# Cosmological anomalies shedding light on the dark sector

#### Guillermo Franco Abellán

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#### Based on:

arXiv:2102.12498 (PRD in press)

arXiv:2008.09615 (PRD in press)

arXiv:2009.10733 PRD 103 (2020)

arXiv:2107.10291, submitted to Physics Reports





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I. Cosmic concordance and discordance

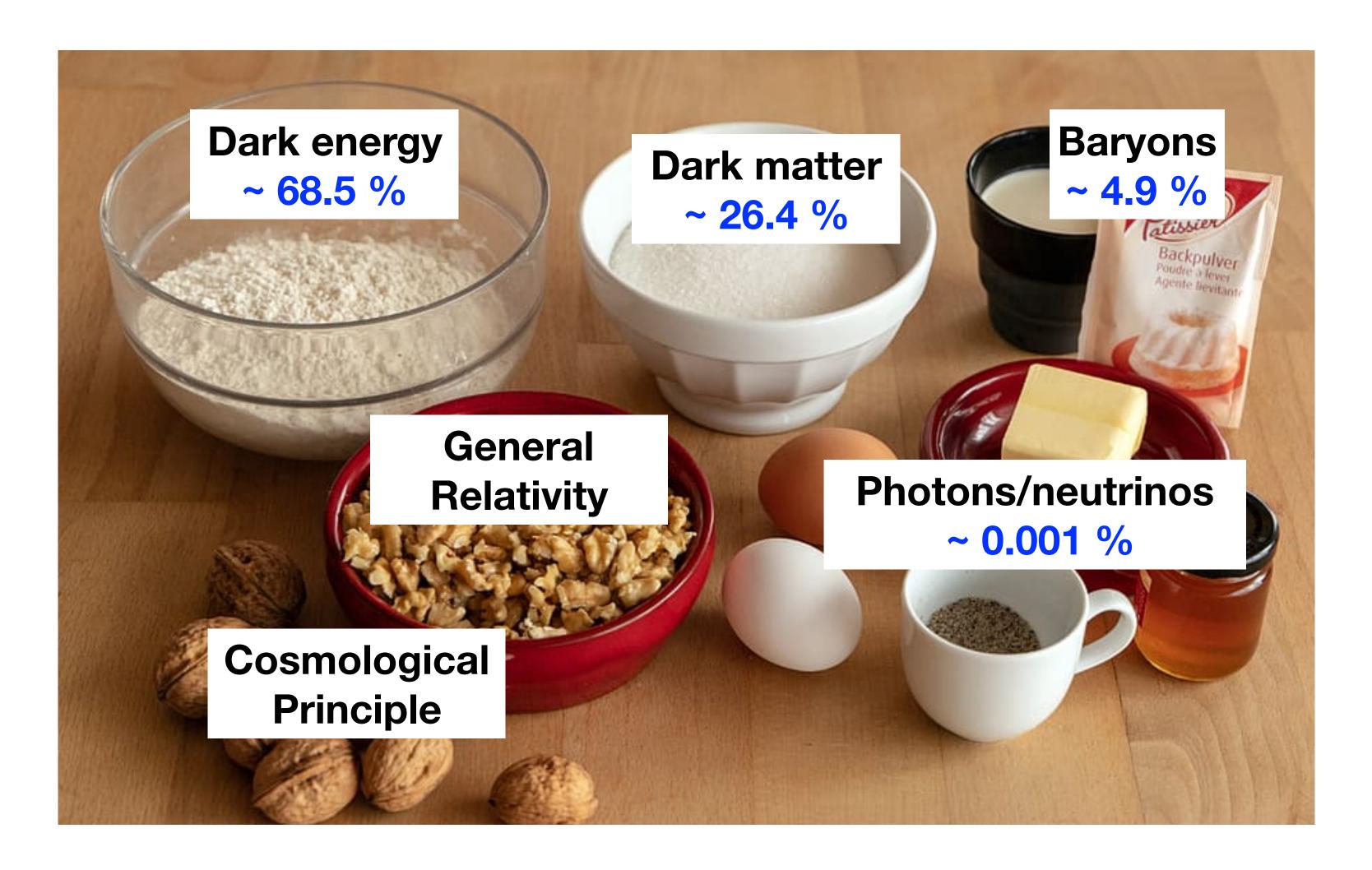
II. The Hotension vs. Early Dark Energy

III. The S<sub>8</sub> tension vs. Decaying Dark Matter

IV. Conclusions

I. Cosmic concordance and discordance

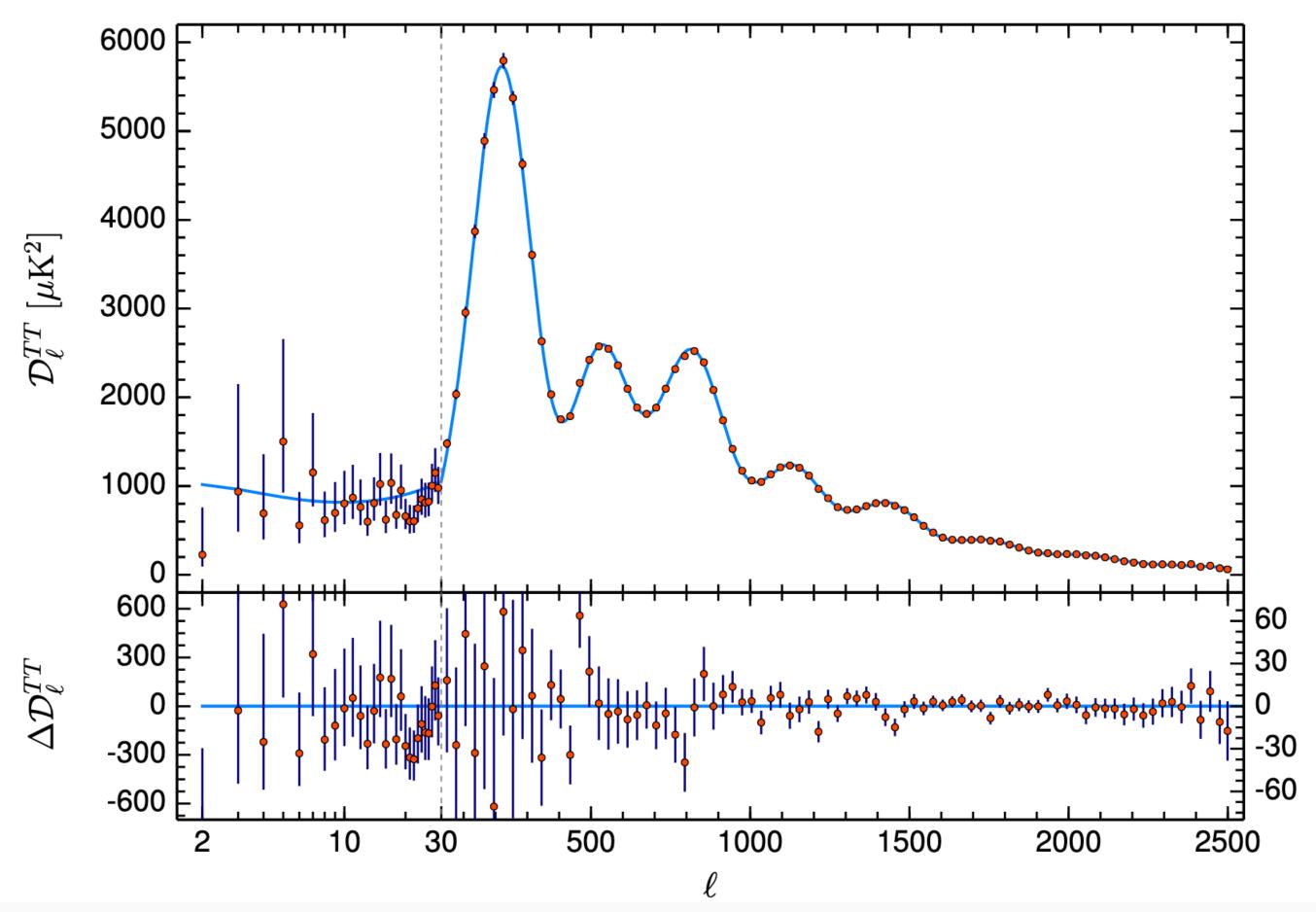
# Cosmic recipe



 $\Lambda$ CDM model fully specified by  $\{\Omega_c, \Omega_b, H_0, A_s, n_s, \tau_{reio}\}$ 

