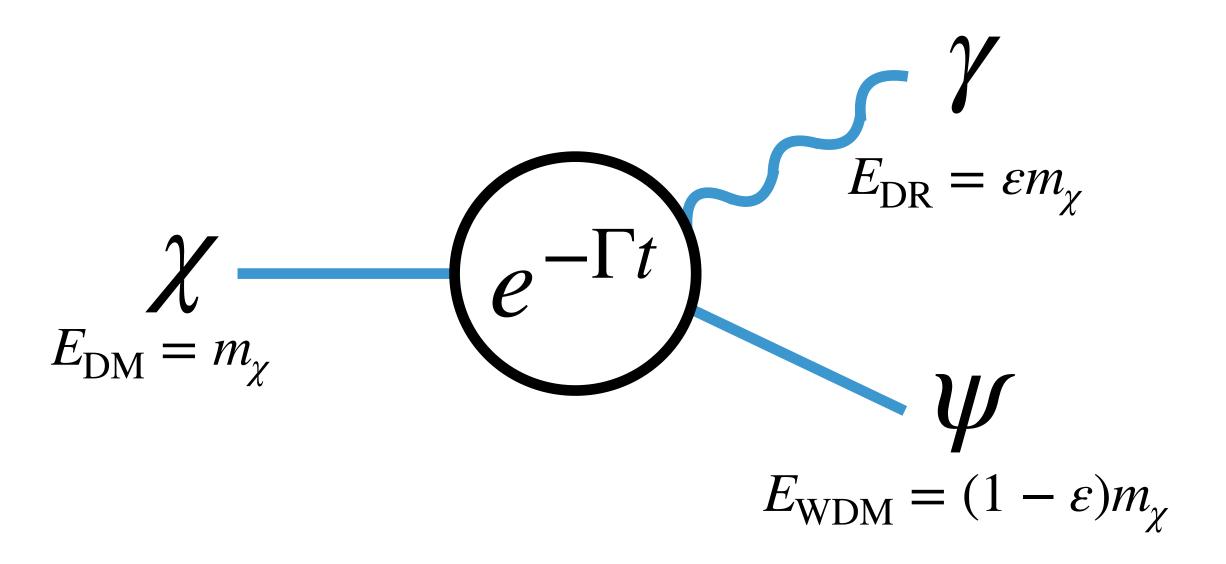
DDM with massive decay products

We explore DM decays to massless (Dark Radiation) and massive (Warm Dark Matter) particles



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2 extra parameters:

Decay rate Γ DR energy fraction \mathcal{E}

$$\varepsilon = \frac{1}{2} \left(1 - \frac{m_{\psi}^2}{m_{\chi}^2} \right) \begin{cases} = 0 & (\Lambda \text{CDM}) \\ = 1/2 & (\text{DM} \to \text{DR}) \end{cases}$$

GOAL

Perform a parameter scan by including full treatment of linear perts., in order to assess the impact on the S₈ tension

Evolution of DDM perturbations

Track δ_i , θ_i and σ_i for i = dm, dr, idm

Boltzmann hierarchy of eqs., dictate evolution of p.s.d. multipoles Δf_{ℓ} (q, k, T)

Evolution of DDM perturbations

Track δ_i , θ_i and σ_i for i = dm, dr, idm

- Boltzmann hierarchy of eqs., dictate evolution of p.s.d. multipoles Δf_{ℓ} (q, k, T)
 - For DM and DR, momentum d.o.f. are integrated out
 - For WDM, need to follow full evolution in phase space Computationally prohibitive, $\mathcal{O}(10^8)$ ODEs to solve!

New fluid equations for the WDM species

Based on previous approximation for massive neutrinos

[Lesgourgues+ 11]

$$\delta_{\rm wdm}' = -3aH(c_{\rm syn}^2 - w)\delta_{\rm wdm} - (1+w)\left(\theta_{\rm wdm} + \frac{h'}{2}\right) + a\Gamma(1-\varepsilon)\frac{\bar{\rho}_{\rm dm}}{\bar{\rho}_{\rm wdm}}(\delta_{\rm dm} - \delta_{\rm wdm})$$

$$\theta'_{\text{wdm}} = -aH(1 - 3c_a^2)\theta_{\text{wdm}} + \frac{c_{\text{syn}}^2}{1 + w}k^2\delta_{\text{wdm}} - k^2\sigma_{\text{wdm}} - a\Gamma(1 - \varepsilon)\frac{\bar{\rho}_{\text{dm}}}{\bar{\rho}_{\text{wdm}}}\frac{1 + c_a^2}{1 + w}\theta_{\text{wdm}}$$

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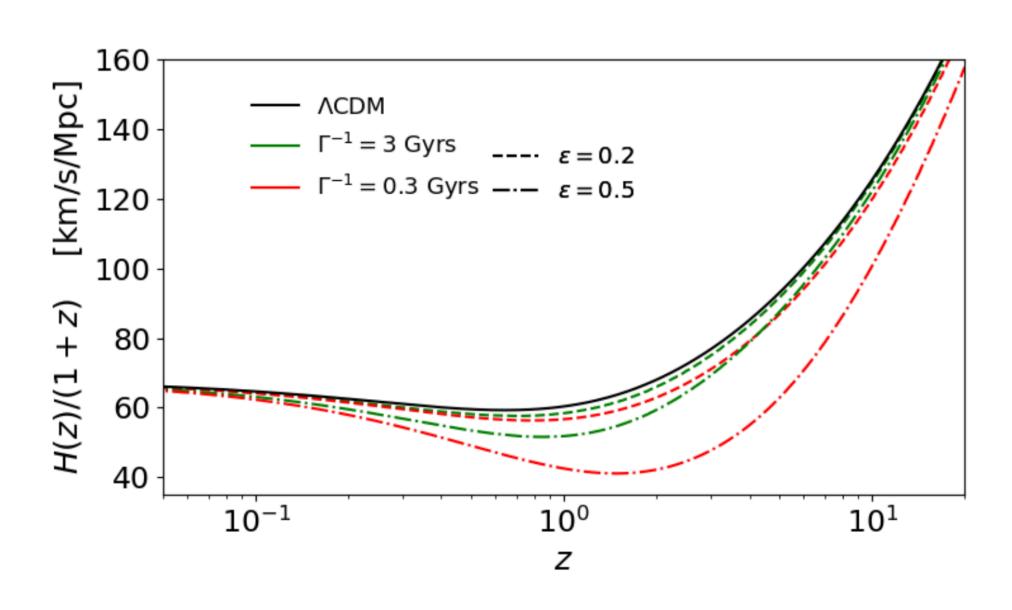
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CPU time reduced from
~ 1 day to ~ 1 minute !!

H(z) more affected by the DR:

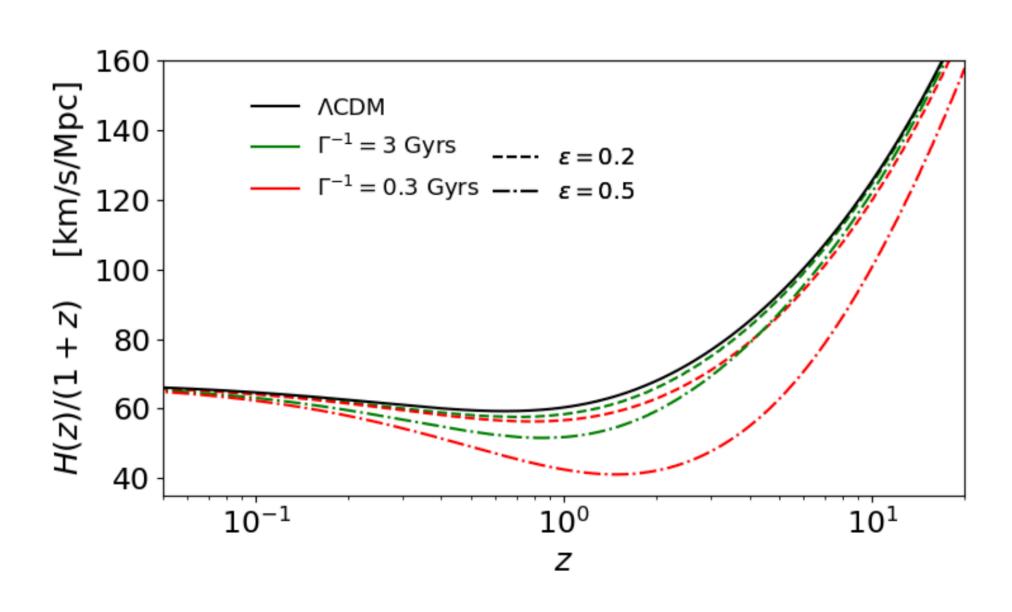
 Γ^{\uparrow} \mathcal{E}^{\uparrow}



Impact on background

H(z) more affected by the DR:

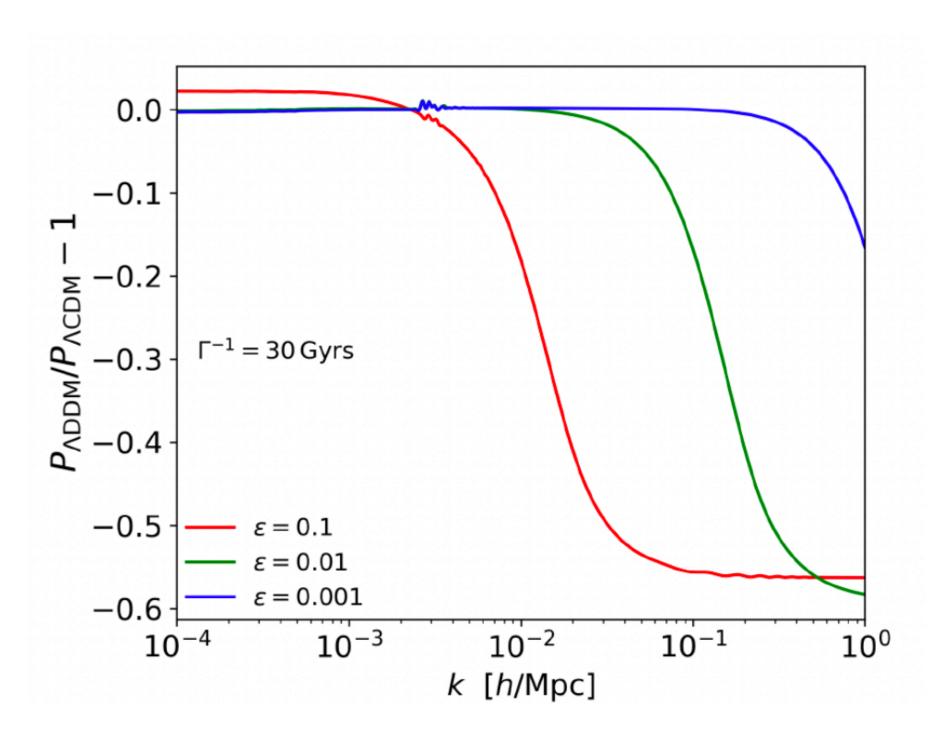
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Impact on background t on perturbations

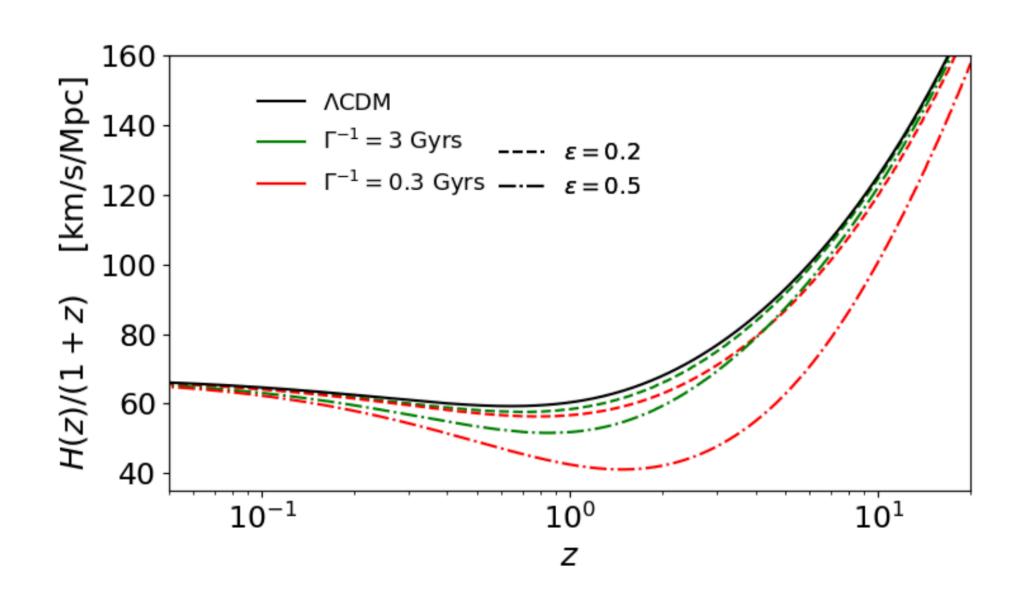
P(k) more affected by the WDM (suppression at $k > k_{fs}$):

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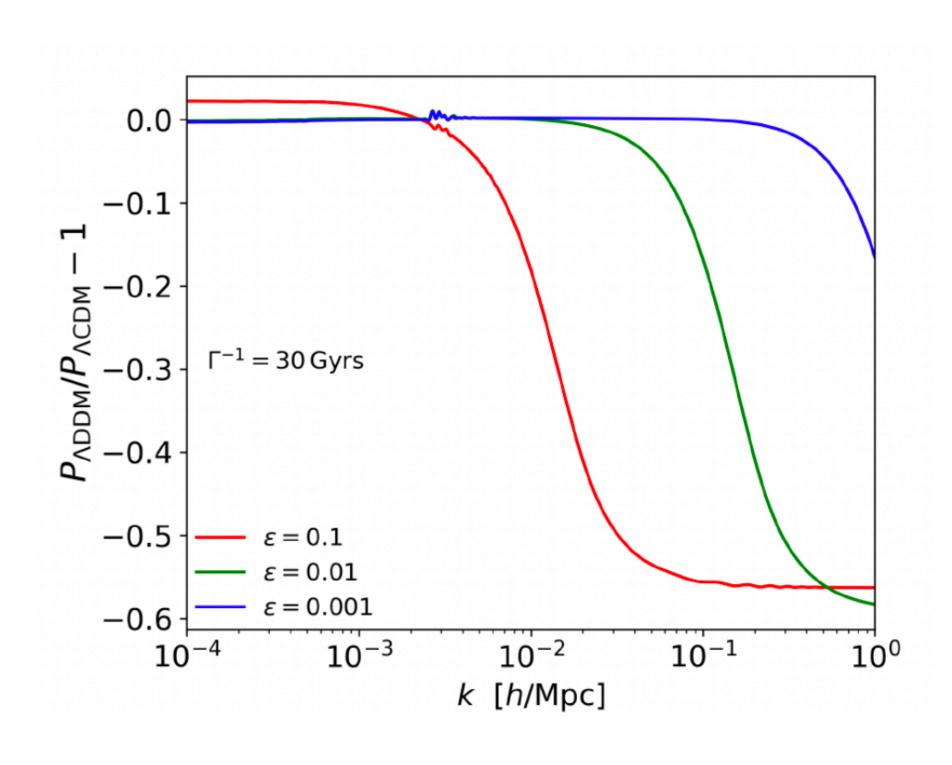
$$\Gamma$$
 ε



With large Γ and small ϵ , we can achieve a P(k) suppression while leaving H(z) unaffected

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this would require to run expensive ADDM simulations

Use a S₈ prior instead (very simplistic, but should be seen as a minimal test)



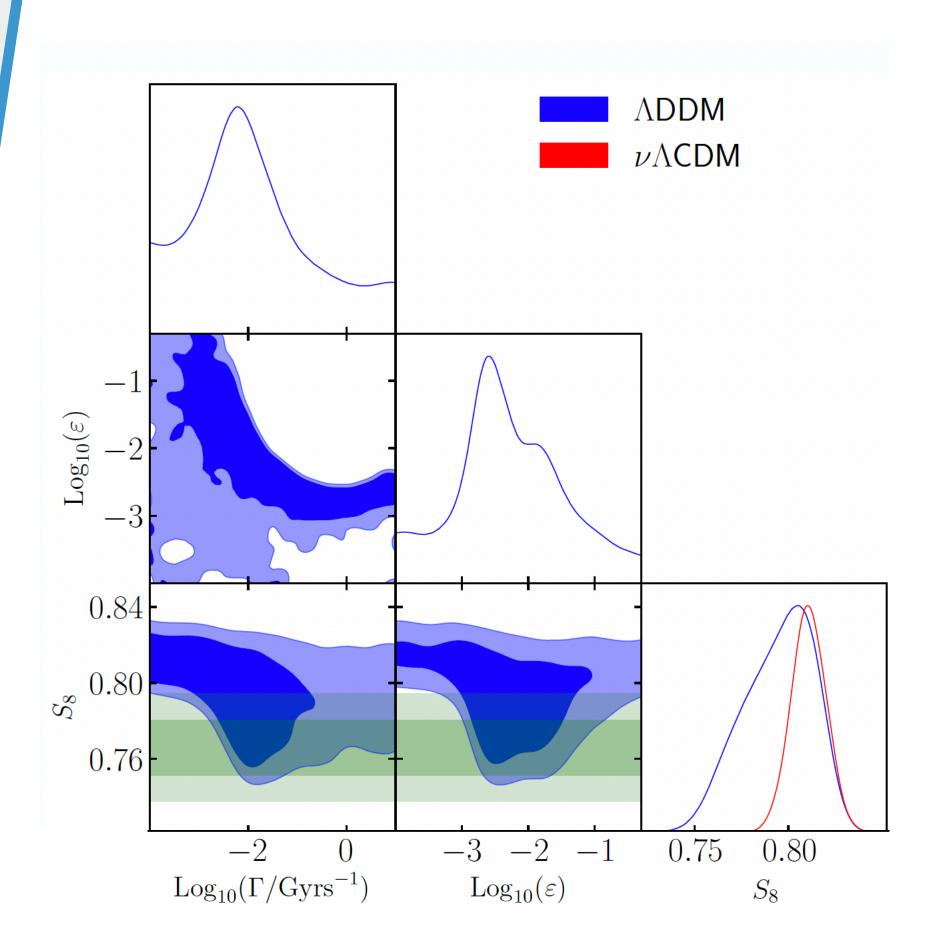
Explaining the S₈ tension

Reconstructed S₈ values are in excellent agreement with WL data

	νΛCDM	ADDM
$\chi^2_{ m CMB}$	1015.9	1015.2
$\chi^2_{S_8}$	5.64	0.002

$$\Delta \chi_{\min}^2 = -5.5$$

Planck18 + BAO + SNIa + S₈ (KiDS+BOSS+2dfLenS):