# The era of precision cosmology

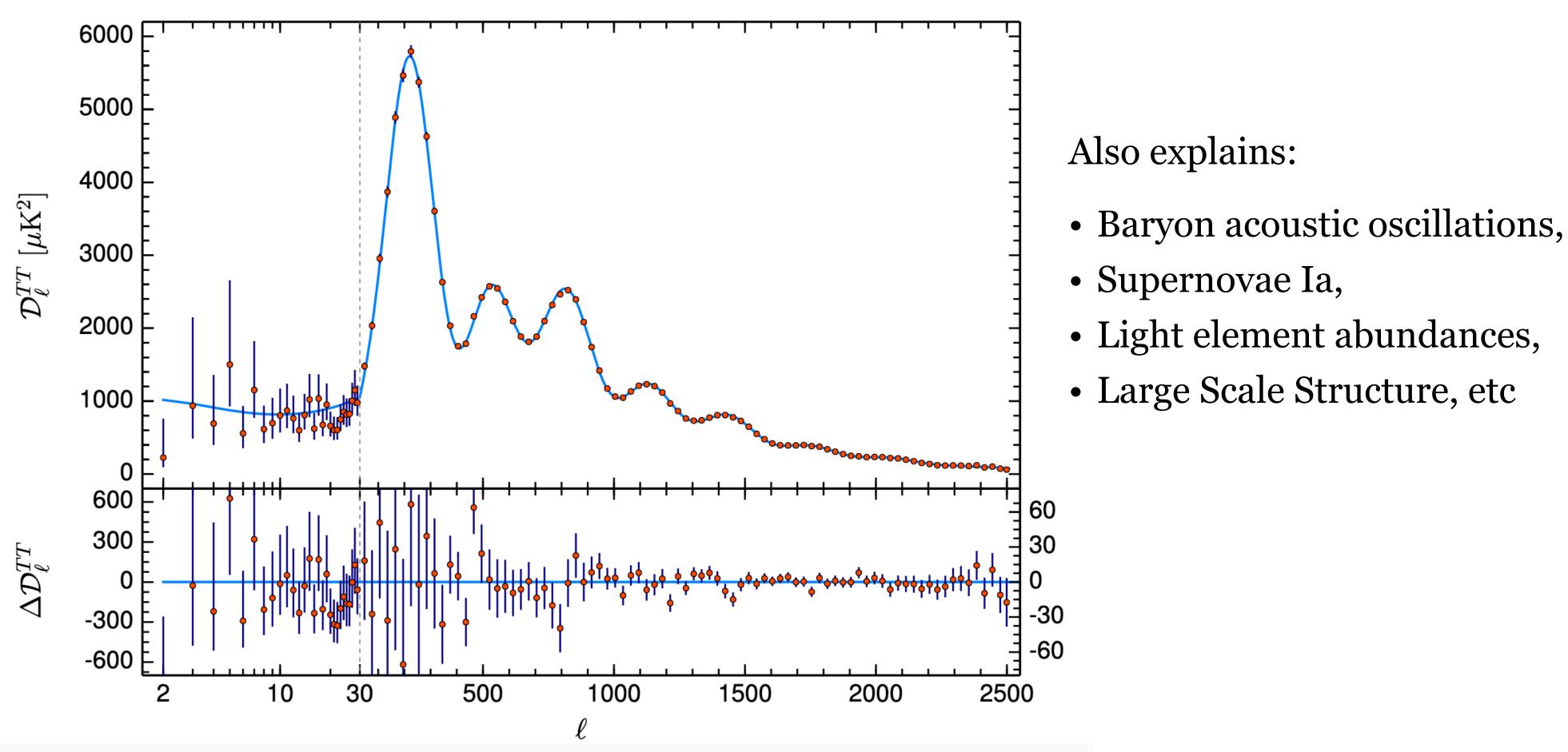
ΛCDM gives excellent fit to CMB anisotropy spectra



Planck 2018, 1807.06209

# The era of precision cosmology

ΛCDM gives excellent fit to CMB anisotropy spectra



Planck 2018, 1807.06209

# Challenges to the \CDM paradigm

1. What is dark matter? And dark energy?

- Are they made of particles?
- Are they made of single species?
- How are they produced?
- What is their **lifetime**?
- And their mass?

# Challenges to the \CDM paradigm

2. Several discrepancies emerged in recent years

- S<sub>8</sub> with weak-lensing data KiDS-1000 2007.15632
- H<sub>0</sub> with local measurements
  Riess++ 2012.08534

# Challenges to the \CDM paradigm

2. Several discrepancies emerged in recent years

- S<sub>8</sub> with weak-lensing data KiDS-1000 2007.15632
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#### Unaccounted systematics?

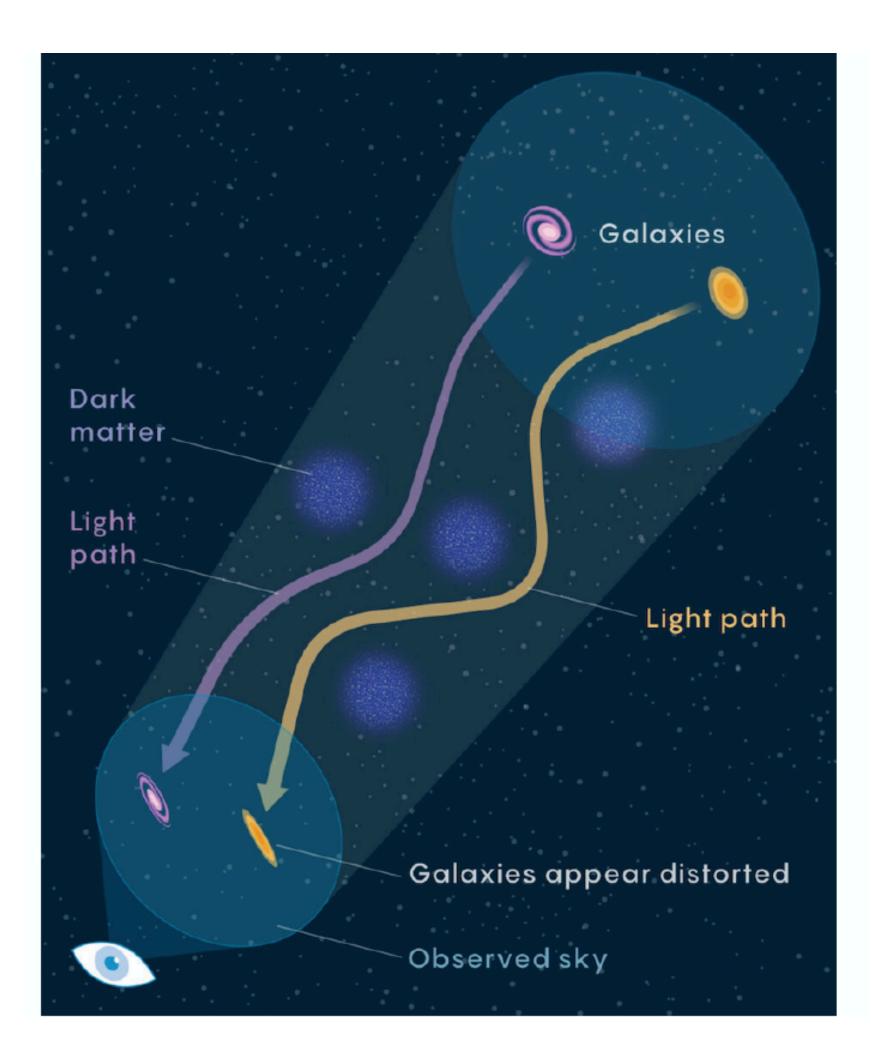
- Less exotic explanation
- Difficult to account for all discrepancies

#### Physics beyond $\Lambda$ CDM?

- Reveal properties about the dark sector
- Very challenging X

# The S<sub>8</sub> tension

Weak-lensing surveys are mainly sensible to  $S_8 \equiv \sigma_8 \sqrt{\Omega_m/0.3}$ 



where 
$$\sigma_8 = \int P_m(k, z = 0)W_R^2(k)dlnk$$

KiDS+BOSS+2dfLenS\*:

$$S_8 = 0.766^{+0.020}_{-0.014}$$

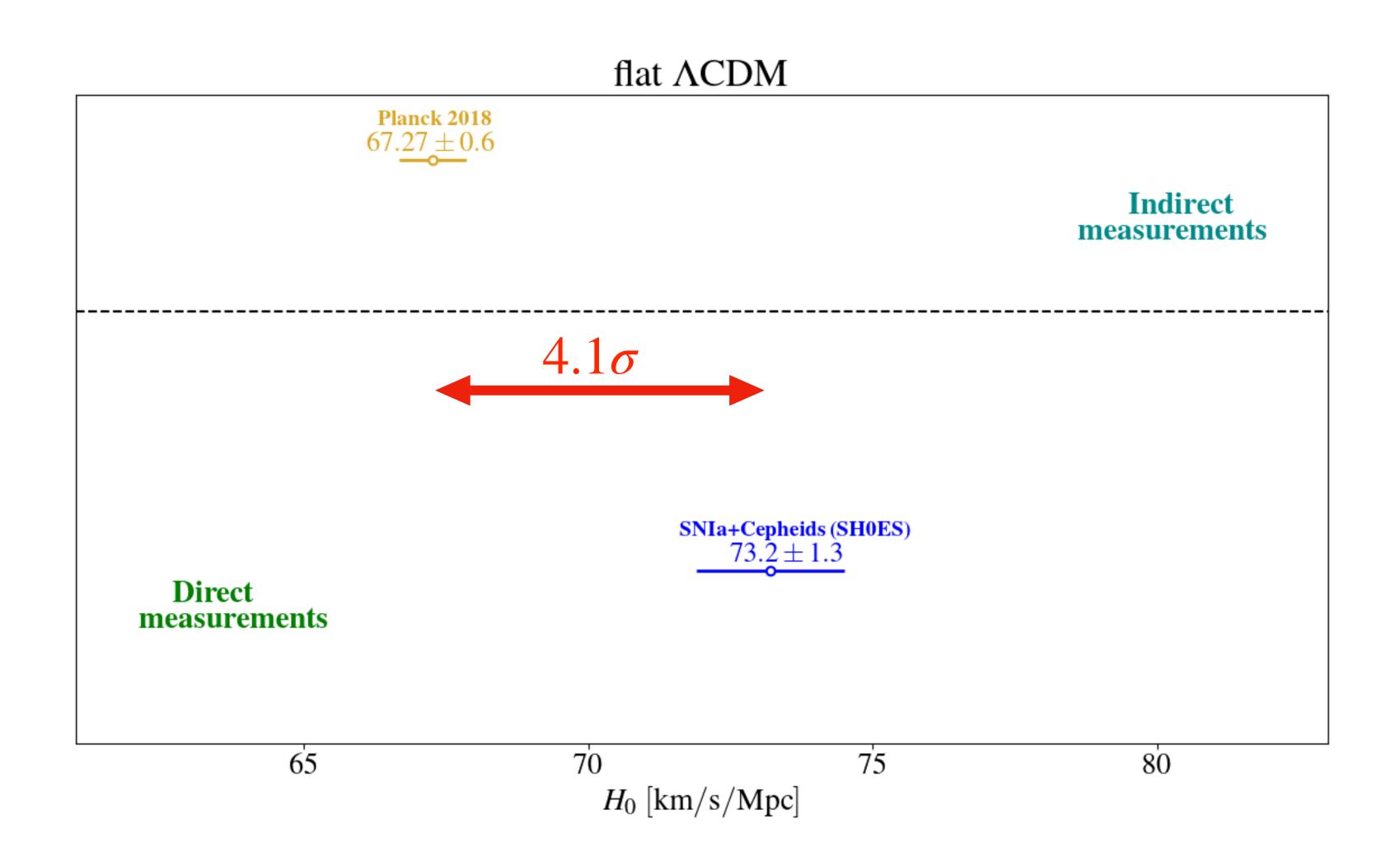
Planck ( $under \Lambda CDM$ ):