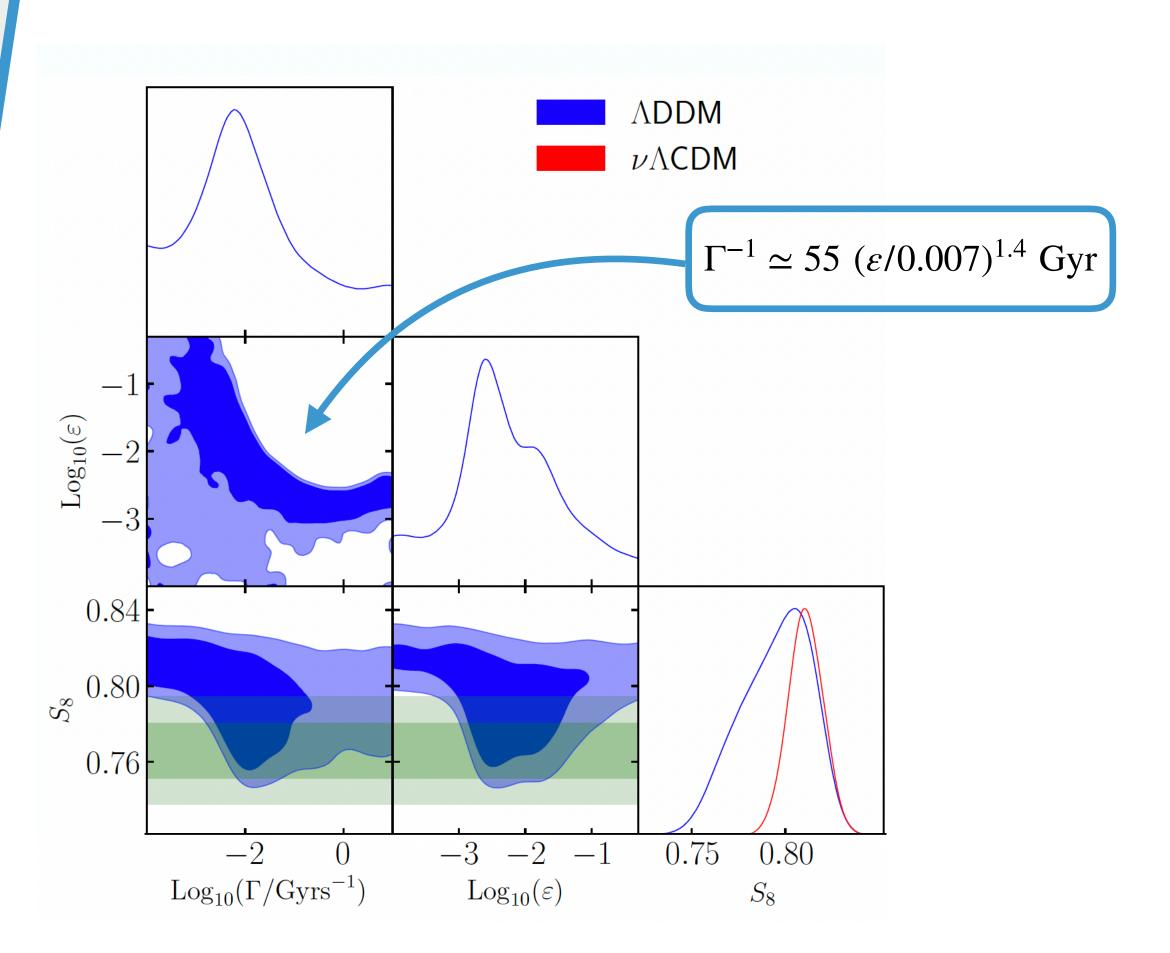
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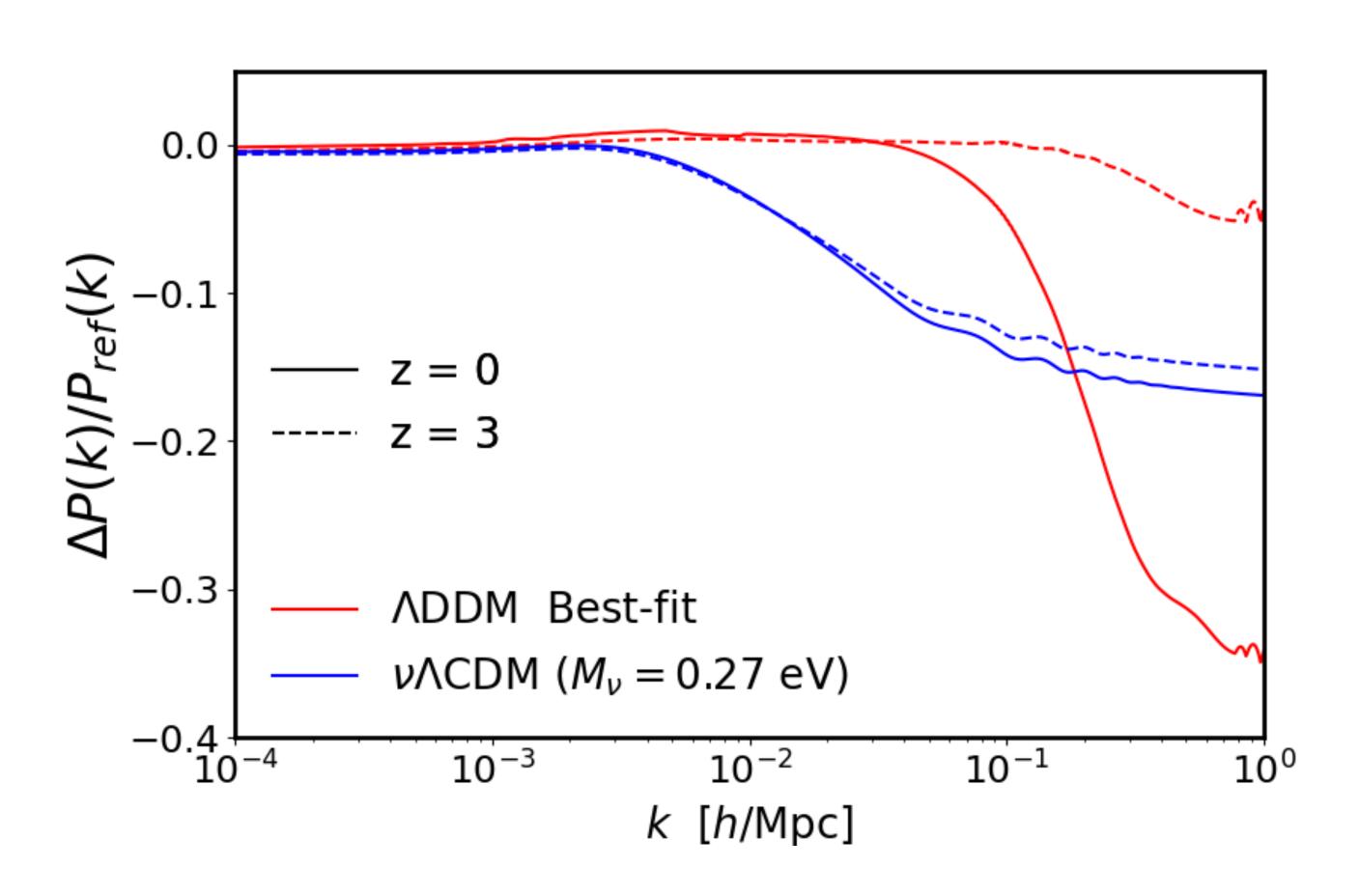
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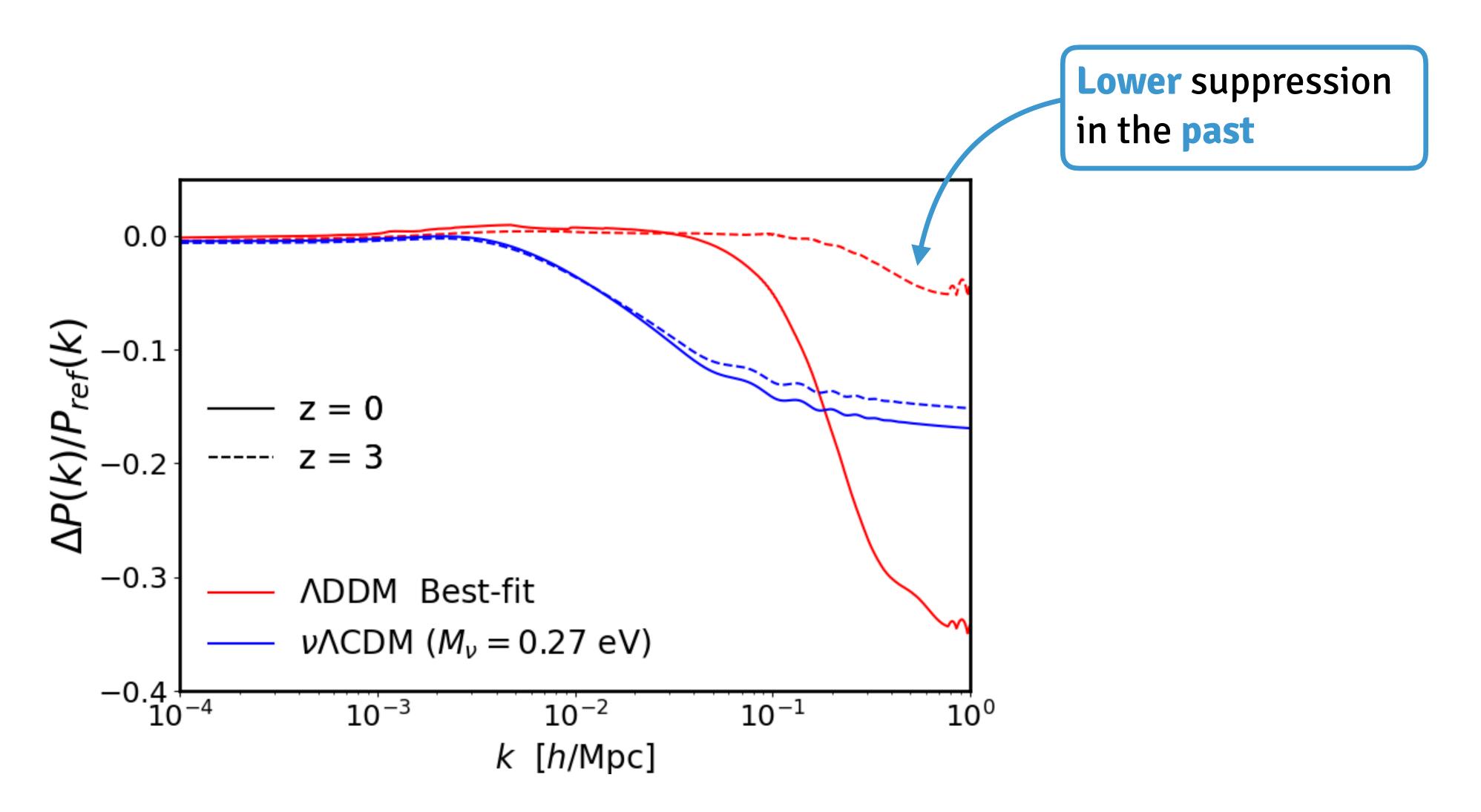
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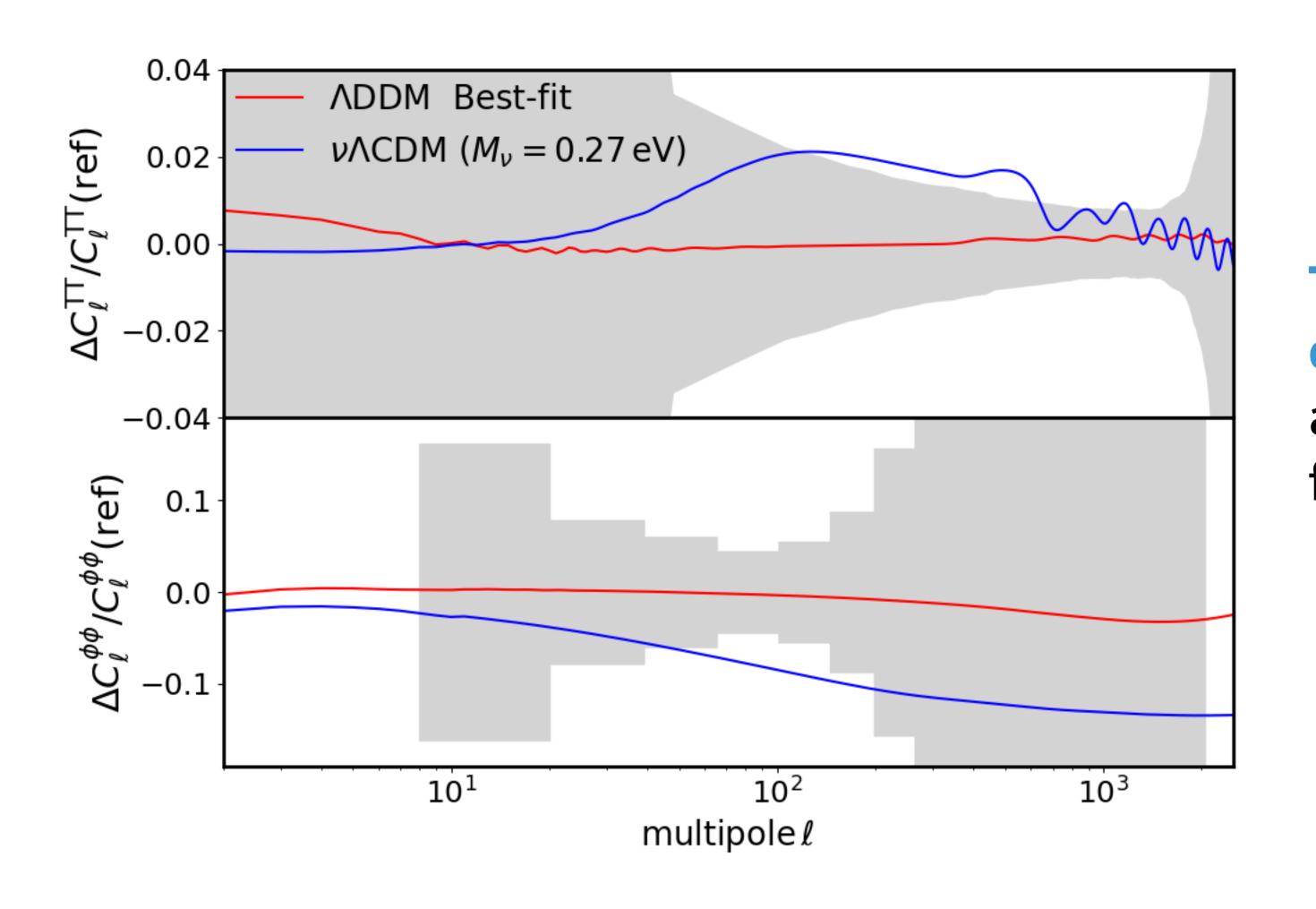
Why does the DDM model provide a better fit?



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Time-dependence of DDM suppression allows for a better fit to CMB data

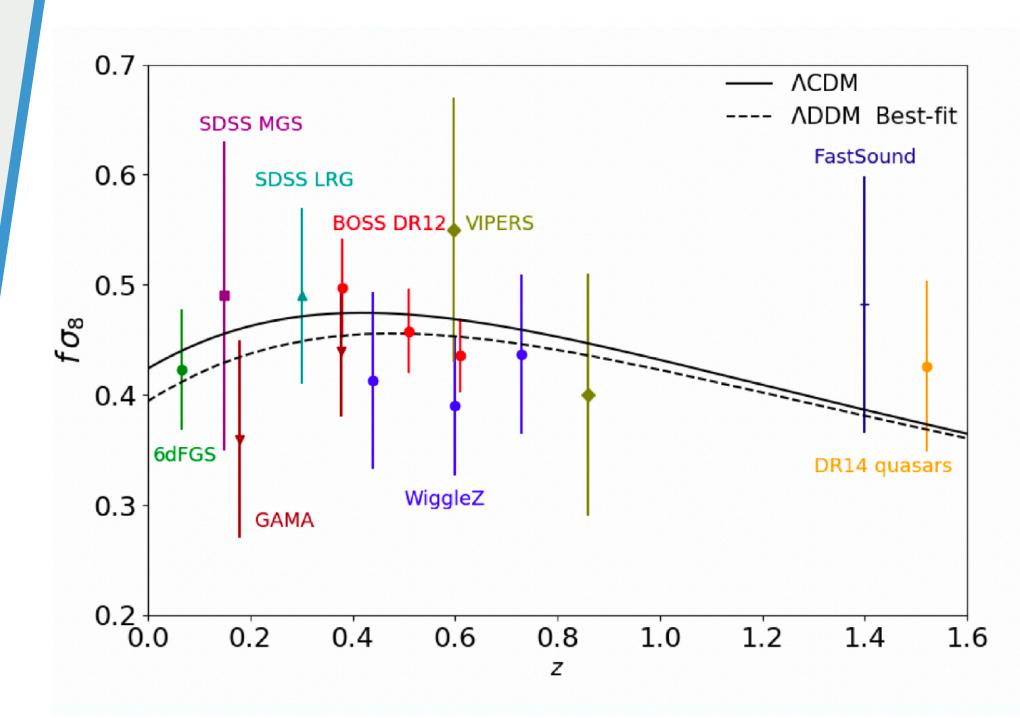
Prospects for DDM

Run DDM simulations, to test model against non-linear observables like Cosmic Shear or Lyman-α forest

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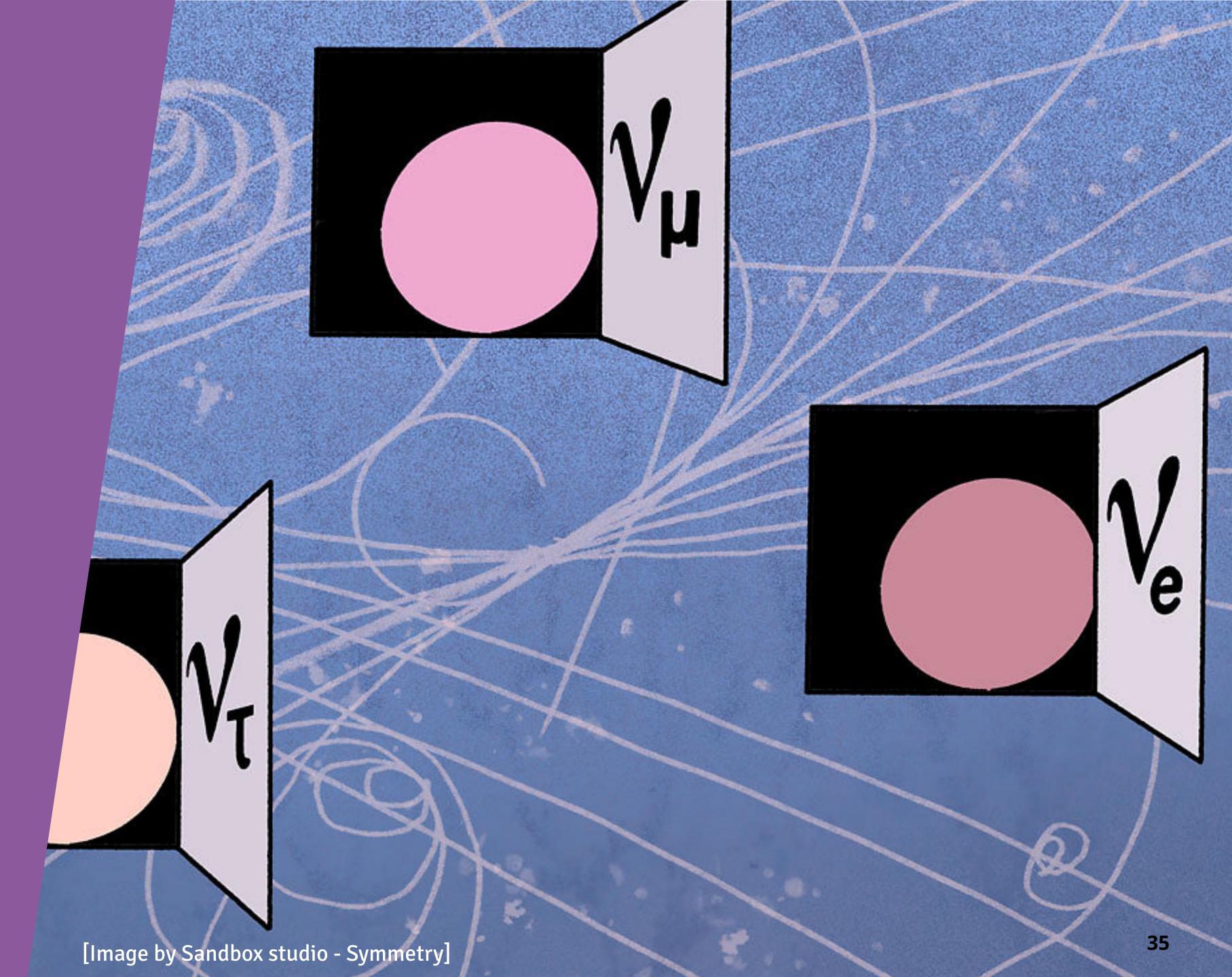
Future accurate CMB and LSS (Euclid, SKA) data will be able to capture DDM signature



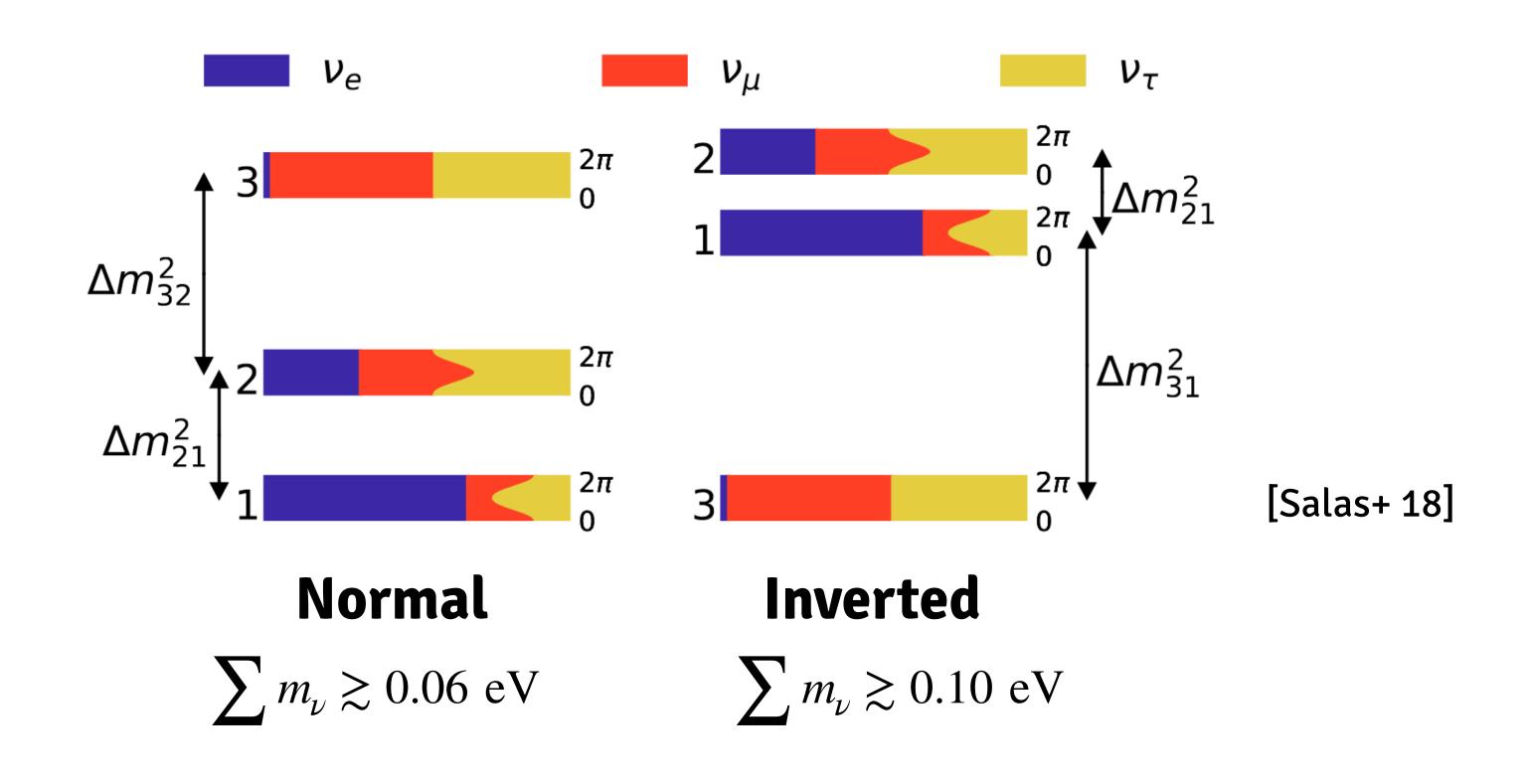
Part III:

DECAYING
NEUTRINOS
& THE NEUTRINO
MASS BOUNDS

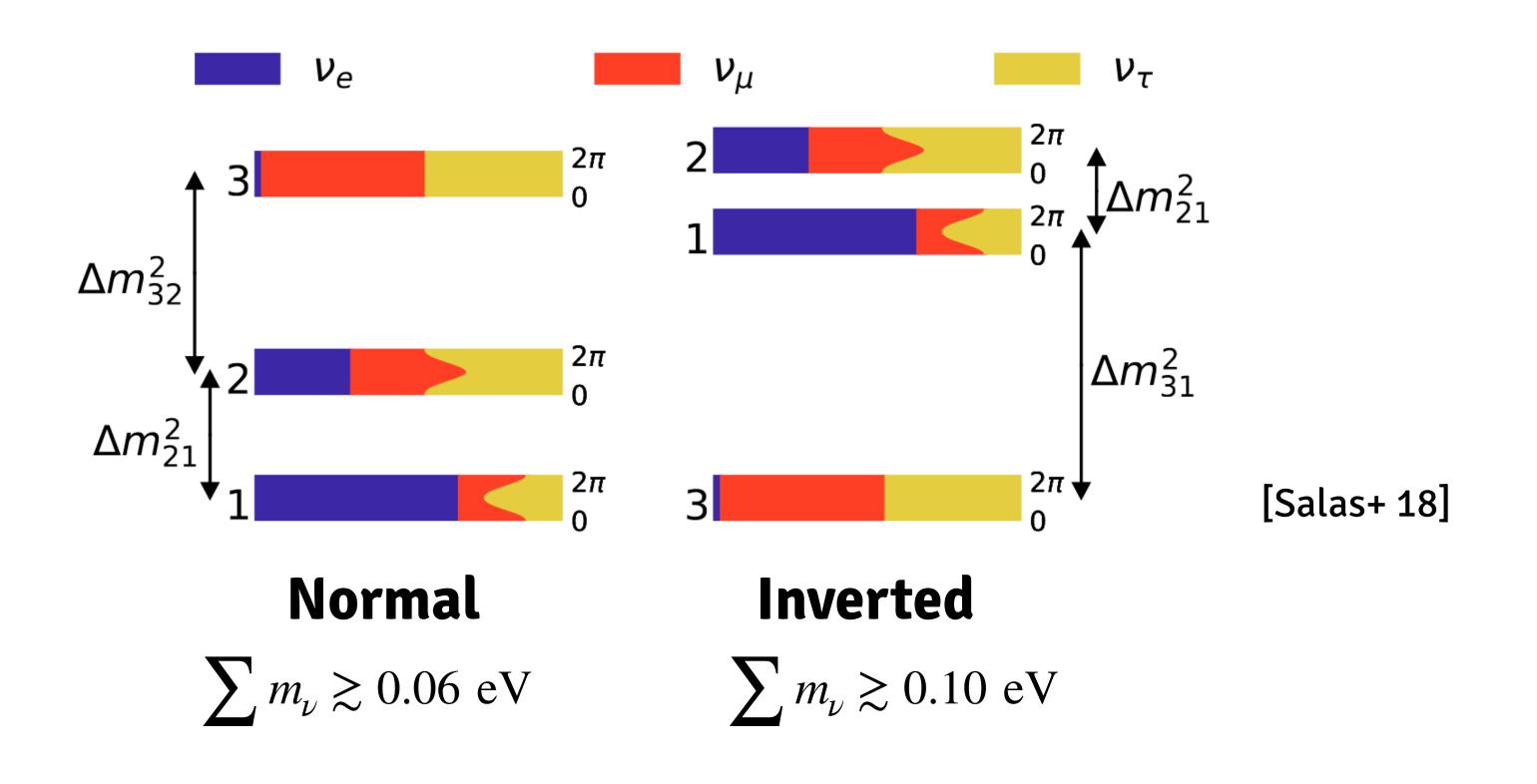
[GFA, Chacko, Dev, Du, Poulin, Tsai 2021 arXiv:2112.13862]



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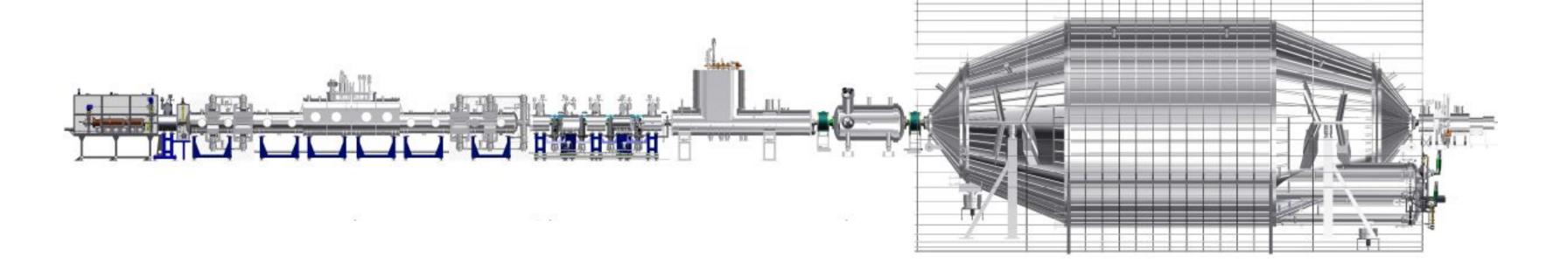


But what is the absolute mass scale of neutrinos?

Laboratory bounds

KATRIN experiment

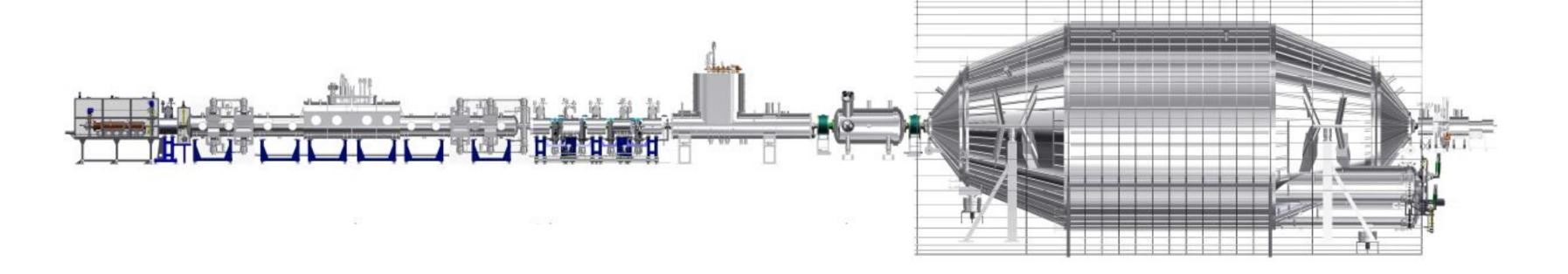
$$^{3}\text{H} \longrightarrow ^{3}\text{He}^{+} + \text{e}^{-} + \bar{\nu}_{\text{e}}$$



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Current bounds

[KATRIN 21]

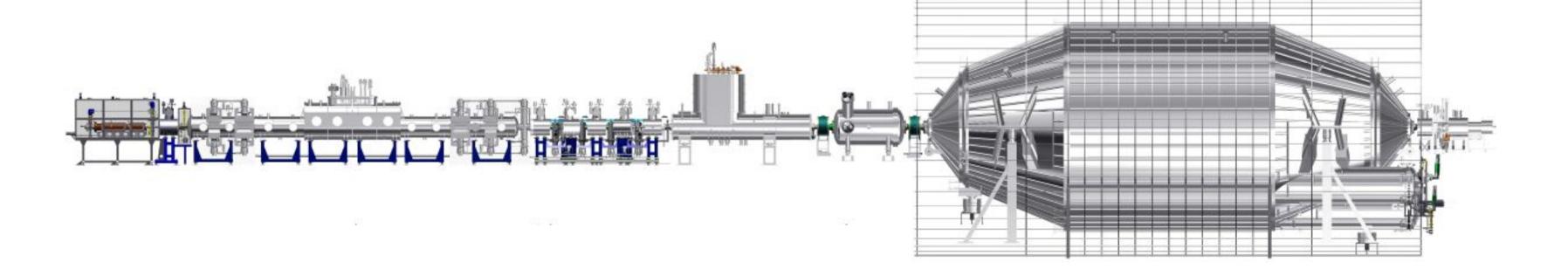
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$$\sum m_{\nu} < 2.4 \text{ eV}$$

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Expected KATRIN reach

(in ~3 years)

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$$\sum m_{\nu} < 0.6 \text{ eV}$$

Cosmological bounds

Cosmology provides the strongest bounds on $\sum m_{\nu}$

$$\sum m_{\nu} < 0.12 \text{ eV}$$

(Planck18 TTTEEE+ lensing + BAO)

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Constraints are rather robust upon simple extensions What about changing neutrino properties?

Decaying neutrinos

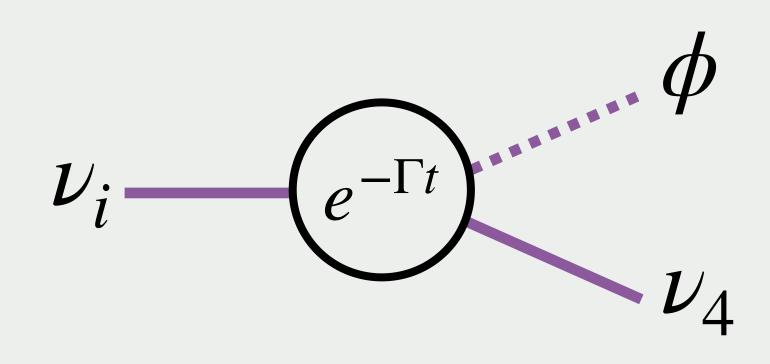
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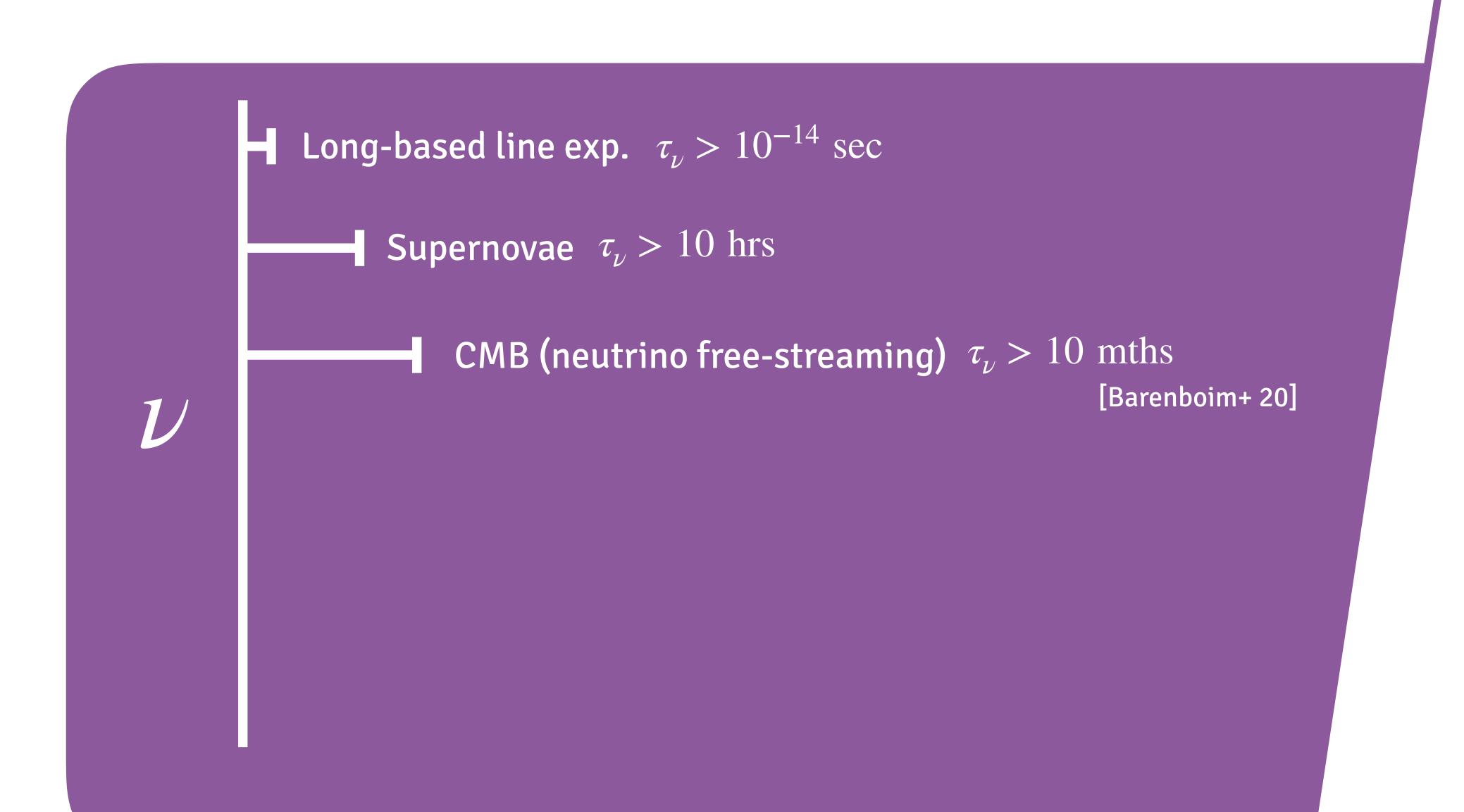
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- Decays to dark radiation, much less constrained



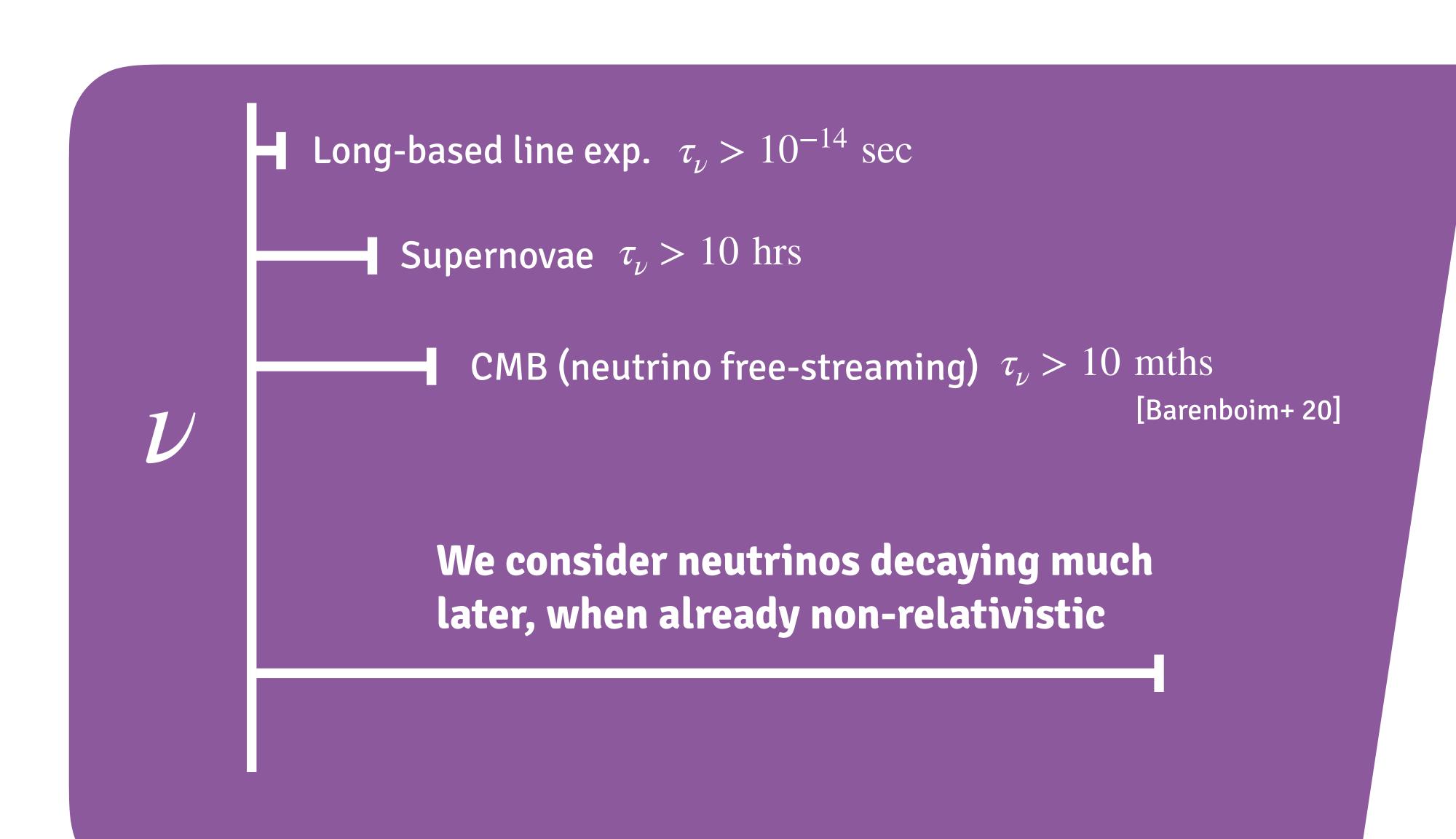
Appears naturally in many neutrino mass models

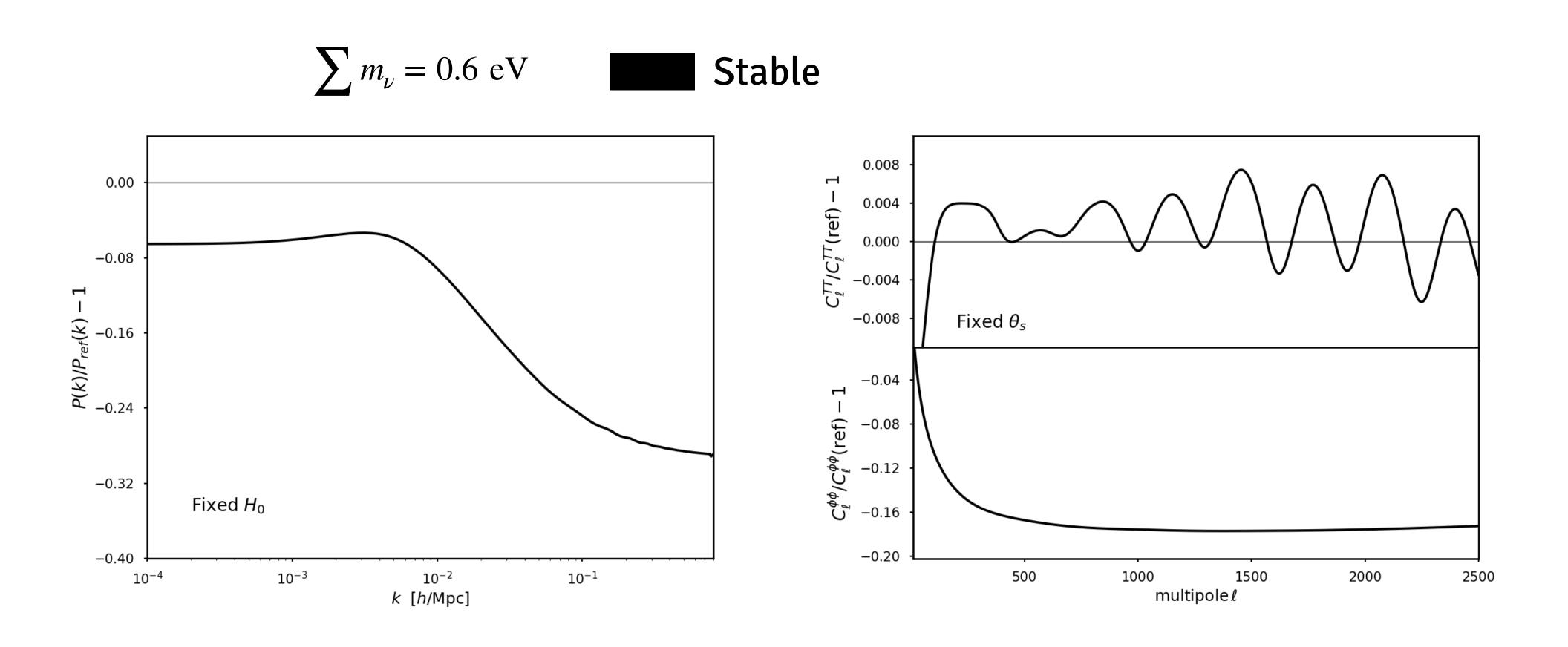
[Escudero+ 20]

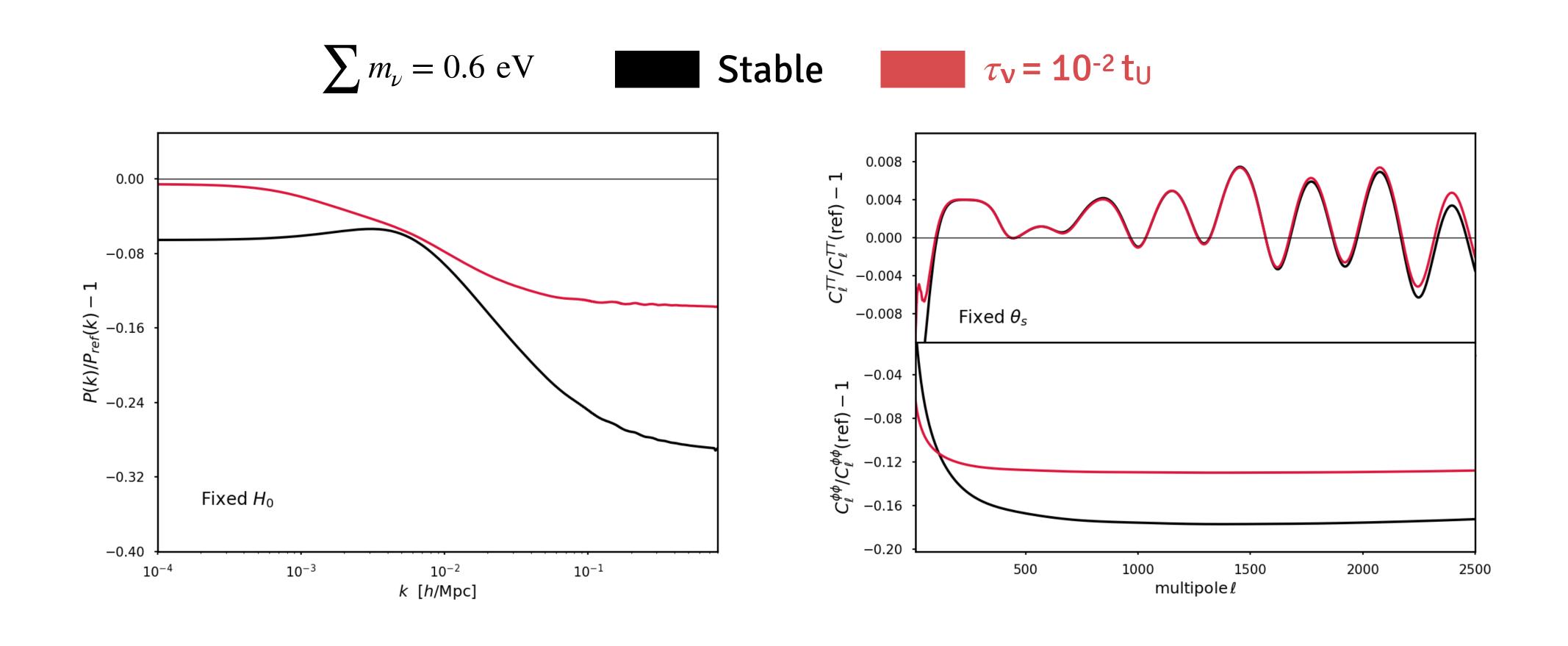
Lifetime bounds on invisible neutrino decays