$$S_8 = 0.830 \pm 0.013$$

$$\rightarrow \sim 2 - 3\sigma$$
 tension

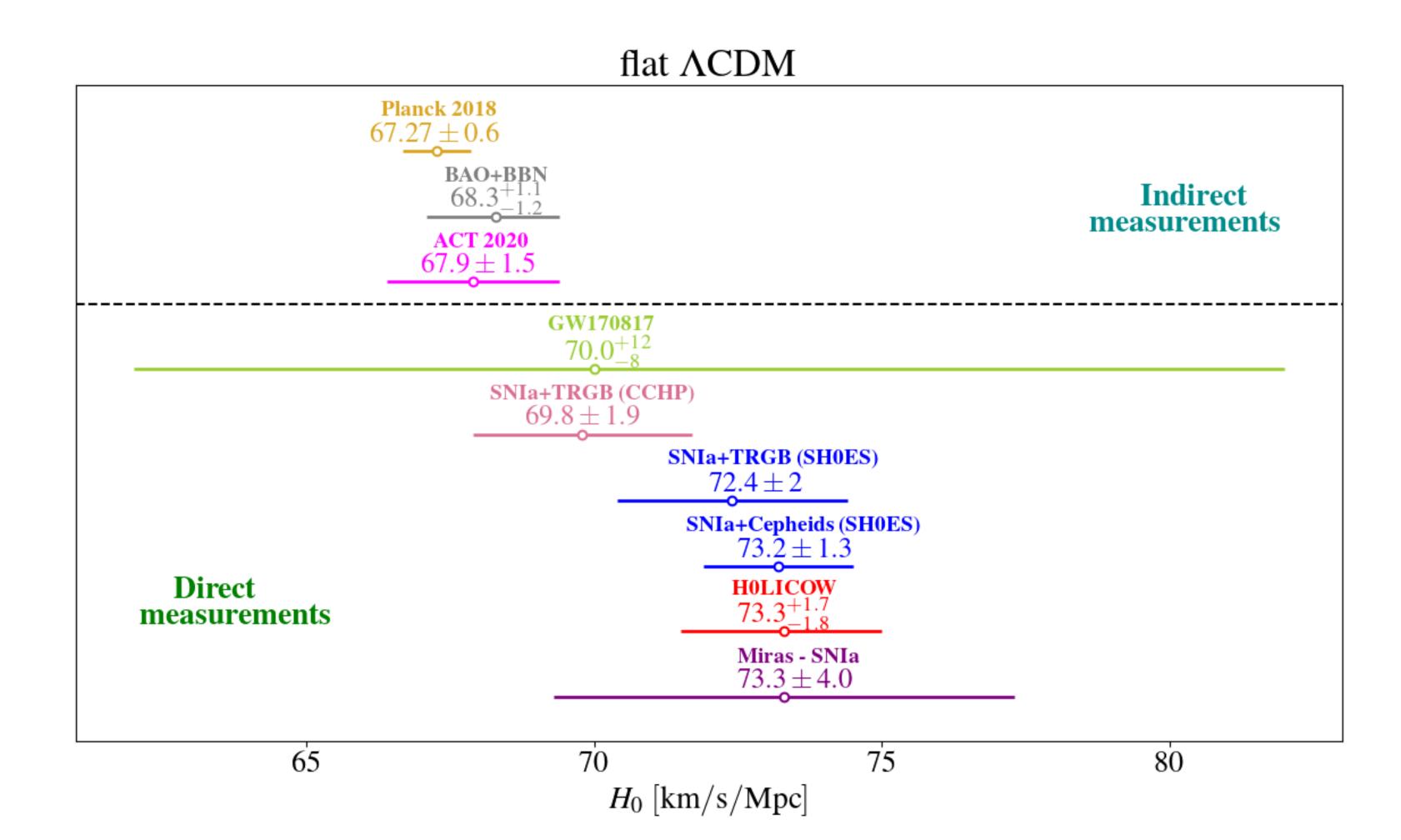
# The Ho tension

Planck ( $under \Lambda CDM$ ) and SHoES measurements are in 4.1 $\sigma$  tension

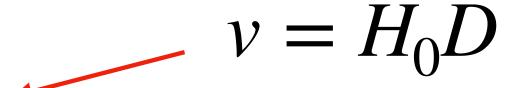


# The Hotension

Planck (*under ΛCDM*) and SHoES measurements are in **4.1σ tension** High- and low-redshift probes are typically discrepant



# How does SH0ES determine H<sub>0</sub>?



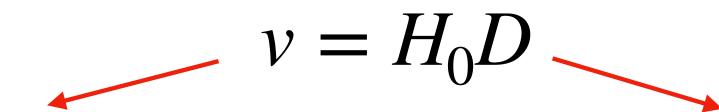
From spectrometry

$$1 + z = \frac{\lambda_{obs}}{\lambda_{emit}}$$

Distance to some standard candle, e.g. supernovae Ia

$$Flux = \frac{L}{4\pi D_L^2}$$

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From spectrometry

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Distance to some standard candle, e.g. supernovae Ia

$$Flux = \frac{L}{4\pi D_L^2}$$

Focus on small z\*, for which distances are approx. model-independent

$$D_{L} = (1+z) \int_{0}^{z} \frac{cdz'}{H(z')} \xrightarrow{z \ll 1} czH_{0}^{-1} \simeq vH_{0}^{-1}$$

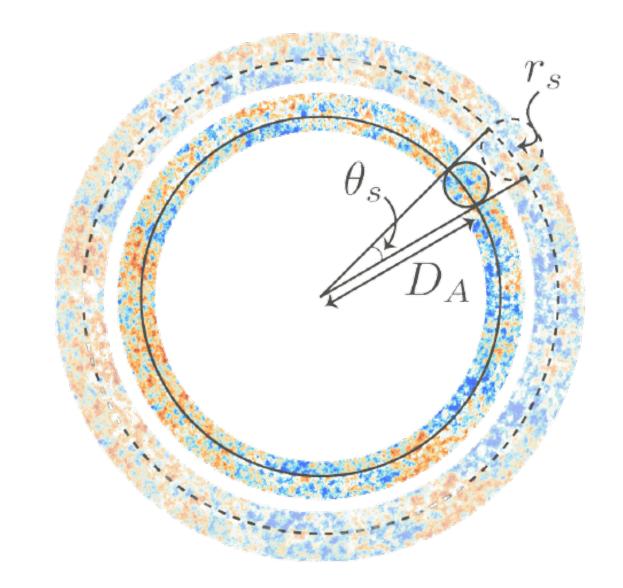
where 
$$H^2(z) = \frac{8\pi G}{3} \sum_{i} \rho_i(z)$$

<sup>\*</sup>But not too small, to make sure peculiar velocities are negligible

# How does Planck determine H<sub>0</sub>?

Angular size of the sound horizon is measured at the 0.04 % precision

$$\theta_{s} = \frac{r_{s}(z_{\text{rec}})}{D_{A}(z_{\text{rec}})} = \frac{\int_{0}^{\tau_{\text{rec}}} c_{s}(\tau) d\tau}{\int_{\tau_{\text{rec}}}^{\tau_{0}} c d\tau}$$



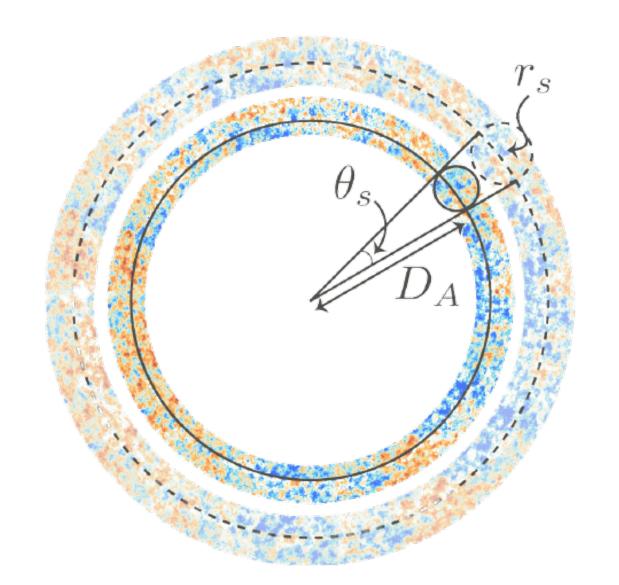
T. Smith

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with 
$$D_A \propto 1/H_0 = 1/\sqrt{\rho_{tot}(0)}$$

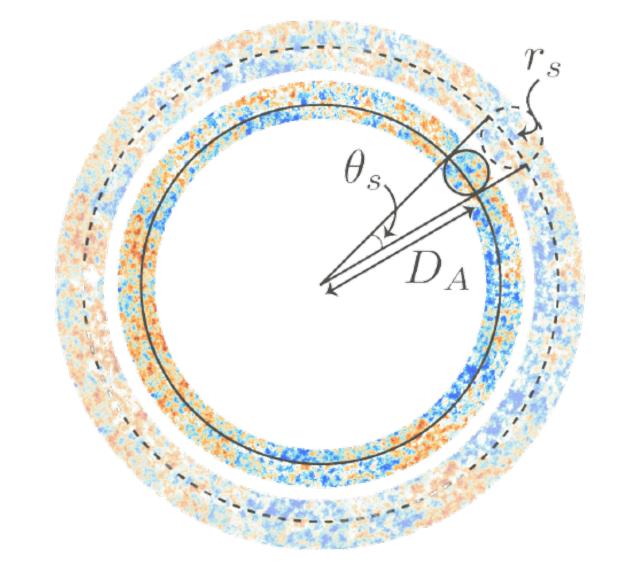


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with  $D_A \propto 1/H_0 = 1/\sqrt{\rho_{tot}(0)}$ 