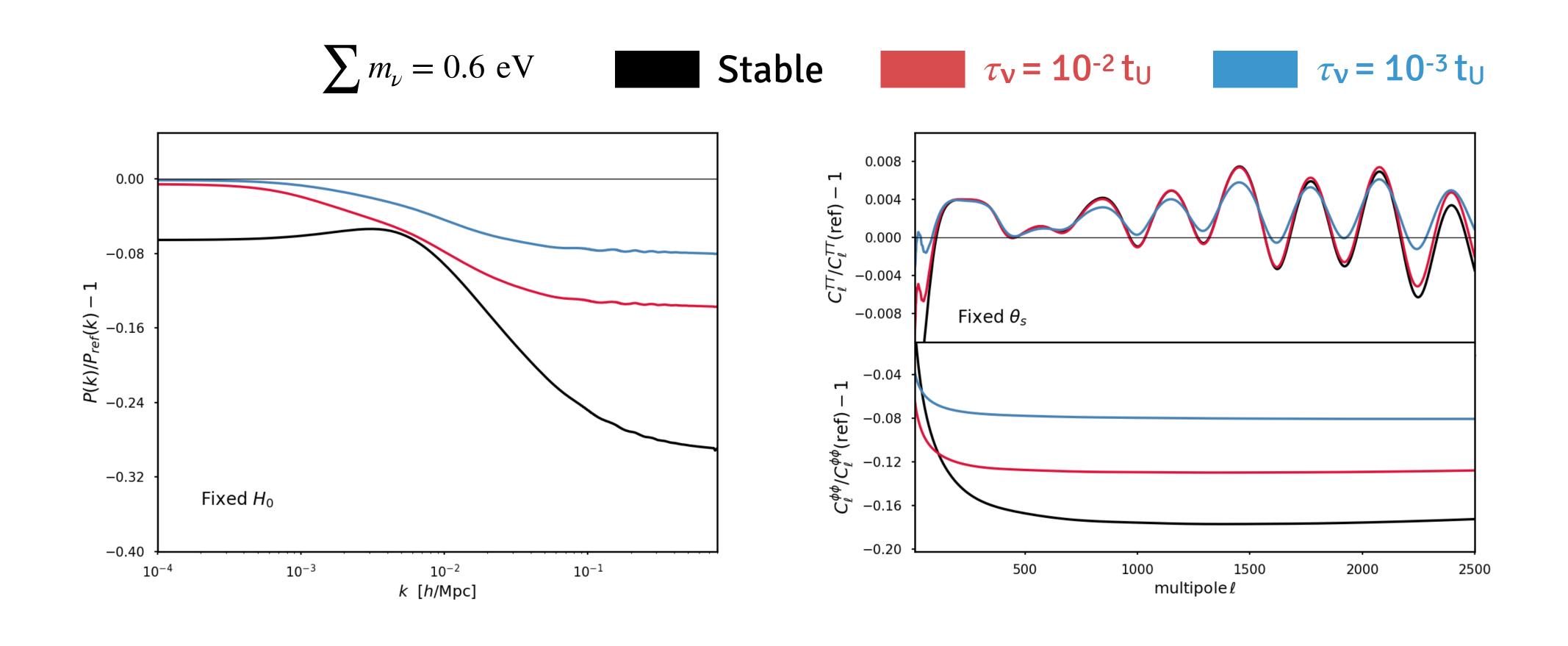


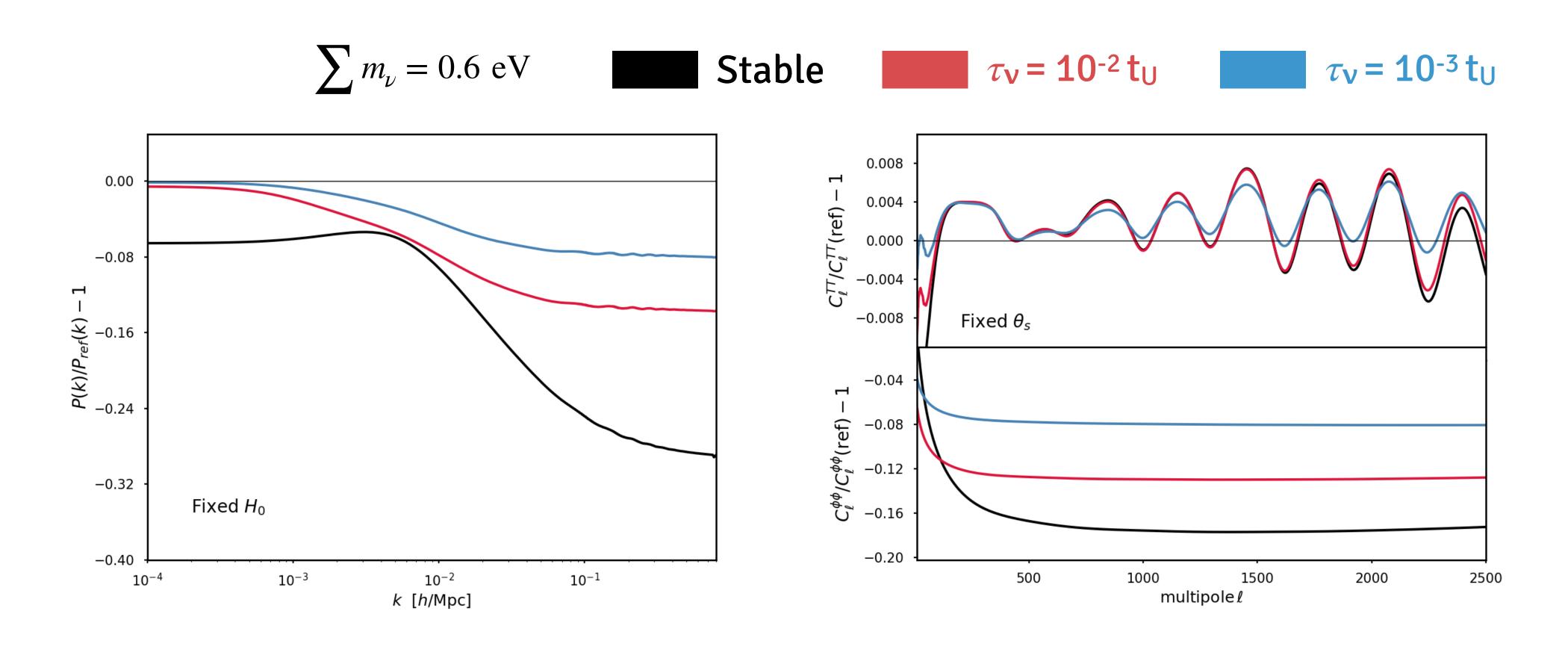
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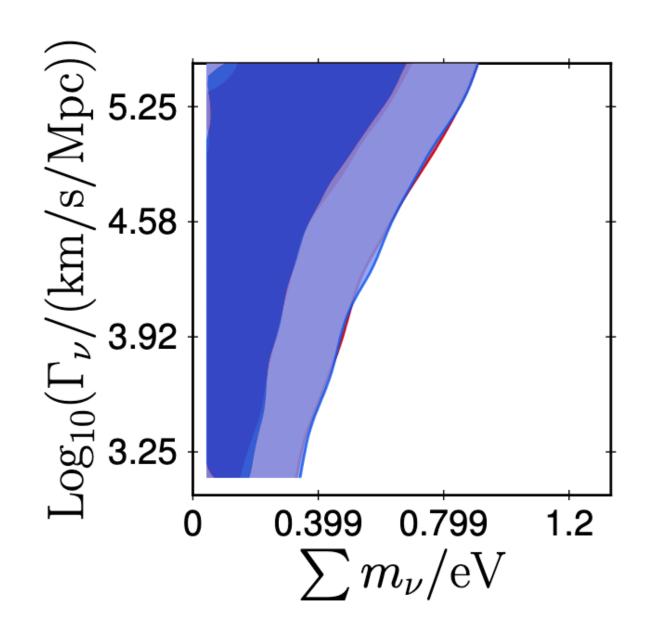




This m_V - Γ_V degeneracy can be exploited to relax neutrino mass bounds

Decaying neutrinos can relax mass bounds up to $\sum m_{\nu} < 0.9 \text{ eV}$ reconciling cosmic observations with a potential signal at KATRIN

Planck15 + BAO + SNIa:



[Chacko+ 19]

Improvement of the m_v - Γ_v bounds

Ameliorate Boltzmann treatment

Update data from Planck15 to Planck18

Approx. background p.s.d. for neutrinos

$$\bar{f}_{\nu}(q,\tau) \simeq \bar{f}_{\rm ini}(q)e^{-\Gamma_{\nu}t/\gamma}$$

Collision terms in DR hierarchy only included at ℓ=0

$$F'_{dr,0} = \dots + C_0,$$

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Old Boltzmann treatment New Boltzmann treatment

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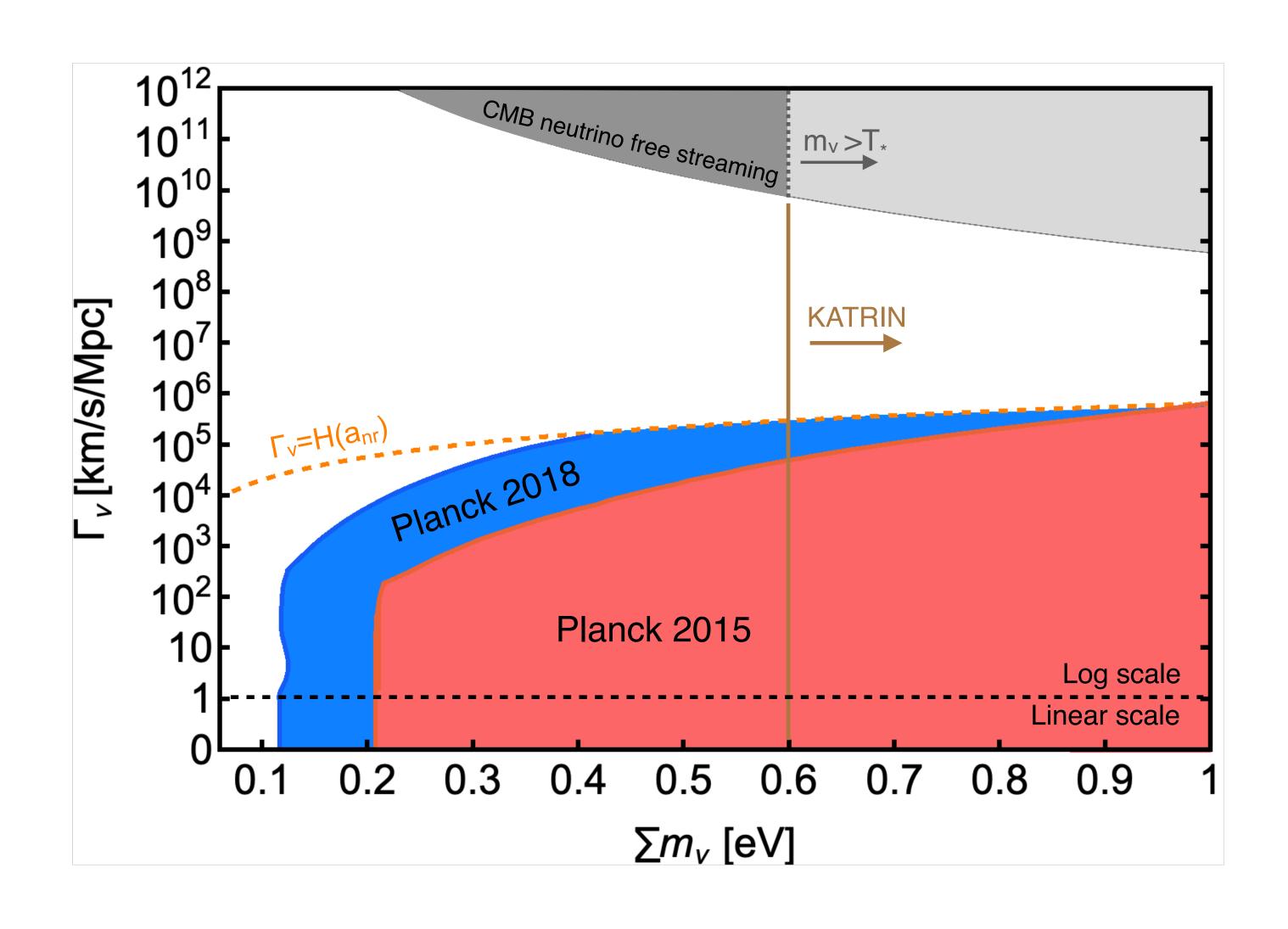
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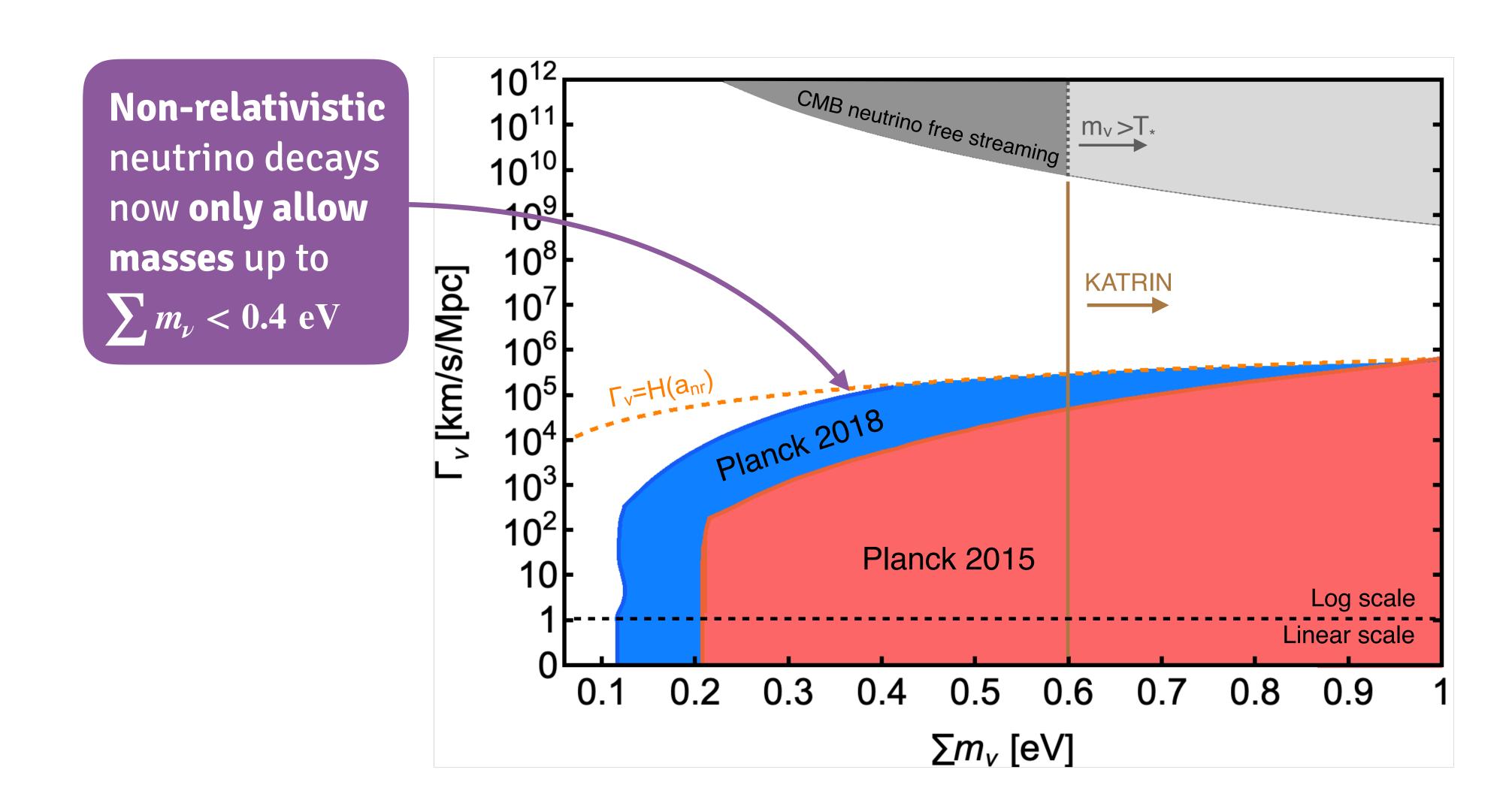
$$F'_{\mathrm{dr},\ell>2} = \ldots + C_{\ell}$$

New corrections are relevant for semi-relativistic decays, and will be important for future experiments

Updated bounds with Planck18 + BAO + SNIa

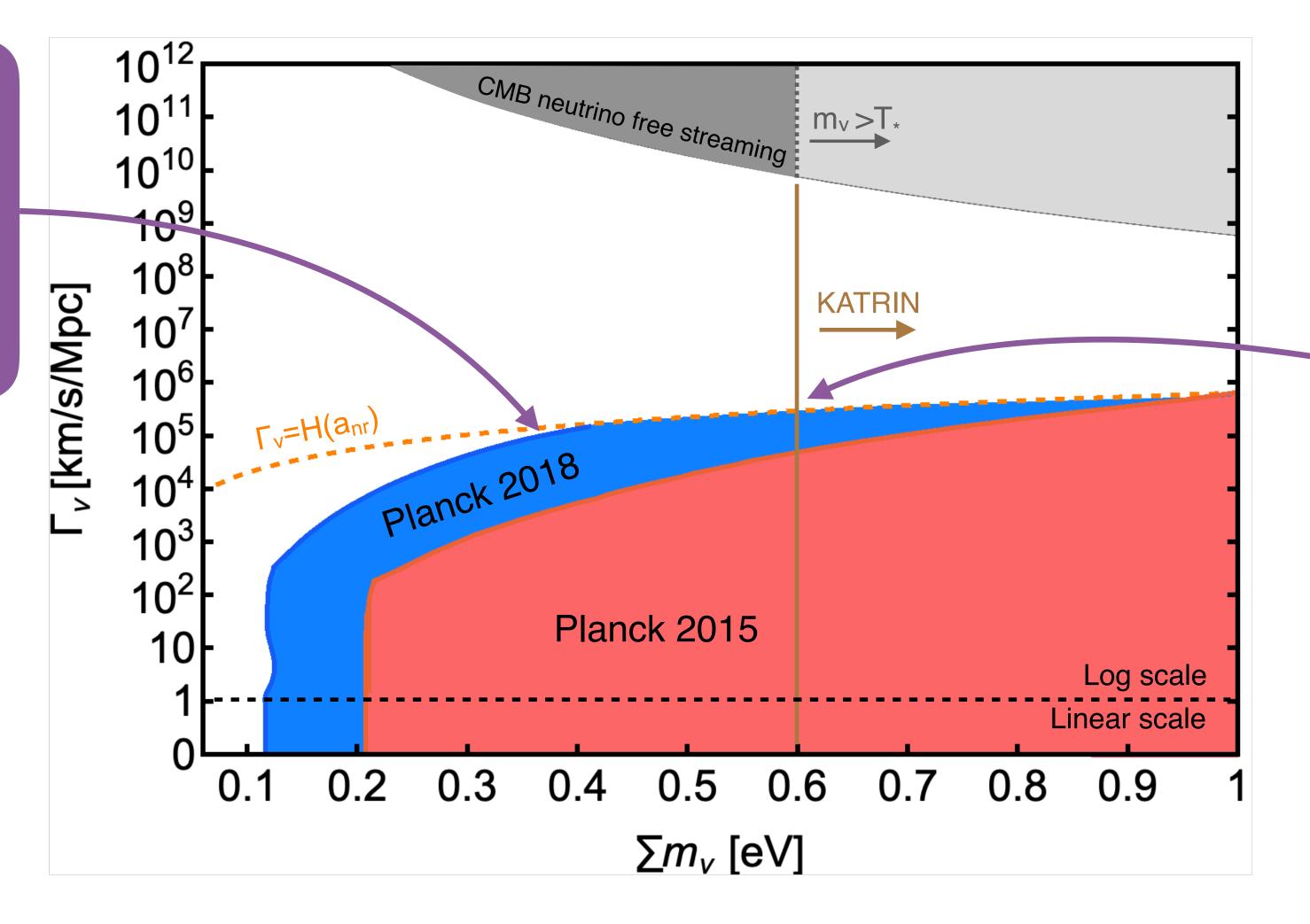


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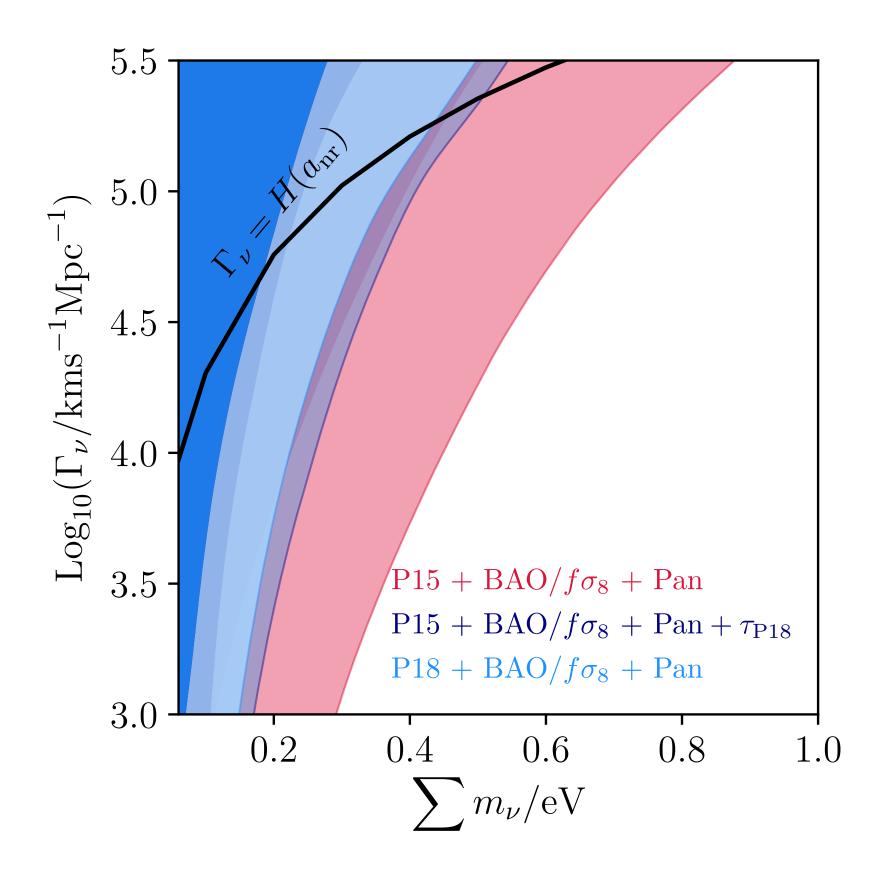
Non-relativistic neutrino decays now only allow masses up to $\sum m_{\nu} < 0.4 \text{ eV}$



For recovering compatibility with KATRIN, we need to go out of our regime of validity

Why has the bound tighten so much?