T. Smith

#### Early-time solutions

Decrease  $r_s(z_{rec})$  at fixed  $\theta_s$  to decrease  $D_A(z_{rec})$  and increase  $H_0$ 

 $Ex: \Delta N_{eff} > 0$ 

#### Late-time solutions

 $r_s(z_{\text{rec}})$  and  $D_A(z_{\text{rec}})$  are fixed, but  $D_A(z < z_{\text{rec}})$  is changed to allow higher  $H_0$ 

Ex : w < -1

# What is needed to resolve the H<sub>0</sub> tension?

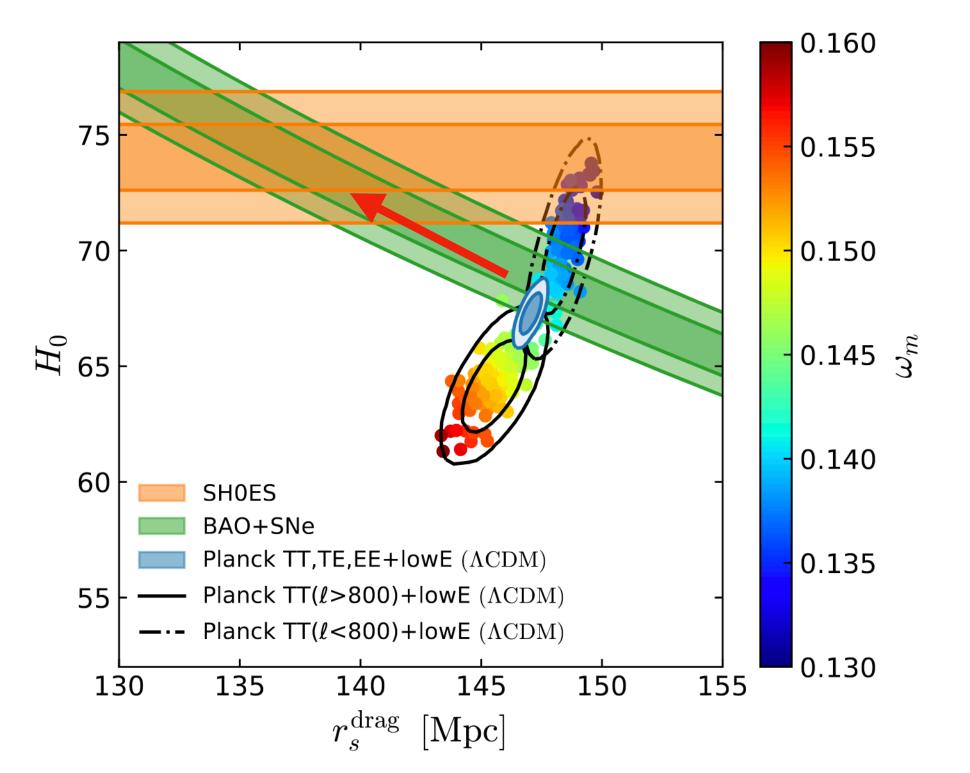
- Late-time solutions appear to be almost excluded by BAO and SNIa data

  Poulin++ 1803.02474
- For early-time solutions, one seems to require a 7 % decrease in  $r_s(z_*)$

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Given  $r_s$ , obtain  $D_A$  using BAO data

$$\theta_d(z)^{\perp} = \frac{r_s(z_{\text{drag}})}{D_A(z)}, \quad \theta_d(z)^{\parallel} = r_s(z_{\text{drag}})H(z)$$

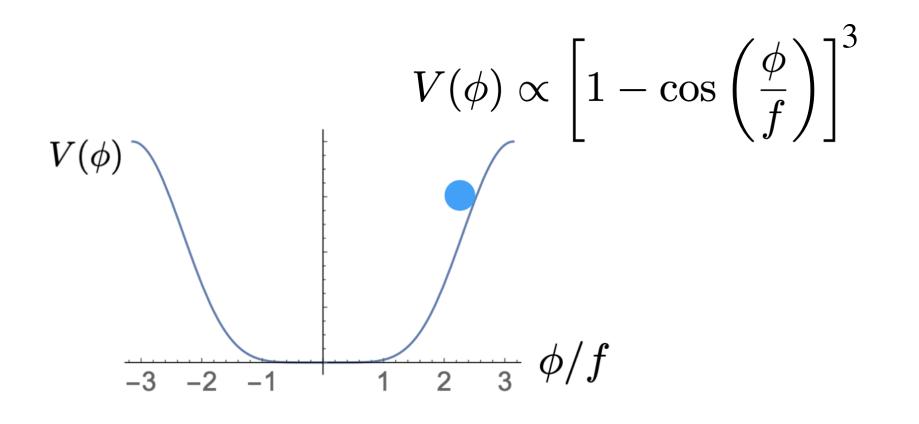
$$D_L(z) = D_A(z)(1+z)^2$$

Obtain Ho from calibration of SNIa

$$m(z) = 5Log_{10}D_L(z) + const$$

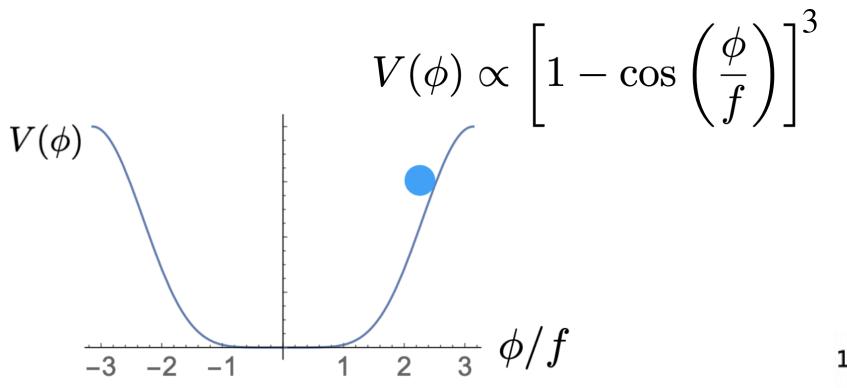
# II. The Hotension vs. Early Dark Energy

In collaboration with Riccardo Murgia and Vivian Poulin



Scalar field initially frozen, then dilutes away equal or faster than radiation

$$\ddot{\phi} + 3H\dot{\phi} + V'(\phi) = 0$$
+ perturbed linear eqs.