The more precise EE data from Planck18 allows for a better determination of τ_{reio}, and hence of A_s, breaking the degeneracy arising from large m_ν on the amplitude of the CMB lensing spectrum



Prospects for neutrino decay

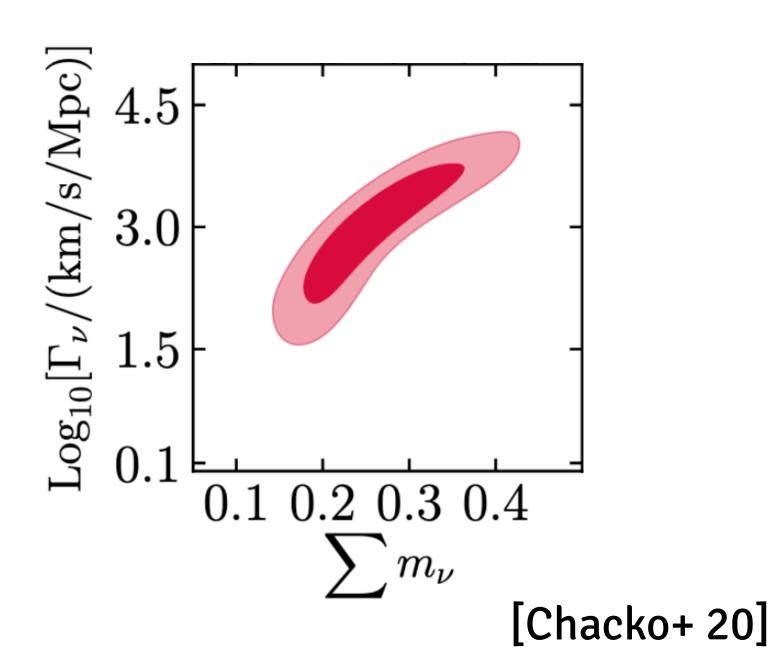
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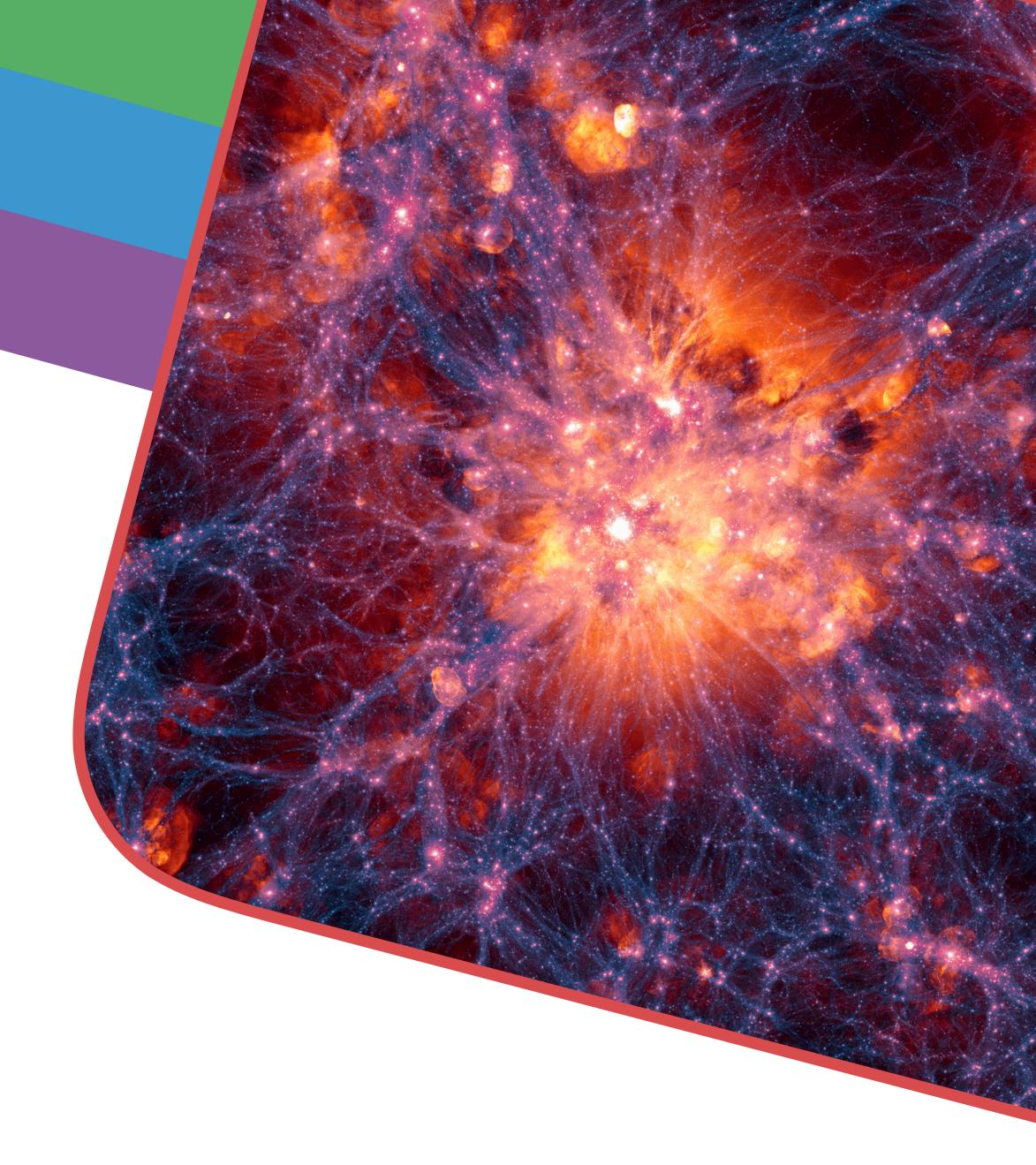
to confirm whether decaying neutrinos can reconcile cosmic and laboratory measurements

Future tomographic measurements of P(k) by Euclid or SKA will allow an independent determination of the neutrino mass and lifetime

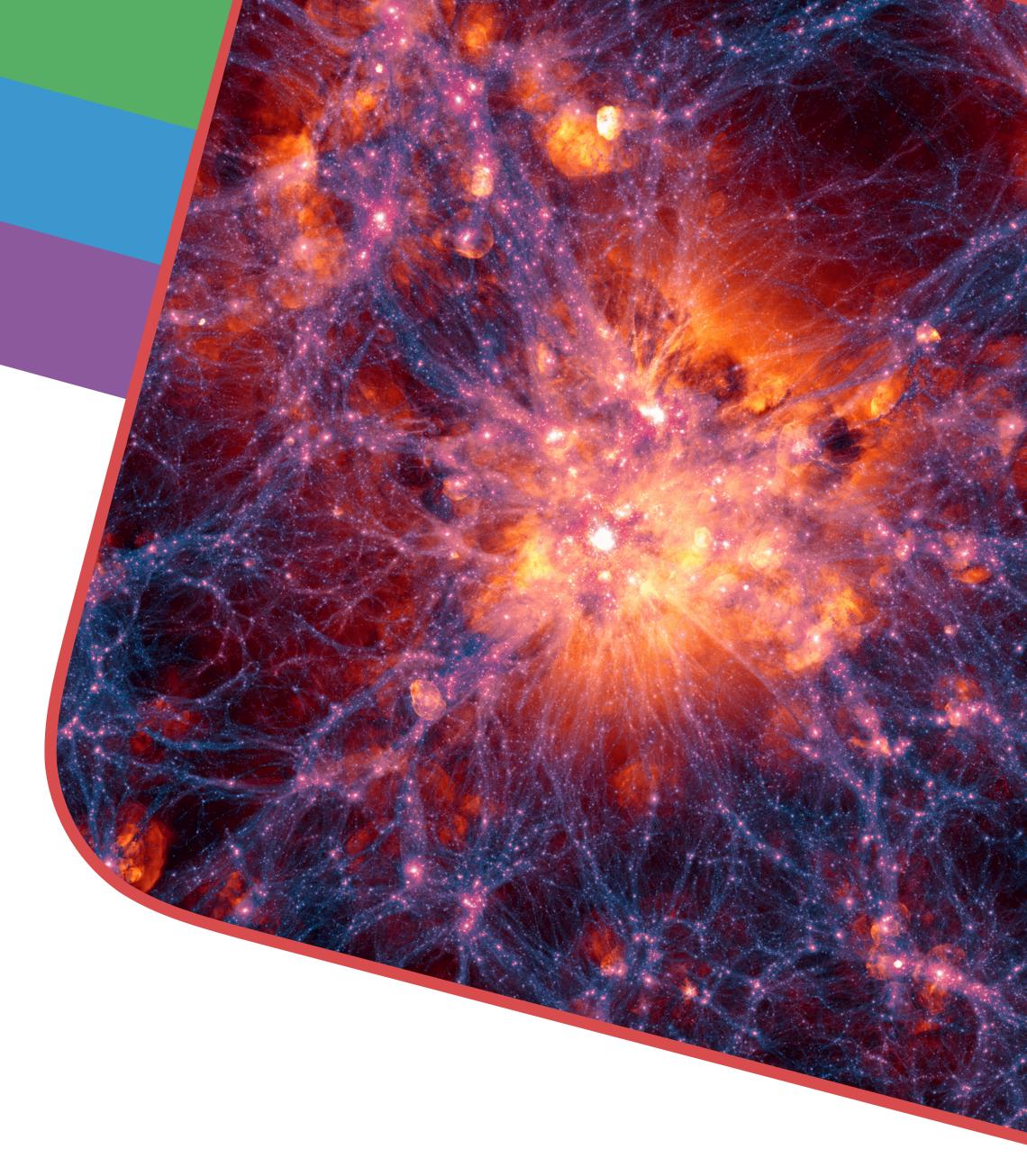
Planck + Euclid forecast



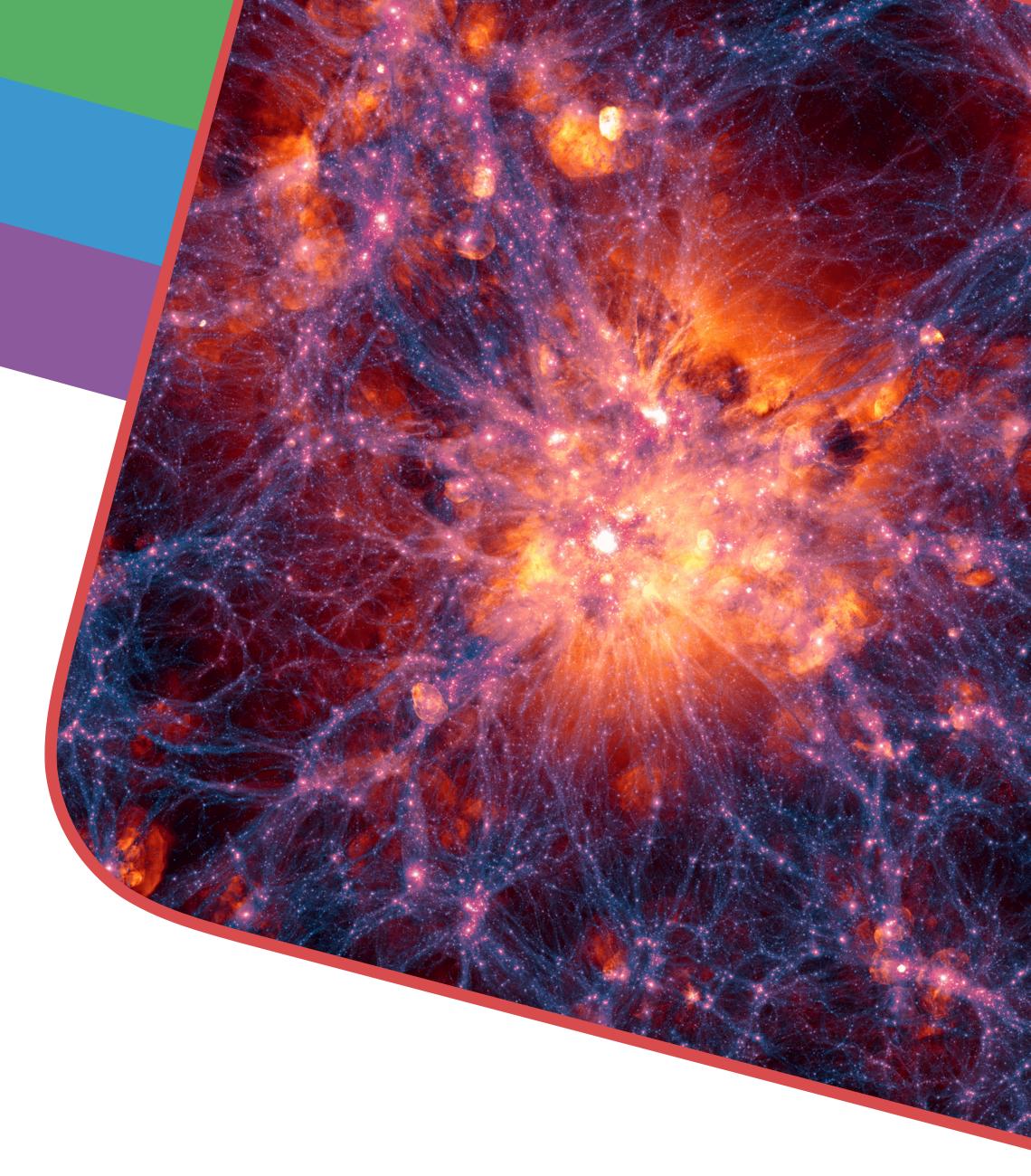
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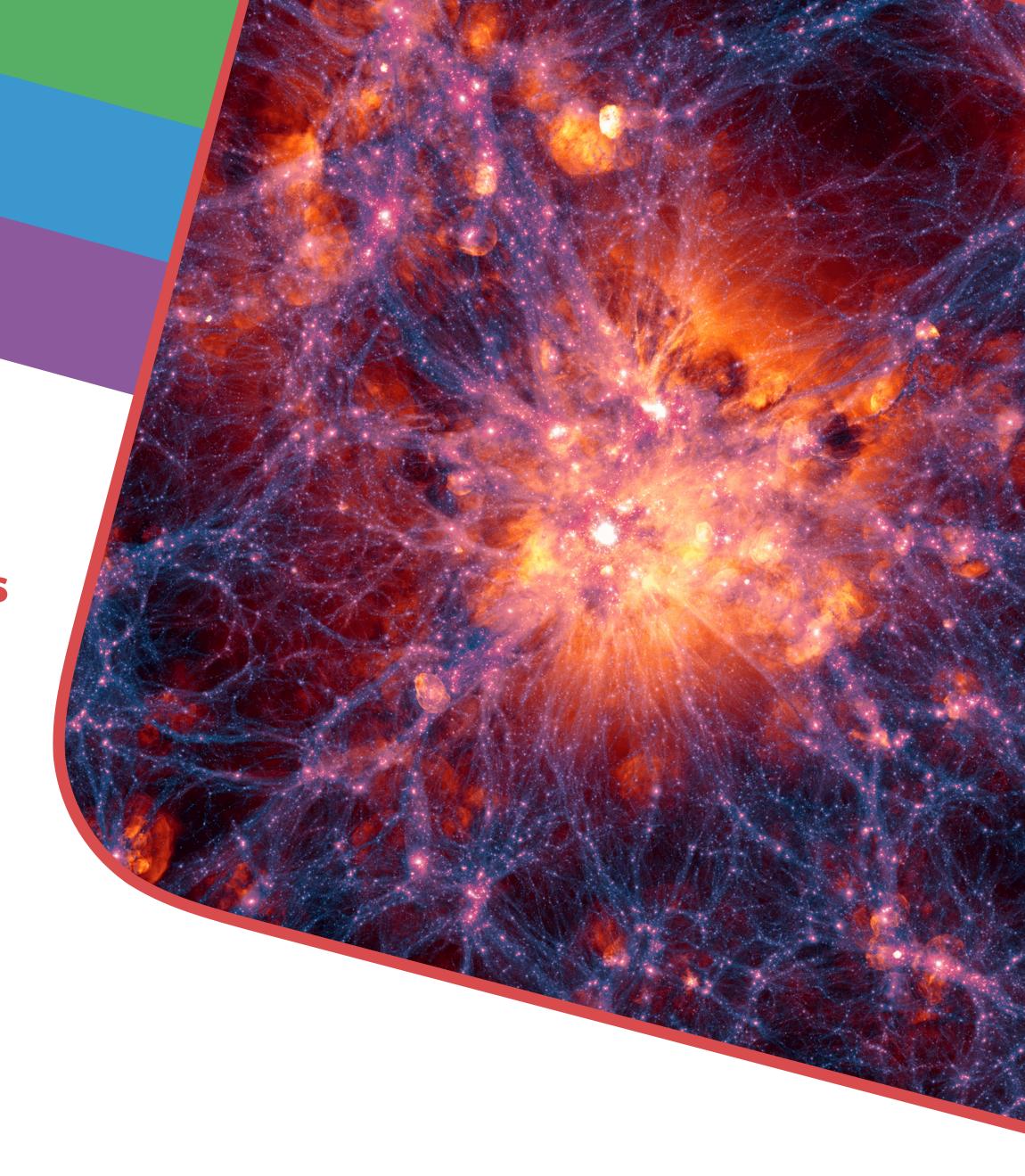
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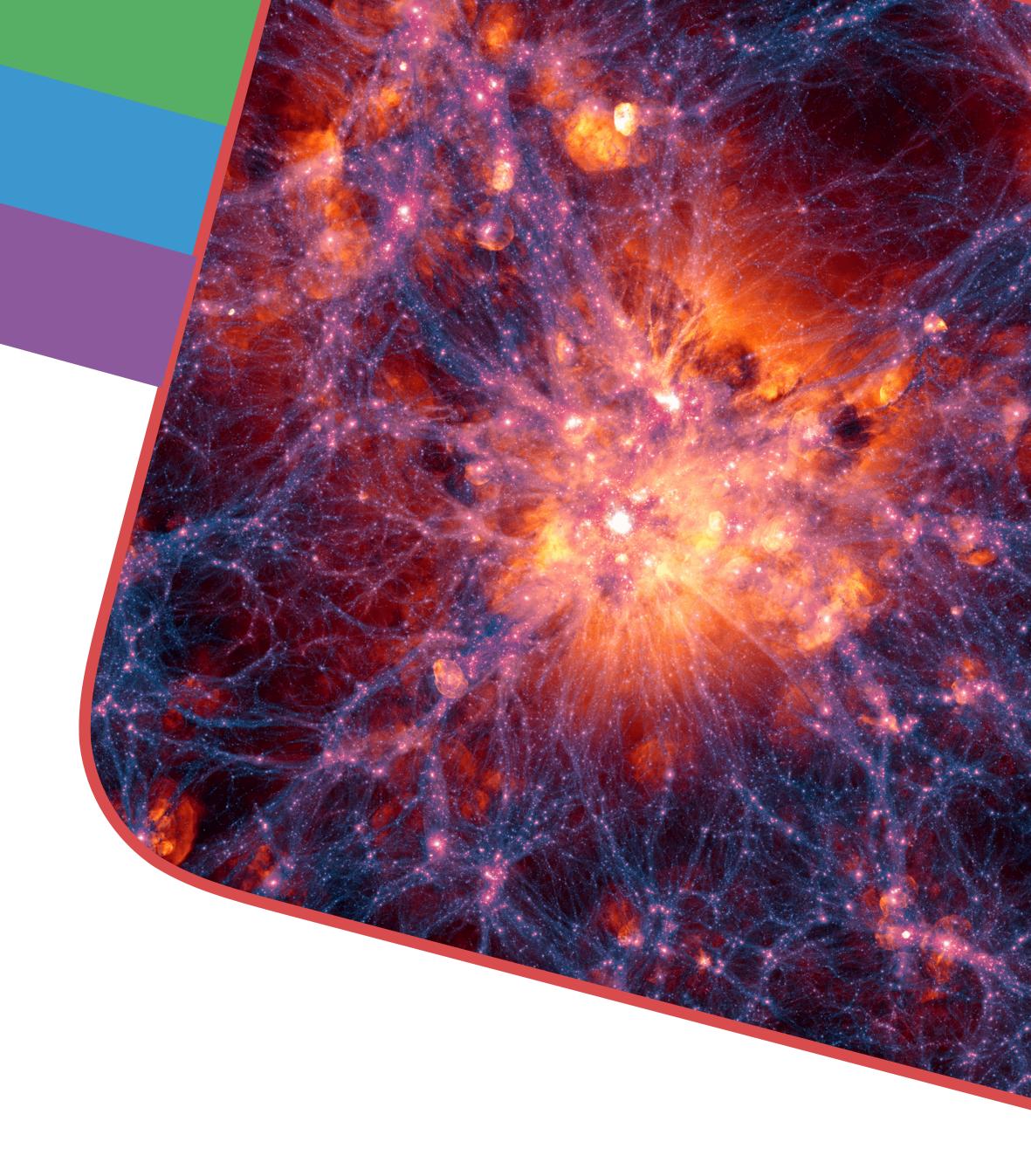


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- Future accurate CMB and LSS data will be able to capture the signature of these scenarios



THANKS FOR YOUR ATTENTION

guillermo.franco-abellan@umontpellier.fr



BACK-UP

Late-time solutions are disfavored by low-redshift data

SNIa data

$$m_b(z) = M_b + 25 + \log_{10}D_L(z)$$

$$\longrightarrow D_L(z)$$

$$M_b$$

BAO data

$$\theta_d(z)^{\parallel} = r_s(z_{\mathrm{drag}})H(z), \qquad \theta_d(z)^{\perp} = \frac{r_s(z_{\mathrm{drag}})}{D_A(z)} \qquad \xrightarrow{Pl18-\Lambda \mathrm{CDM}} \qquad D_A(z)$$

Late-time solutions are disfavored by low-redshift data

SNIa data

$$m_b(z) = M_b + 25 + \log_{10}D_L(z)$$

SHOES
$$\longrightarrow D_L(z)$$

$$M_b$$

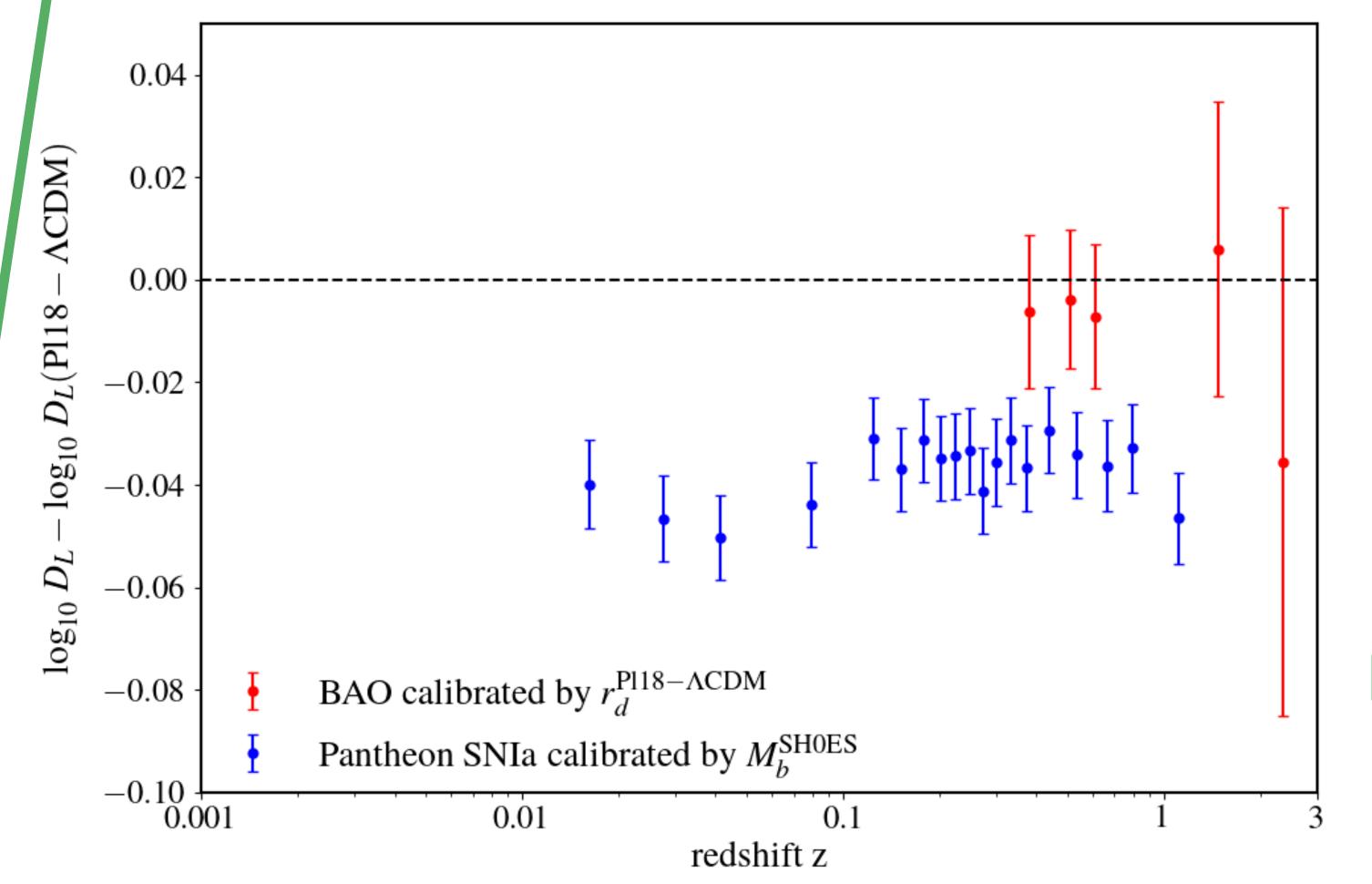
BAO data

$$\theta_d(z)^{\parallel} = r_s(z_{\mathrm{drag}})H(z), \qquad \theta_d(z)^{\perp} = \frac{r_s(z_{\mathrm{drag}})}{D_A(z)} \qquad \xrightarrow{Pl18-\Lambda \mathrm{CDM}} D_A(z)$$

But both distances are related!

$$D_L(z) = (1+z)^2 D_A(z)$$

Late-time solutions are disfavored by low-redshift data



SNIa and BAO distances are in disagreement

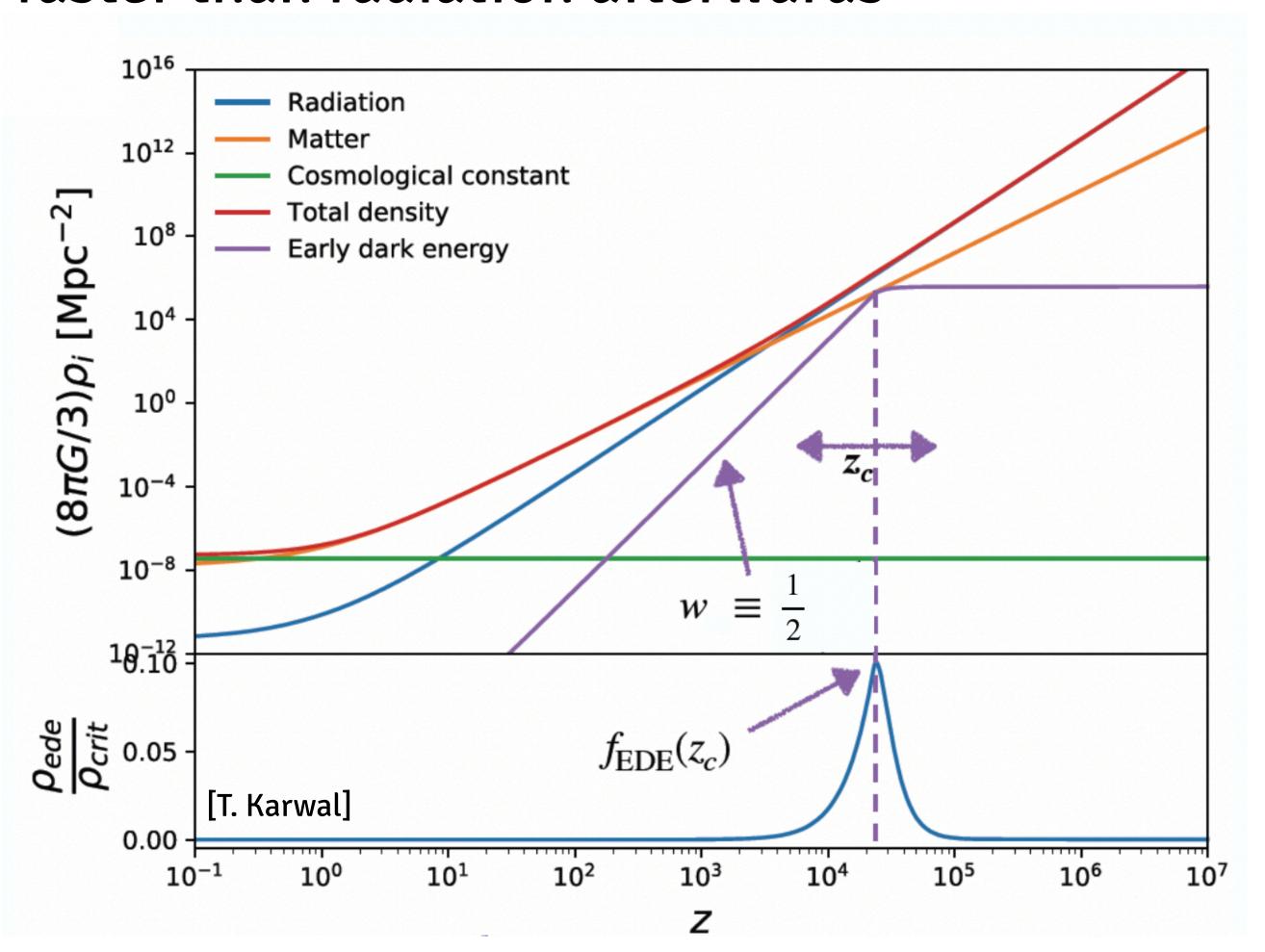
Need to lower rd

$V(\phi)$ ϕ/f

$$V(\phi) = m^2 f^2 \left[1 - \cos\left(\frac{\phi}{f}\right) \right]^3$$

Early Dark Energy (EDE)

Scalar field initially frozen, dilutes faster than radiation afterwards



$V(\phi)$ ϕ/f

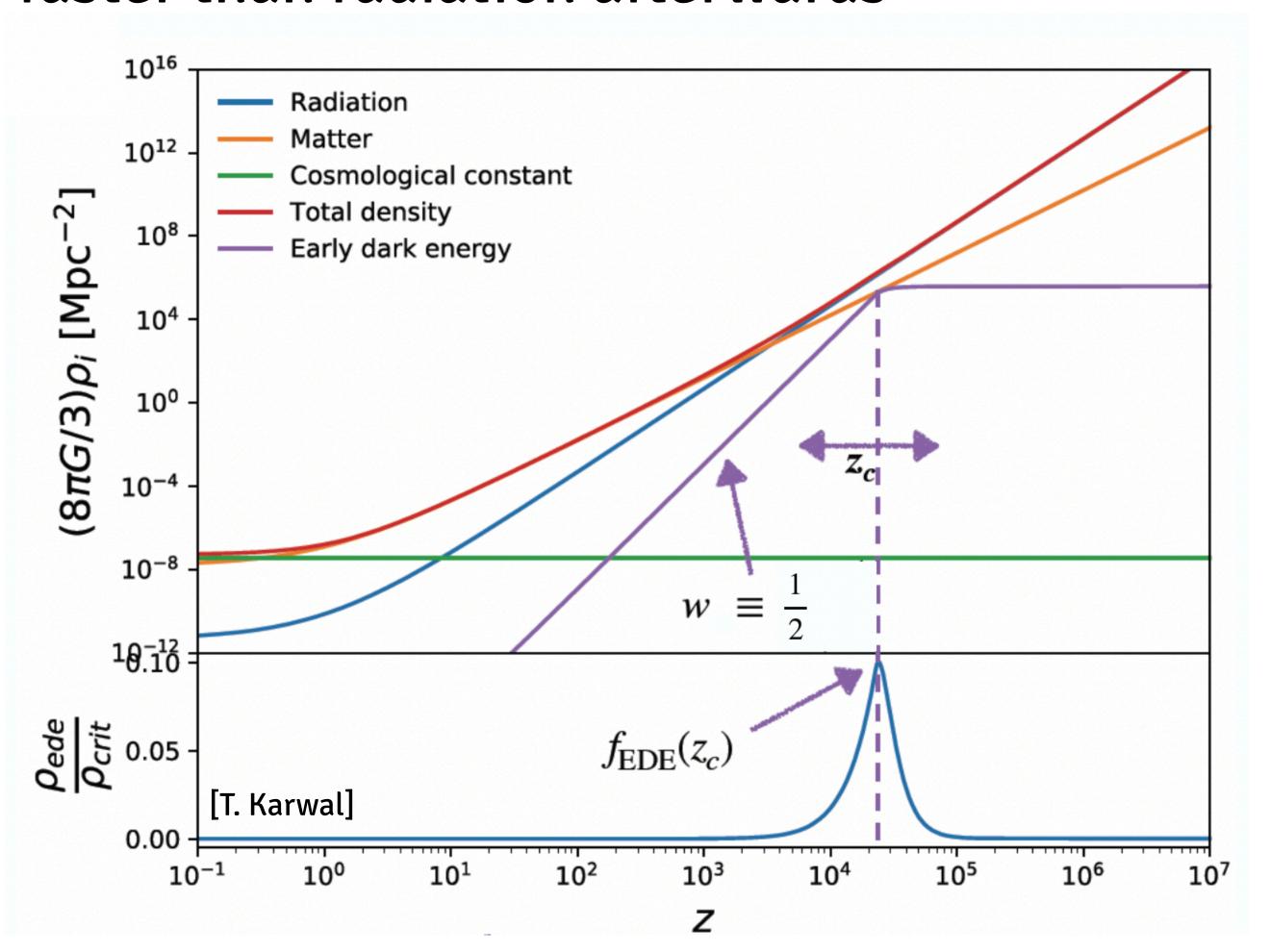
$$V(\phi) = m^2 f^2 \left[1 - \cos\left(\frac{\phi}{f}\right) \right]^3$$

3 extra parameters:

$$f_{\text{EDE}}(z_c)$$
 z_c ϕ_i m f

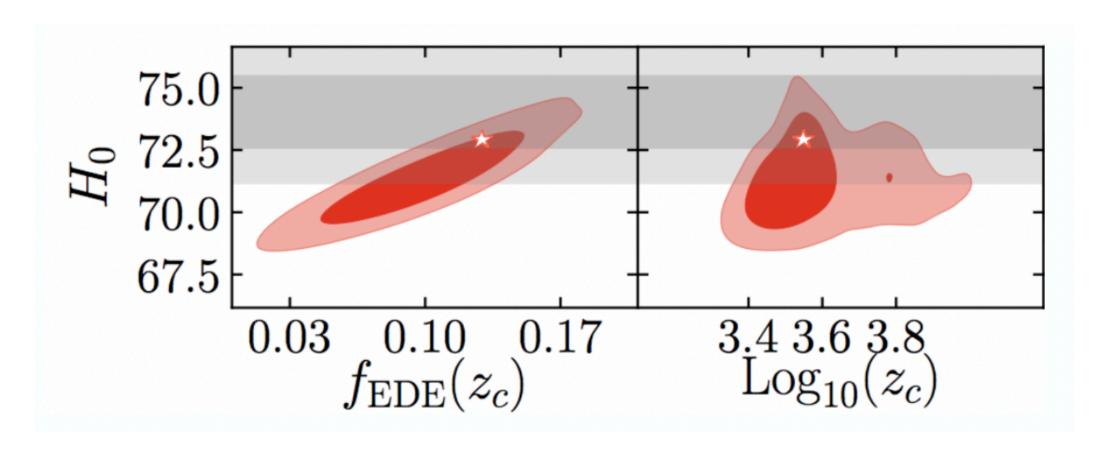
Early Dark Energy (EDE)

Scalar field initially frozen, dilutes faster than radiation afterwards



Early Dark Energy can resolve the Hubble tension if it contributes $f_{\rm EDE}(z_c) \sim 10\,\%$ around $z_c \sim z_{\rm eq}$

Planck15 + BAO + SNIa + SH0ES:



[Poulin+ 18] [Smith+ 19] "Because of the increase in S₈, LSS data severely constrains EDE"

"EDE is not detected from Planck data alone"

[Hill+ 20]
[D'amico+ 20]
[Ivanov+ 20]

[Murgia, GFA, Poulin 2020 arXiv:2009.10733]

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---- Is EDE solution ruled-out?

[Murgia, GFA, Poulin 2020 arXiv:2009.10733]

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---- Is EDE solution ruled-out?

No, EDE solution is still robust

[Murgia, GFA, Poulin 2020 arXiv:2009.10733]

Model independent treatment of SH0ES data

The cosmic distance ladder method doesn't directly measure H₀

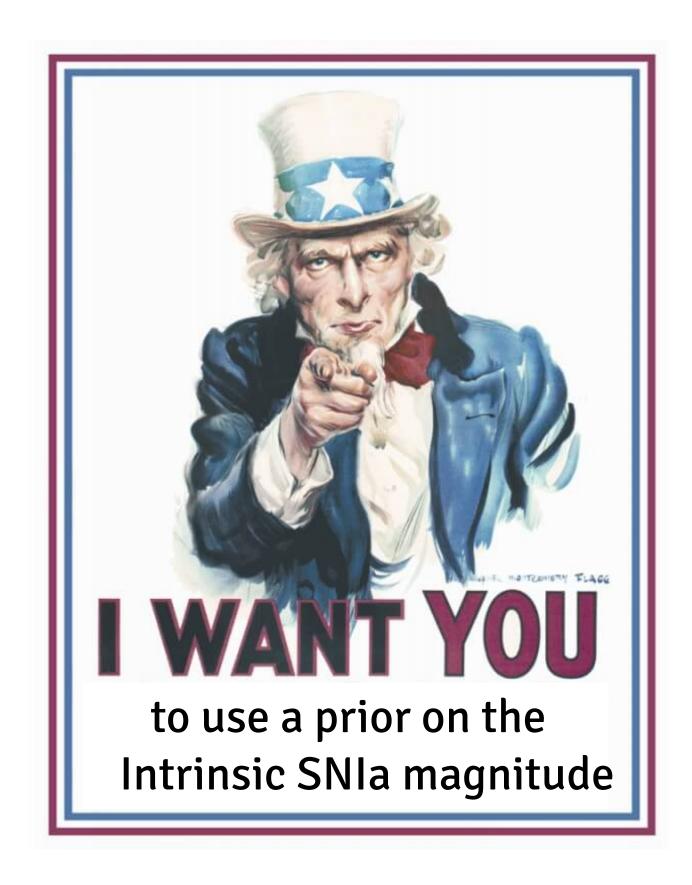
It directly measures the intrinsic magnitude of SNIa M_b at redshifts 0.02 < z < 0.15, and then obtains H_0 by comparing with the apparent SNIa magnitudes m [Efstathiou+ 21]

$$m(z) = M_b + 25 - 5\text{Log}_{10}H_0 + 5\text{Log}_{10}(\hat{D}_L(z))$$

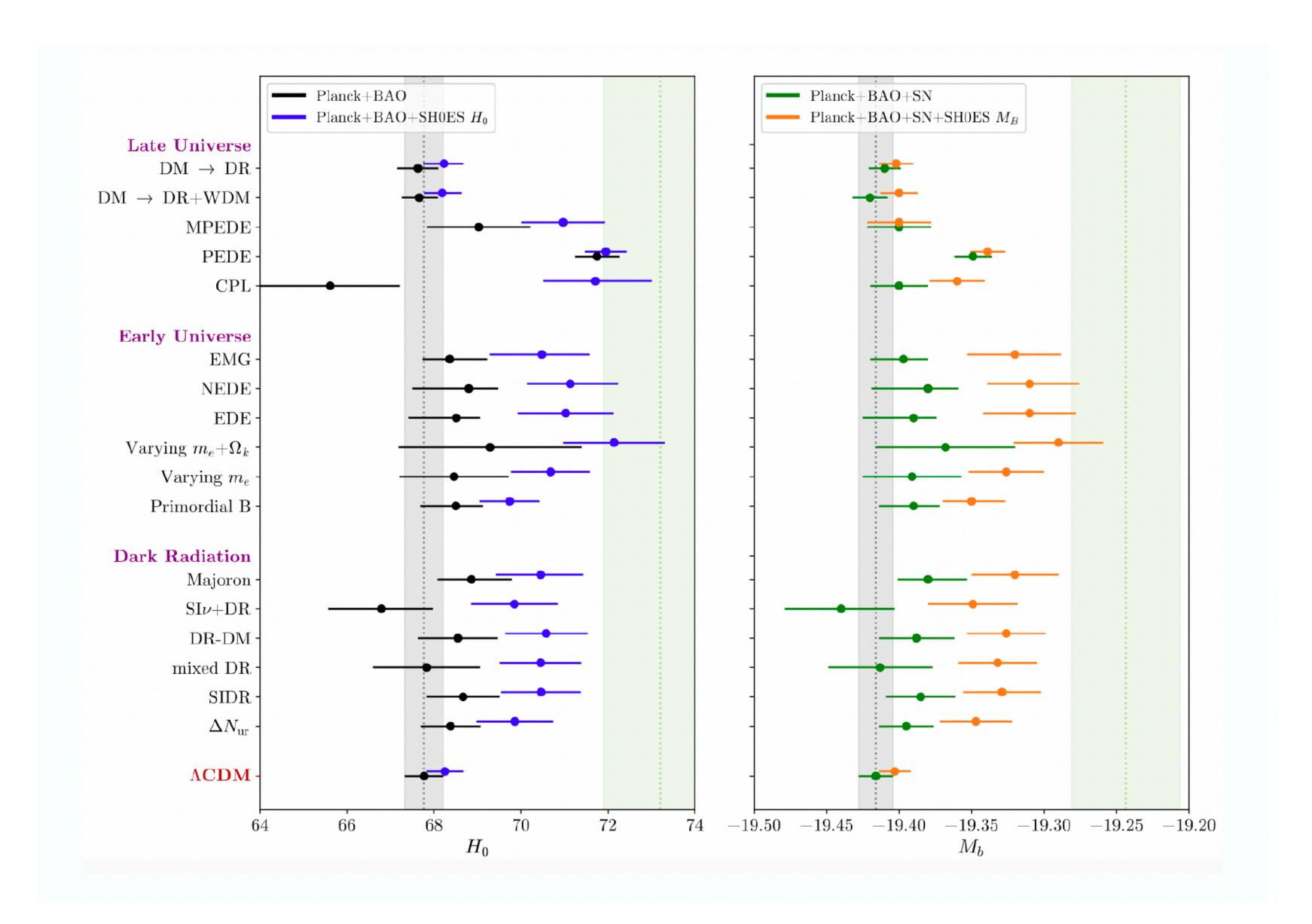
where

$$\hat{D}_L(z) \simeq z \left(1 + (1 - q_0) \frac{z}{2} - \frac{1}{6} (1 - q_0 - 3q_0^2 + j_0) z^2 \right)$$

Depends on the model!



Reconstructed values of H₀



Ho olympics: testing against other datasets

Role of Planck data: We replaced Planck by WMAP+ACT and BBN+BAO

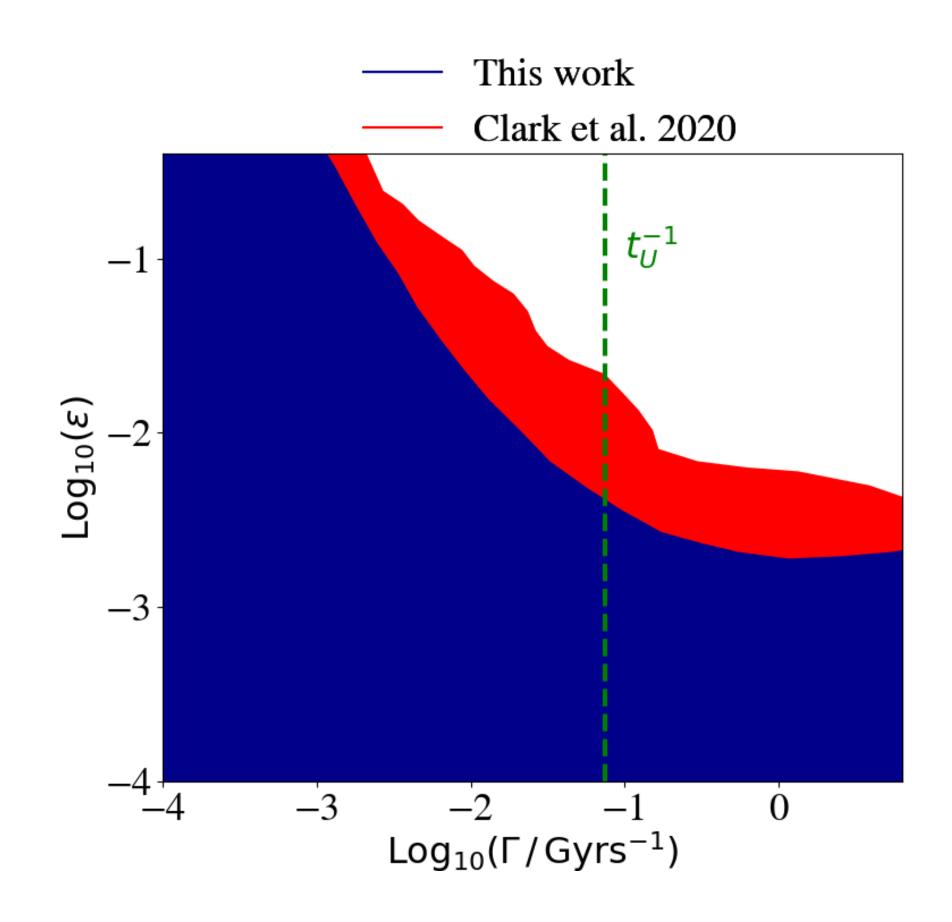
No significant changes (notable exceptions are EDE and NEDE)

Adding extra datasets: We included data from Cosmic Chronometers, Redshift-Space-Distortions and BAO Ly- α .