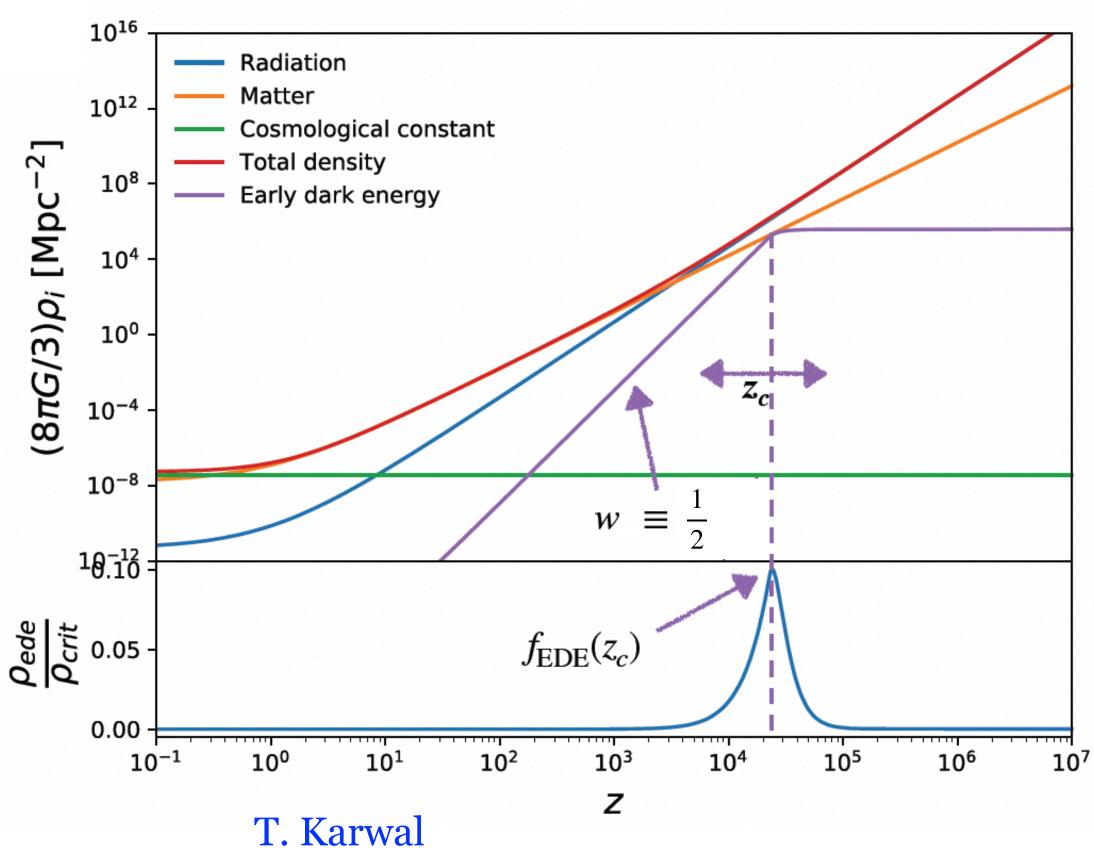


# 3 parameter EDE model (3pEDE):

$$\{f_{\text{EDE}}(z_c), z_c, \phi_i\}$$

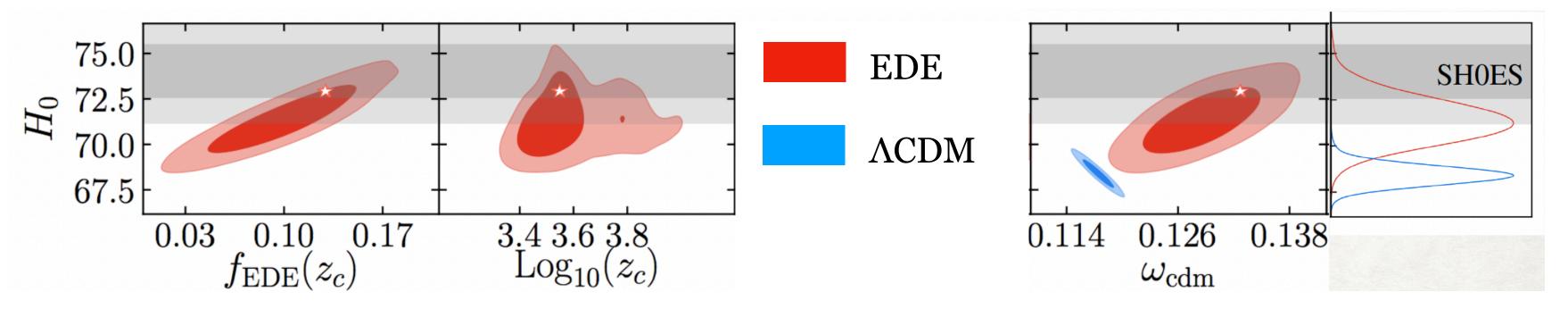
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Early Dark Energy can resolve the H<sub>o</sub> tension if  $f_{\rm EDE}(z_c) \sim 10\%$  for  $z_c \sim z_{\rm eq}$ 

Planck+ BAO+ SNIa+ SHoES analysis

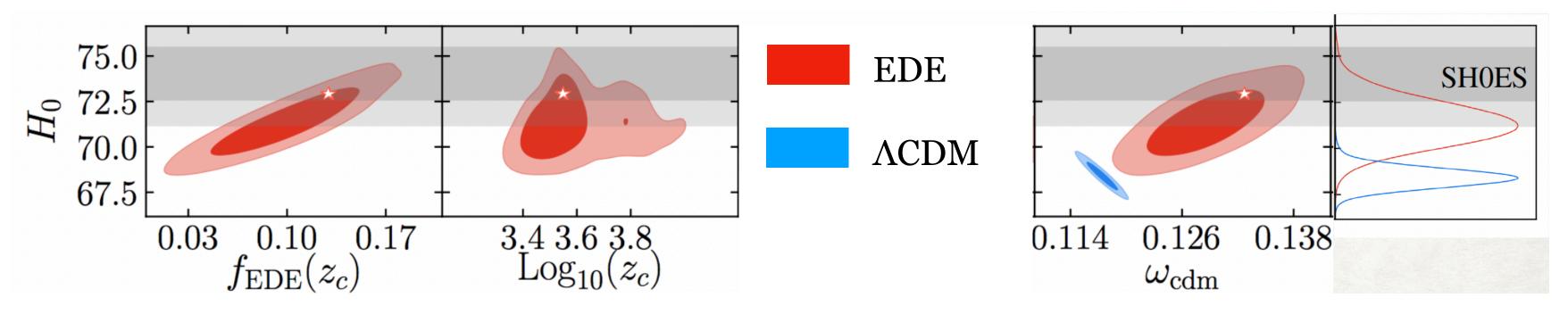


Poulin++ 1811.04083 Smit

Smith++ 1908.06995

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Smith++ 1908.06995

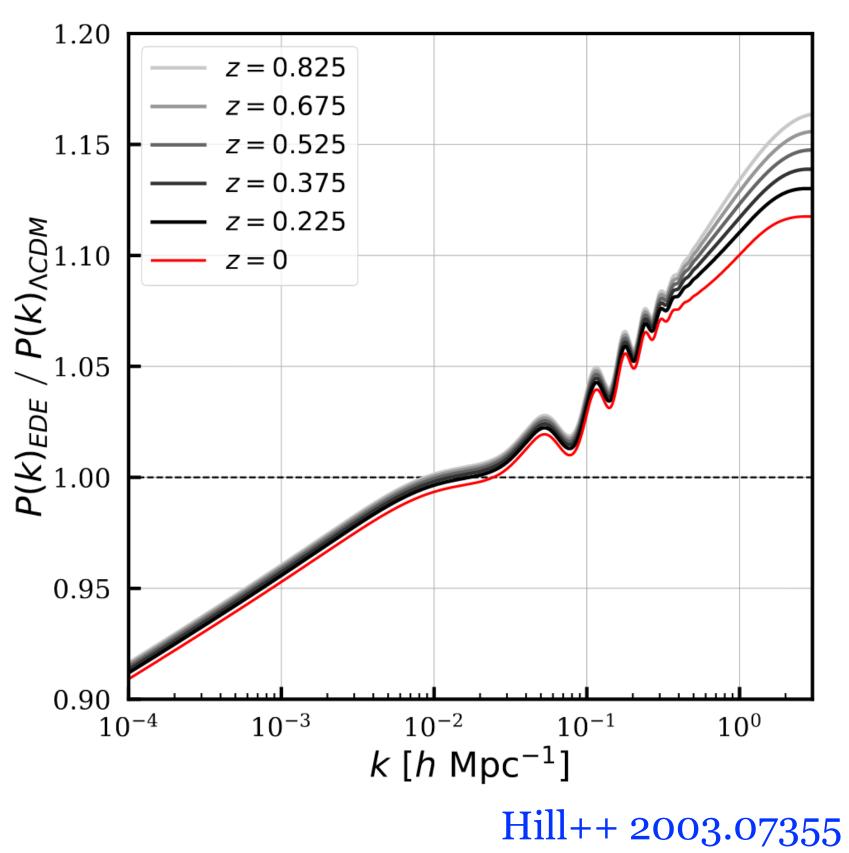
#### Some caveats

- 1. Very fine tuned?
  - Proposed connexions of EDE with neutrino sector and present DE