No huge impact, but decreases performance of finalist models

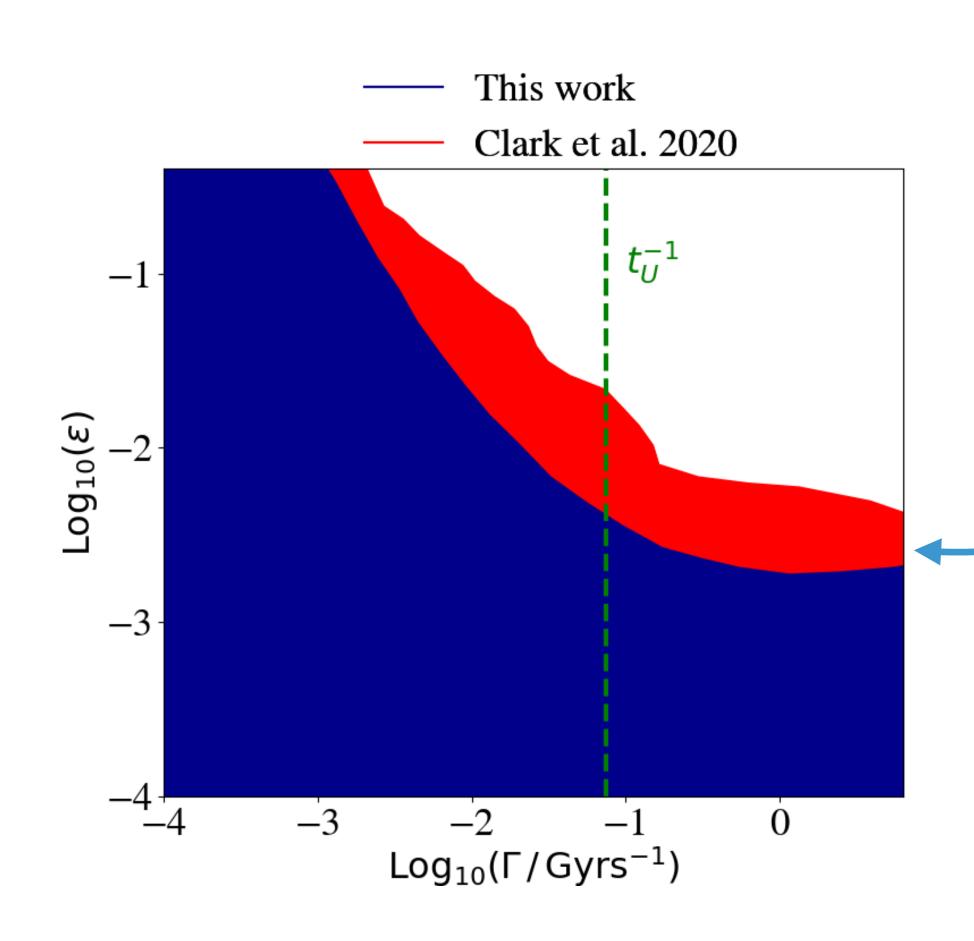
General constraints

Planck18 + BAO + SNIa:



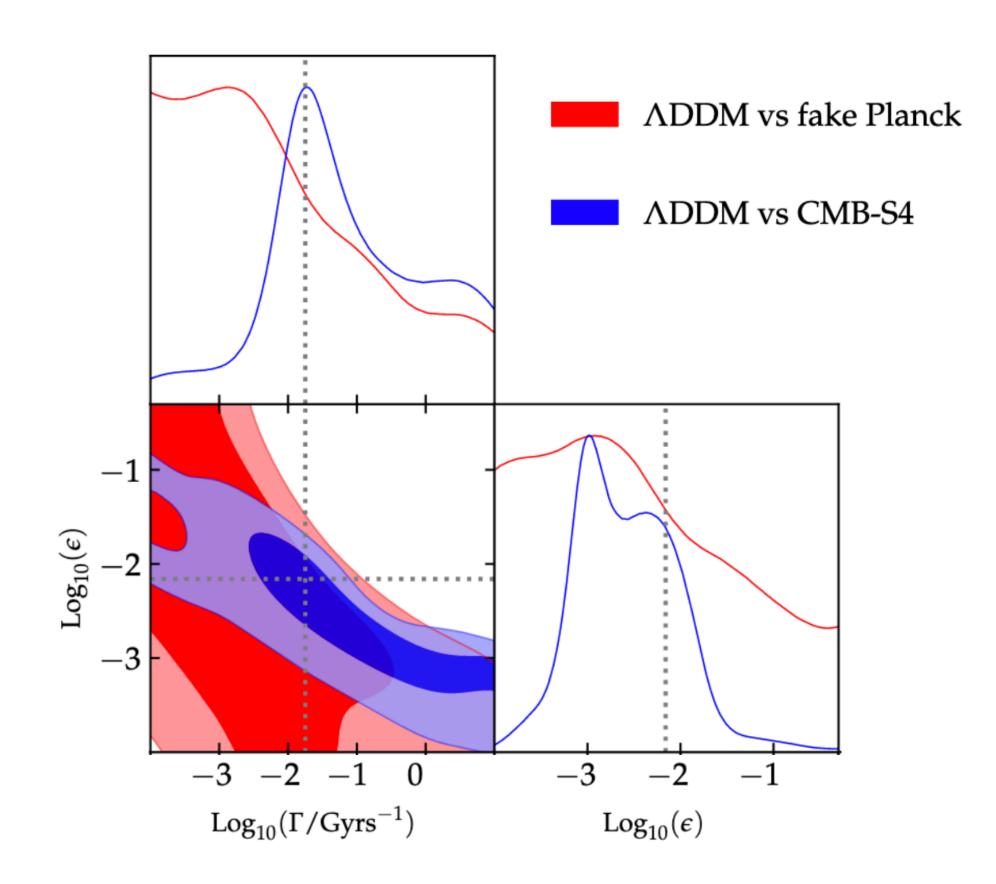
General constraints

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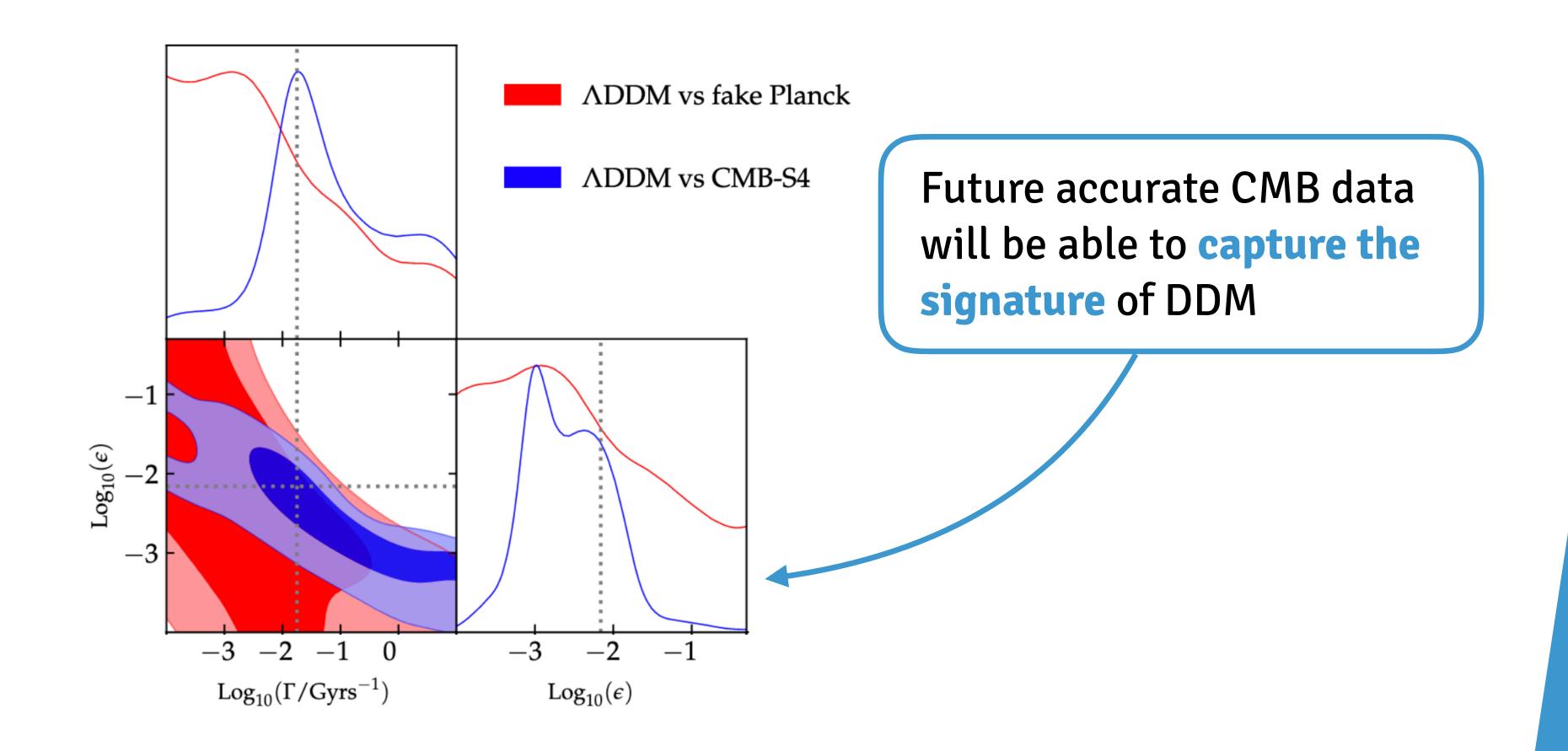


Constraints up to 1 order of magnitude stronger than former works due to the inclusion of WDM perts.

CMB forecast for DDM



CMB forecast for DDM



Interesting implications

Model building

Why $\epsilon << 1/2$, i.e. $m_{wdm} \sim m_{dm}$? Ex: Supergravity [Choi+ 21]

Interesting implications

Model building

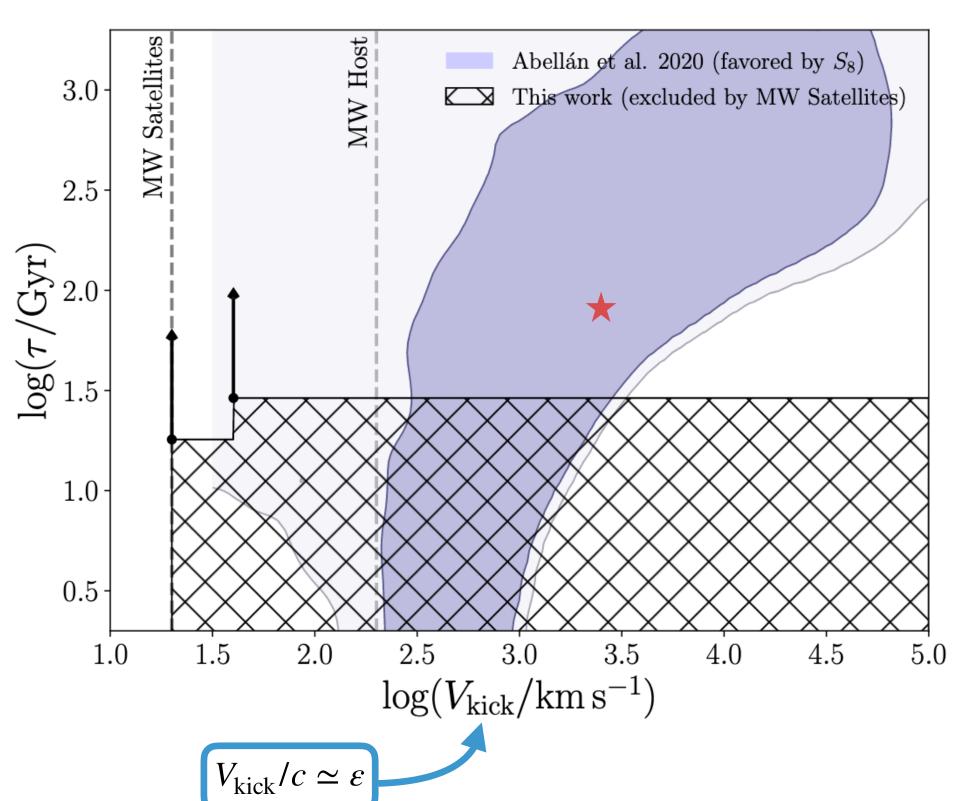
Why $\epsilon << 1/2$, i.e. $m_{wdm} \sim m_{dm}$?

Ex: Supergravity

[Choi+ 21]

Reduction in the abundance of subhalos, can be constrained by observations of MW satellites

[DES 22]



The full Boltzmann hierarchy

$$f(q, k, \mu, \tau) = \overline{f}(q, \tau) + \delta f(q, k, \mu, \tau)$$

Expand δf in multipoles. The Boltzmann eq. leads to the following hierarchy (in synchronous gauge comoving with the mother)

$$\frac{\partial}{\partial \tau} \left(\delta f_0 \right) = -\frac{\mathbf{q}k}{\mathbf{a}\mathbf{E}} \delta f_1 + q \frac{\partial \bar{f}}{\partial q} \frac{\dot{h}}{6} + \frac{\Gamma \bar{N}_{dm}(\tau)}{4\pi q^3 H} \delta(\tau - \tau_q) \delta_{dm},$$

$$\frac{\partial}{\partial \tau} \left(\delta f_1 \right) = \frac{\mathbf{q}k}{3\mathbf{a}\mathbf{E}} \left[\delta f_0 - 2\delta f_2 \right],$$

$$\frac{\partial}{\partial \tau} \left(\delta f_2 \right) = \frac{\mathbf{q}k}{5\mathbf{a}\mathbf{E}} \left[2\delta f_1 - 3\delta f_3 \right] - q \frac{\partial \bar{f}}{\partial q} \frac{(\dot{h} + 6\dot{\eta})}{15},$$

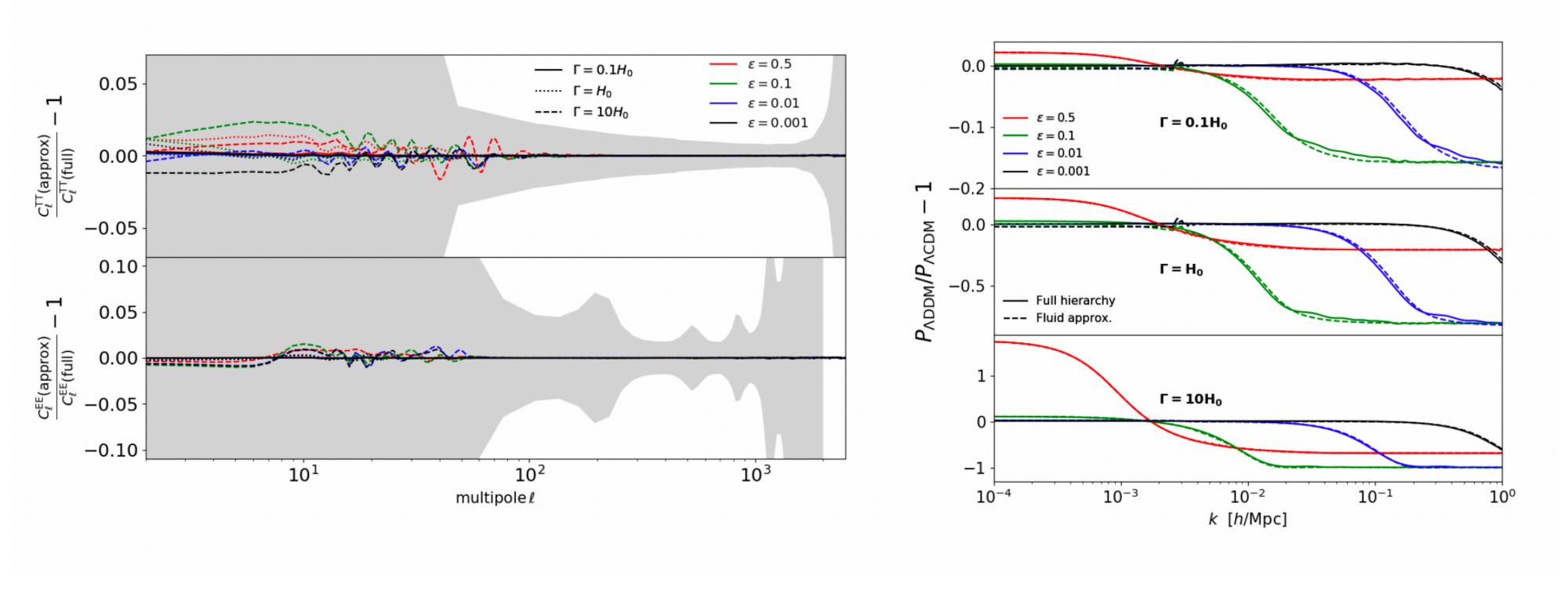
$$\frac{\partial}{\partial \tau} \left(\delta f_\ell \right) = \frac{\mathbf{q}k}{(2\ell + 1)\mathbf{a}\mathbf{E}} \left[\ell \delta f_{\ell-1} - (\ell + 1)\delta f_{\ell+1} \right] \qquad \text{(for } \ell \geq 3).$$

where $q = a(\tau_q)p_{\text{max}}$. In the relat. limit $\mathbf{q}/\mathbf{aE} = \mathbf{1}$, so one can take

$$F_{\ell} \equiv \frac{4\pi}{\rho_c} \int dq \ q^3 \delta f_{\ell}$$
 and integrate out the dependency on q

Checking the accuracy of the WDM fluid approx.

We compare the full Boltzmann hierarchy calculation with the WDM fluid approx.

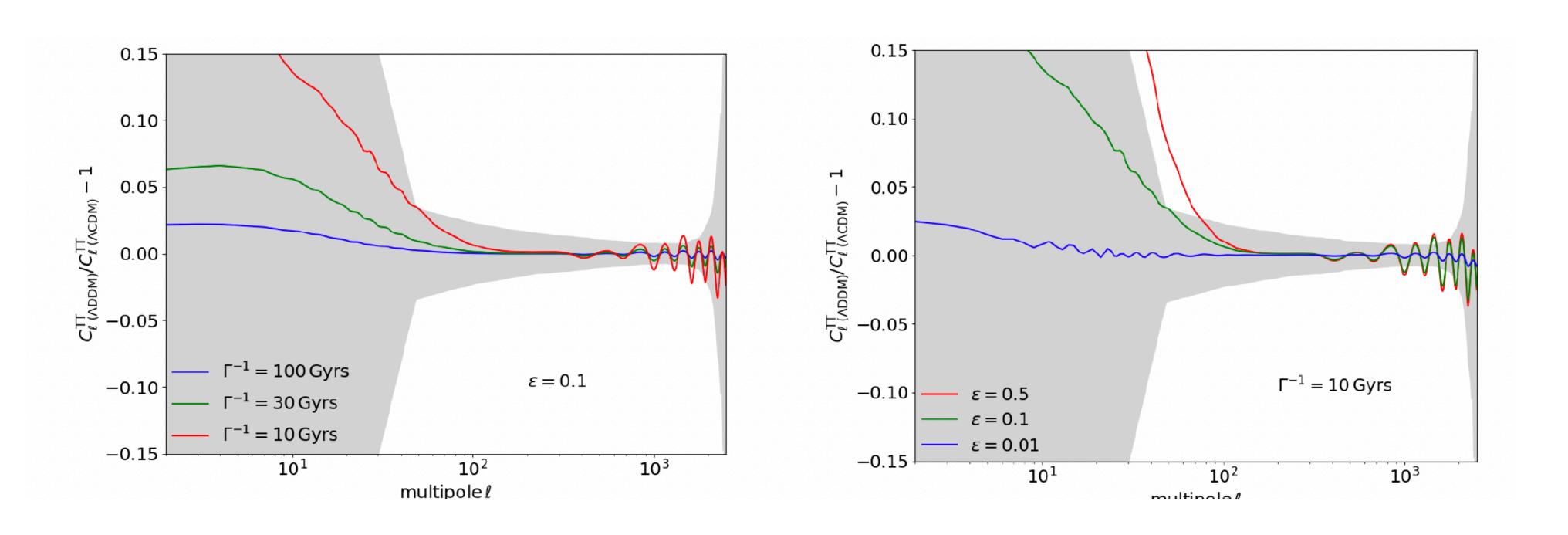


The max. error on S_8 is ~0.65 %, smaller than the ~1.8 % error of the measurement from BOSS+KiDS+2dfLenS

Impact of DDM on the CMB temperature spectrum

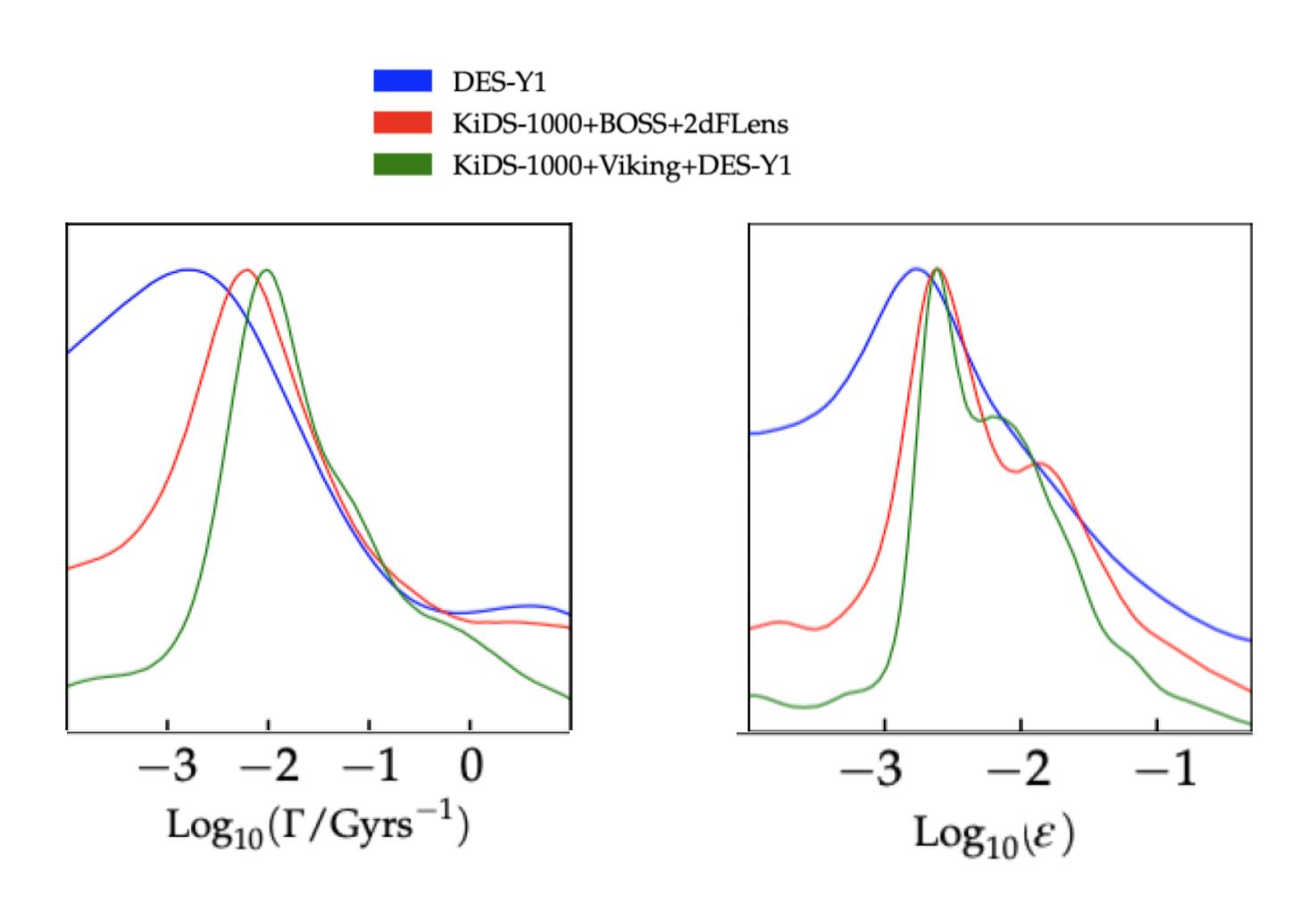
Low-*e*: enhanced Late Integrated Sachs Wolfe (LISW) effect

High-*e*: **suppressed** lensing (higher contrast between peaks)

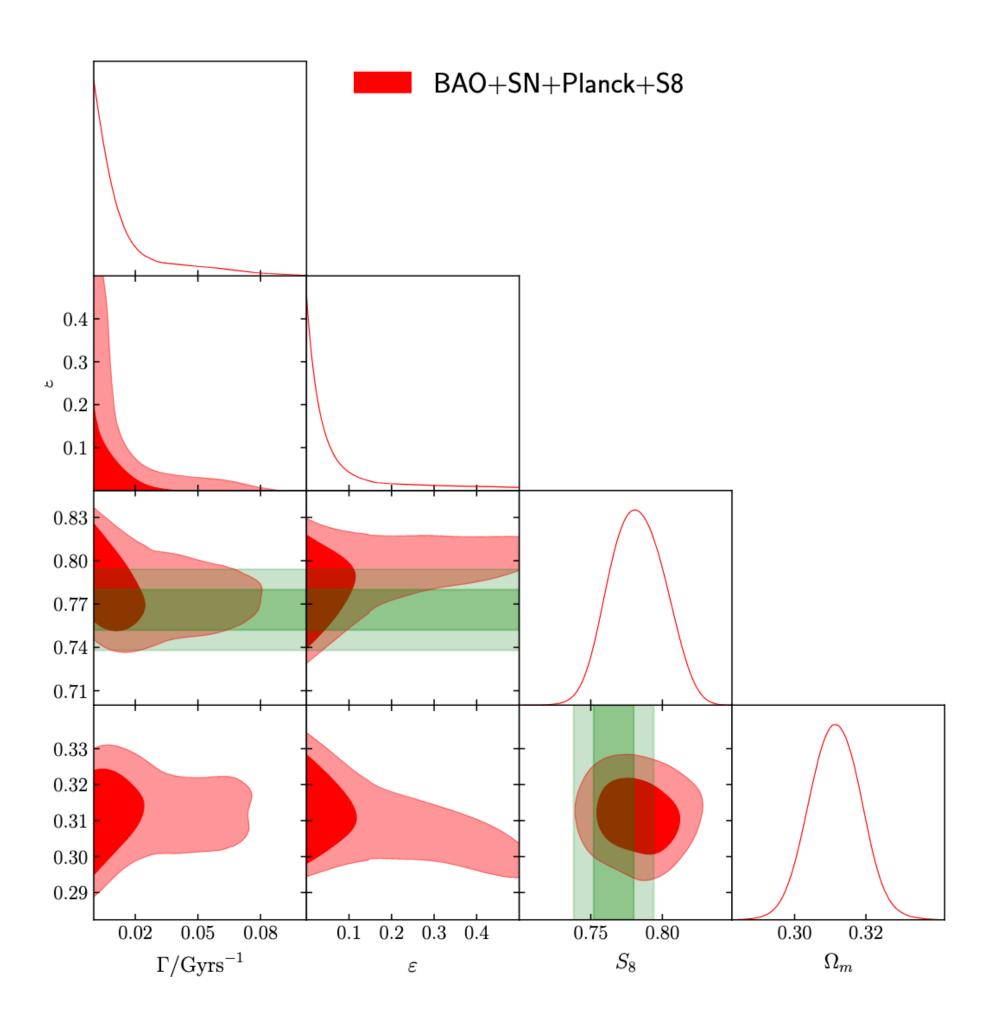


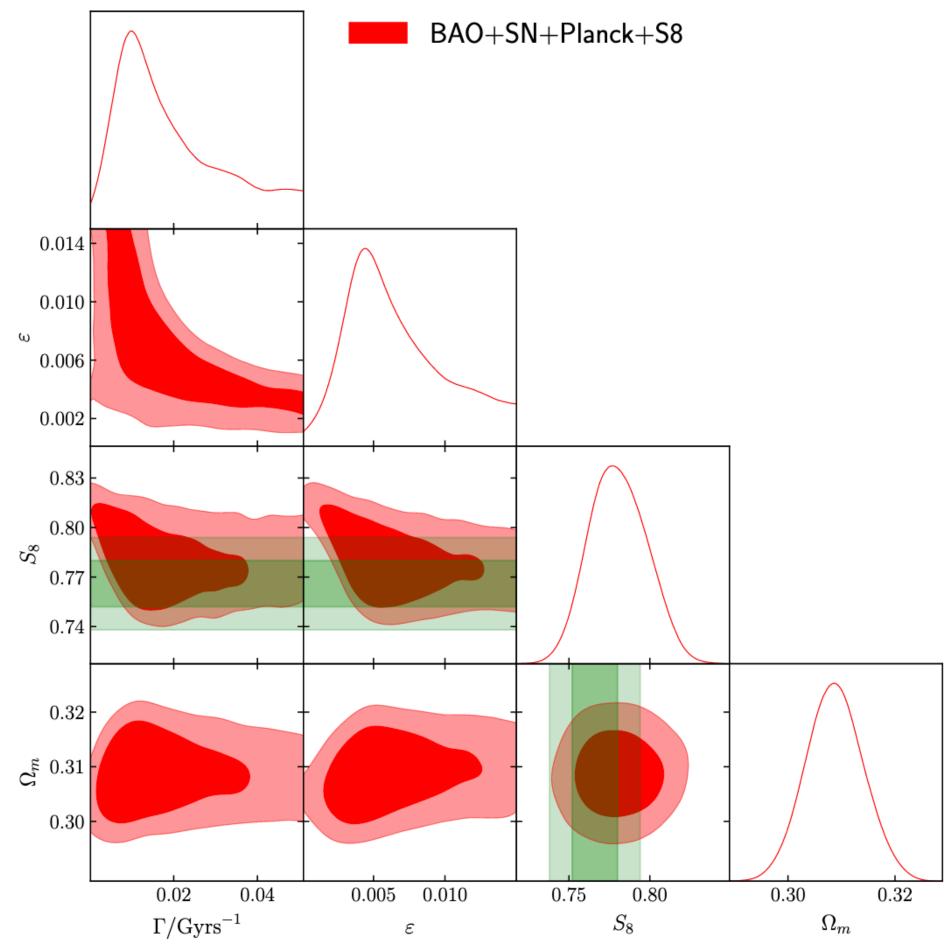
DDM resolution to the S₈ tension

The level of detection depends on the level of tension with ΛCDM

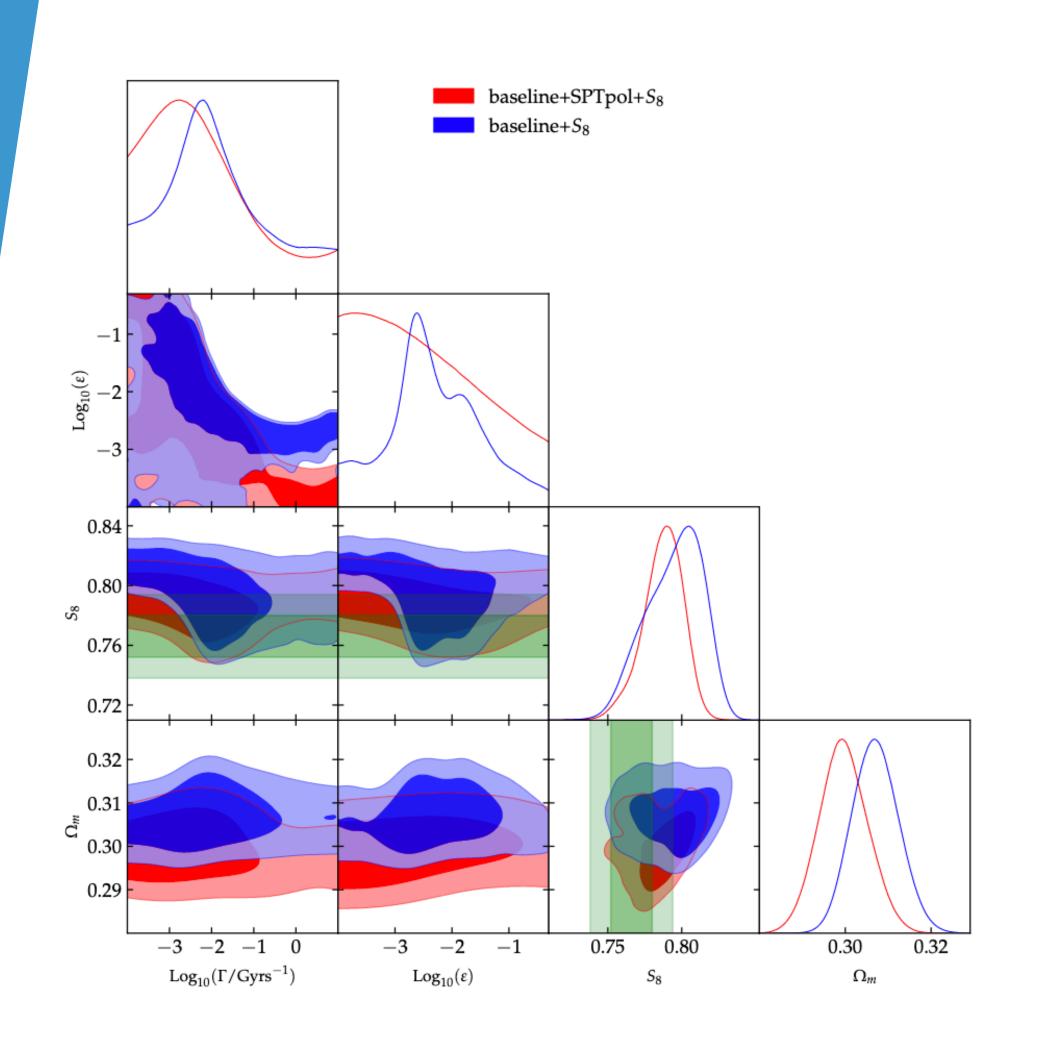


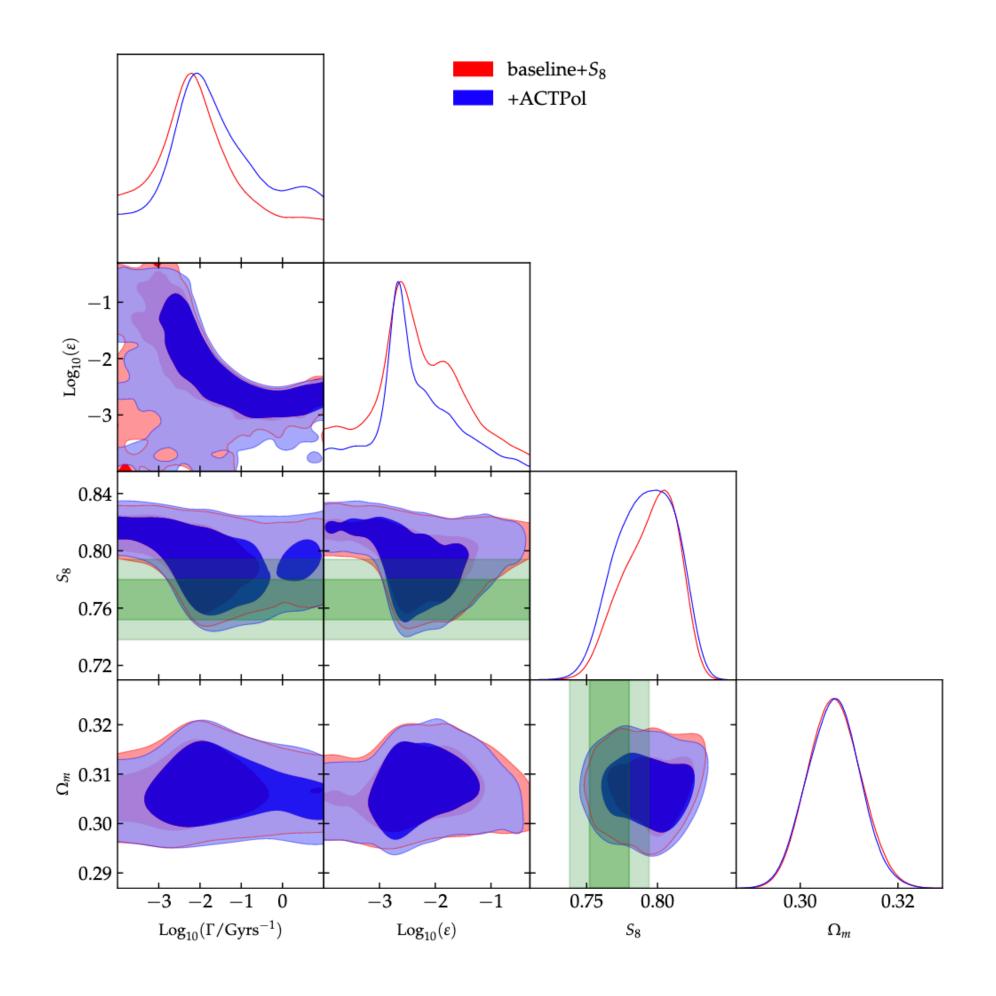
DDM results with linear priors



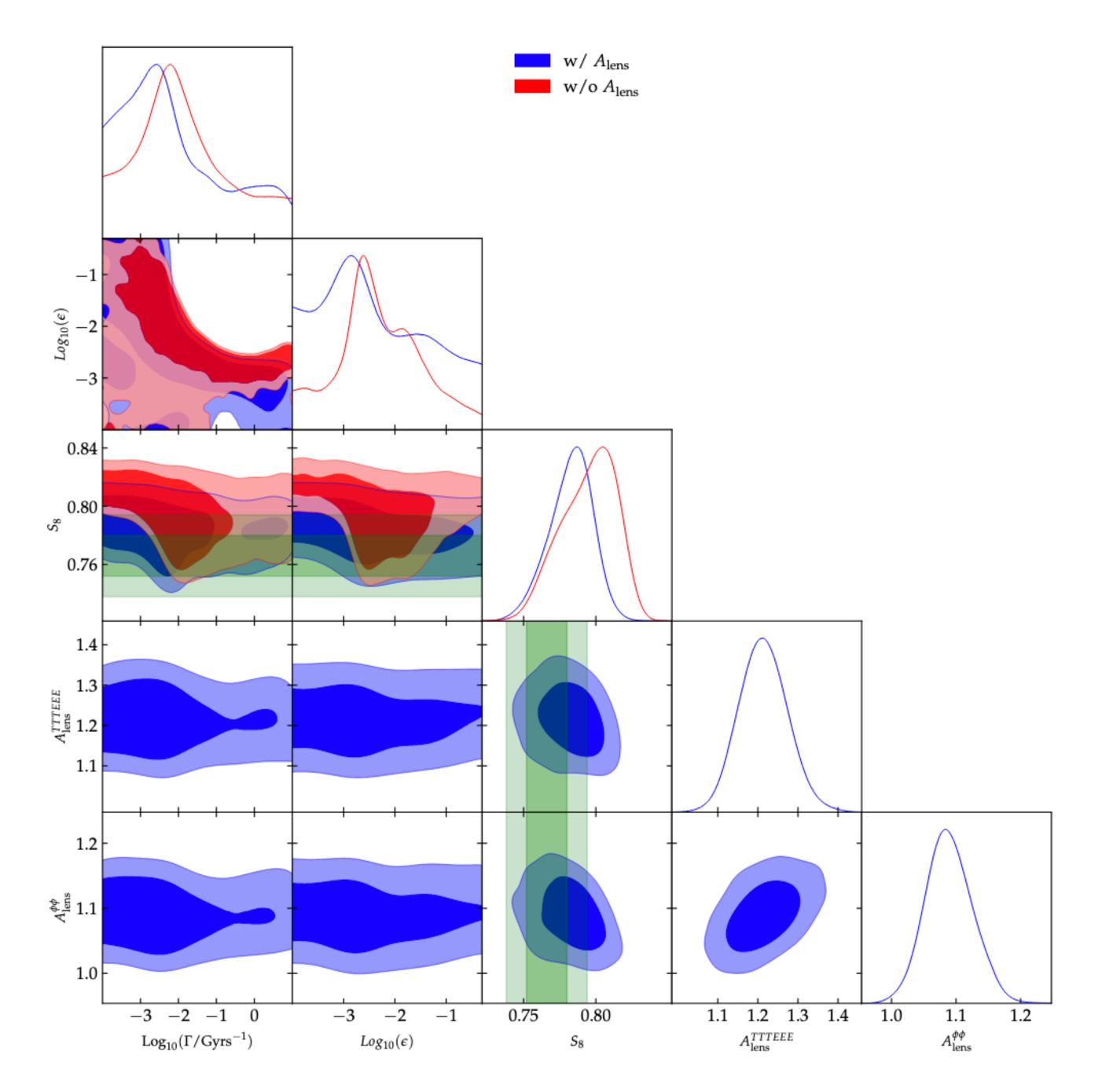


DDM results with SPTPol and ACT datasets

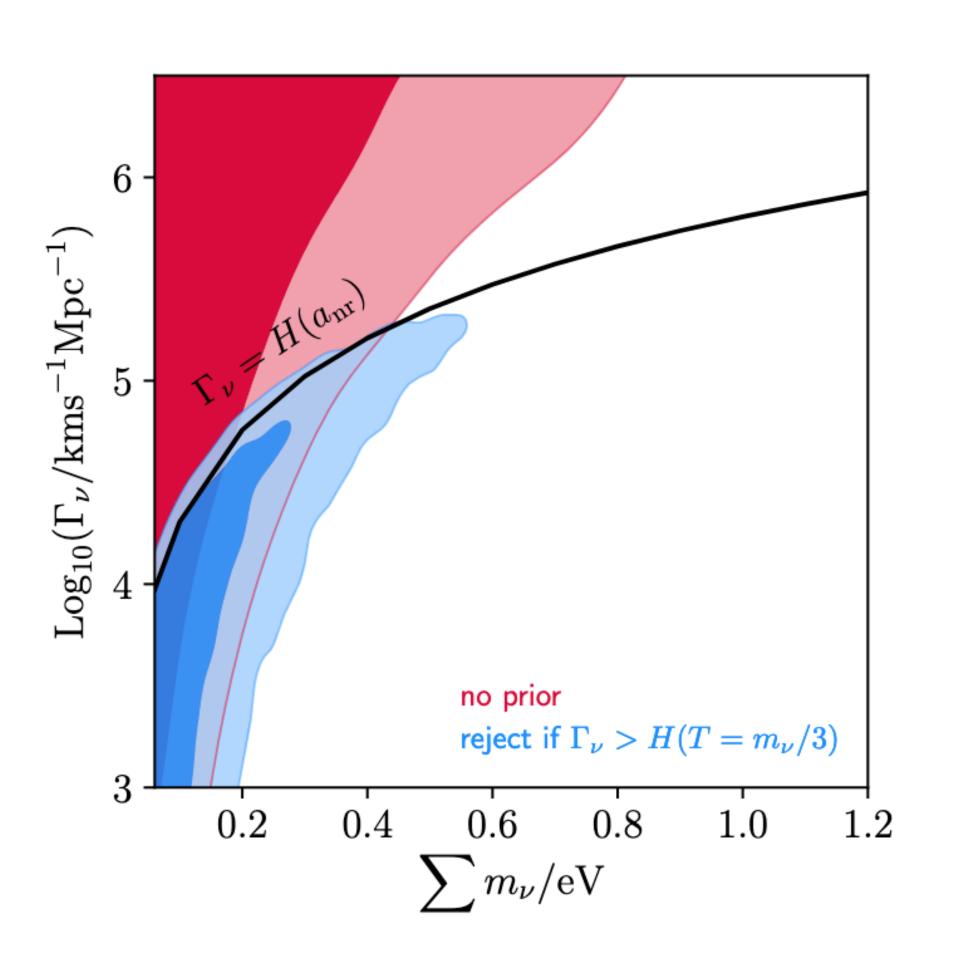




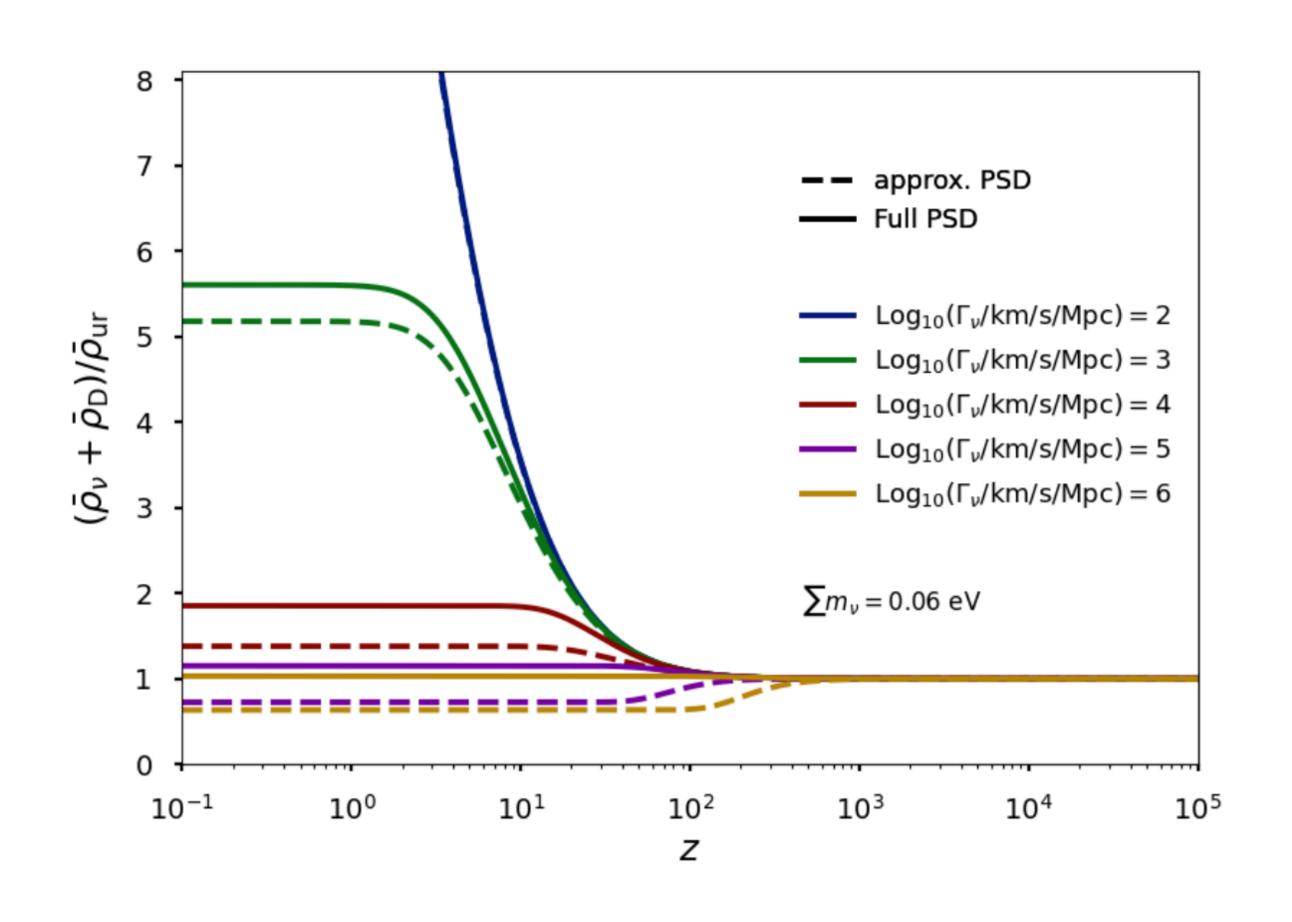
DDM results marginalizing over lensing information



Excluding relativistic regime from the MCMC



Checking consistency of Boltzman eqs.



Comparing various prescriptions