    Sakstein++ 1911.11760 Freese++ 2102.13655
- 2. Increased value of  $\omega_{\rm cdm} = \Omega_{\rm cdm} h^2$ , increases value of  $S_8$ Jedamzik++ 2010.04158.

# Is EDE solution ruled out?

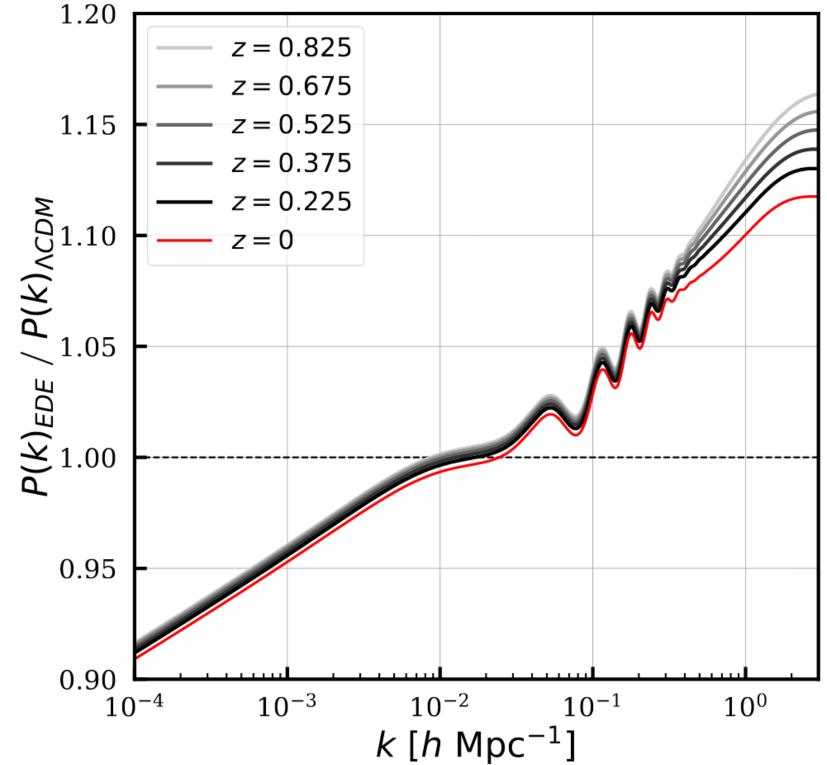
EDE solution increases power at small k (with a corresponding increase in  $S_8$ ), rising mild tension with Large Scale Structure (LSS) data



# Is EDE solution ruled out?

EDE solution increases power at small k (with a corresponding increase in  $S_8$ ), rising mild tension with Large Scale Structure (LSS) data

When LSS data is added to analysis, EDE detection is reduced from  $3\sigma$  to  $2\sigma$ 



In addition, EDE is not detected from

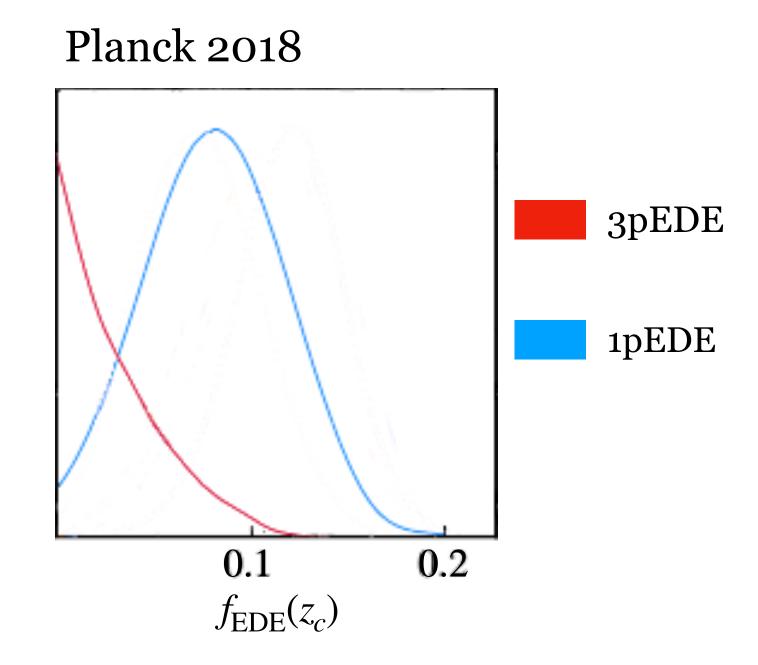
Planck data alone

D'amico++ 2006.12420 Ivanov++ 2006.11235

Hill++ 2003.07355

1. Why EDE is not detected from Planck alone?

 $\chi^2$  degeneracy in Planck between  $\Lambda$ CDM and EDE: For  $f_{\rm EDE} \lesssim 4$ %, parameters  $z_c$  and  $\phi_i$  become irrelevant, so posteriors are naturally weighted towards  $\Lambda$ CDM

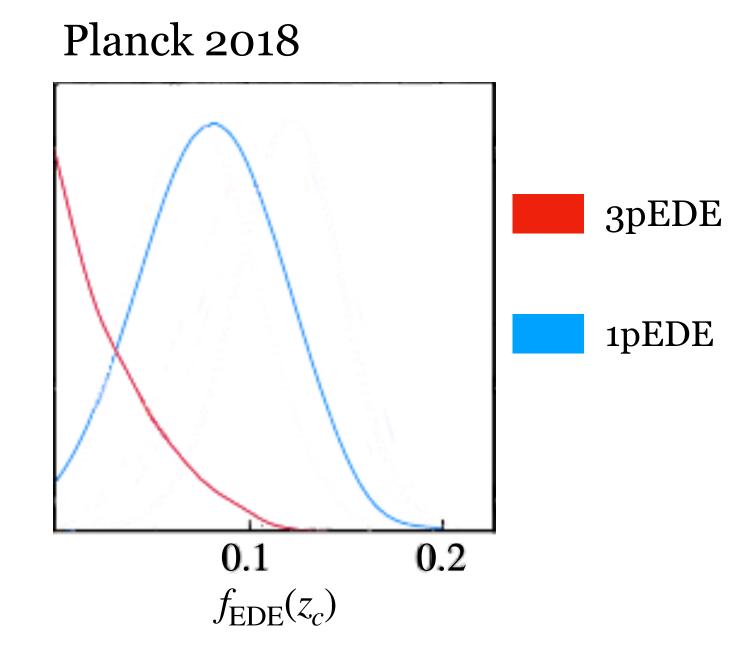


#### 1. Why EDE is not detected from Planck alone?

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To avoid this Bayesian volume effect, consider a **1 parameter EDE model (1pEDE):** 

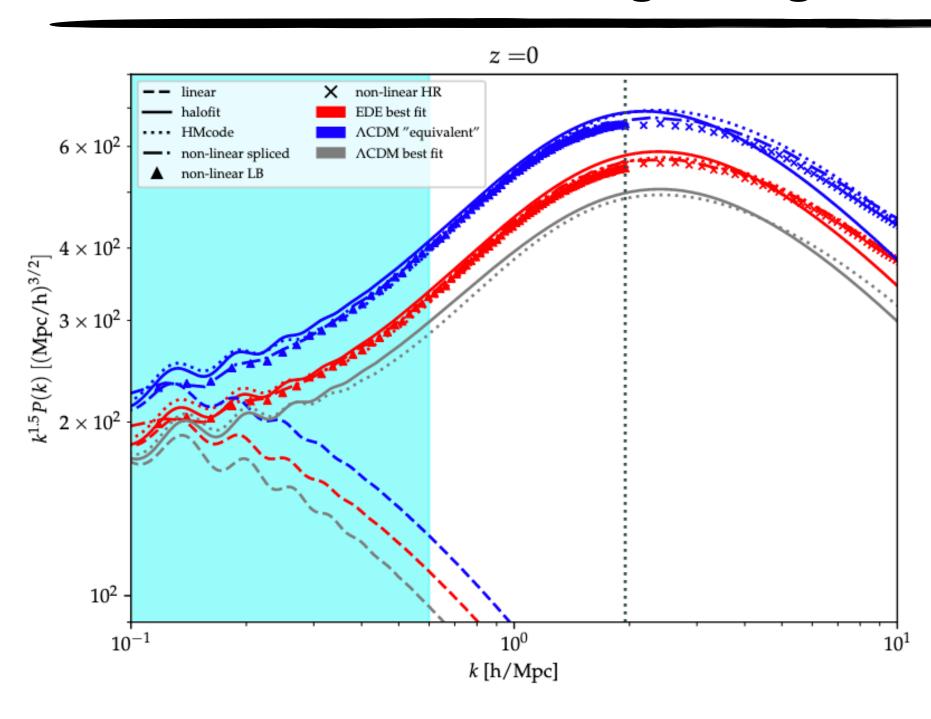
Fix  $z_c$  and  $\phi_i$  and let  $f_{EDE}$  free to vary



Within 1pEDE, we get a 20 detection of EDE from Planck data alone

$$f_{\text{EDE}} = 0.08 \pm 0.04$$
  $H_0 = 70 \pm 1.5 \text{ km/s/Mpc}$ 

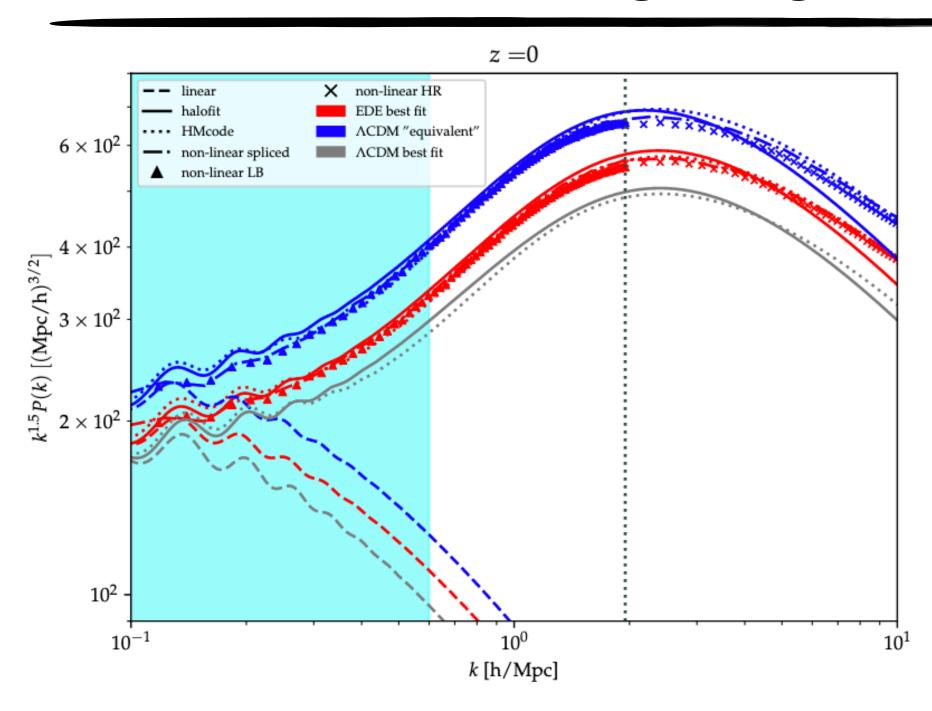
2. Is LSS data constraining enough to rule out EDE?



EDE non-linear P(k)\* from halofit agrees well with results from N-body simulations

<sup>\*</sup>Intrinsic effect of EDE is a power suppression, but the shift of the  $\Lambda$ CDM params. leads to an enhancement 19

#### 2. Is LSS data constraining enough to rule out EDE?



EDE non-linear P(k)\* from halofit agrees well with results from N-body simulations

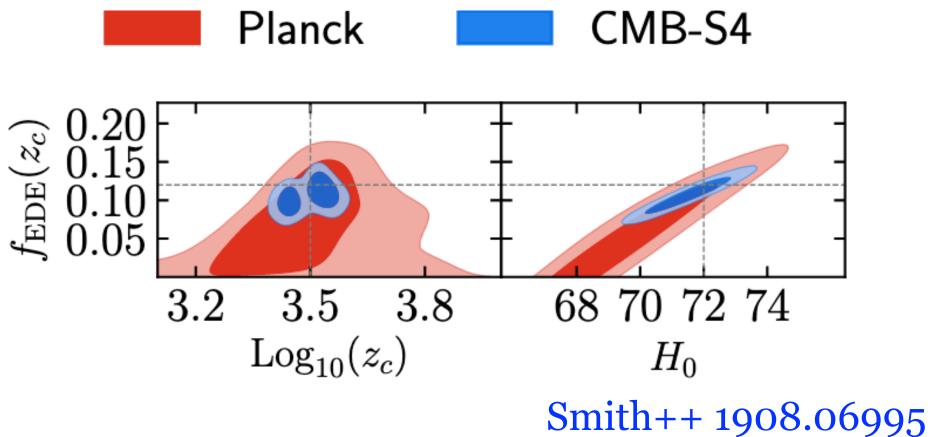
1pEDE tested against Planck+BAO+SNIa+SHoEs and WL data from KiDS/Viking+DES:  $S_8$  tension persists, but fit is not significantly degraded wrt  $\Lambda$ CDM, and solution to the Ho tension survives Murgia, GFA, Poulin 2107.10291

$$f_{\text{EDE}} = 0.09^{+0.03}_{-0.02}$$
  $H_0 = 71.3 \pm 0.9 \text{ km/s/Mpc}$ 

\*Intrinsic effect of EDE is a power suppression, but the shift of the  $\Lambda$ CDM params. leads to an enhancement 19

# **Prospects for Early Dark Energy**

Future CMB experiments (i.e. CMB-S4) will be able to unambiguously detect EDE

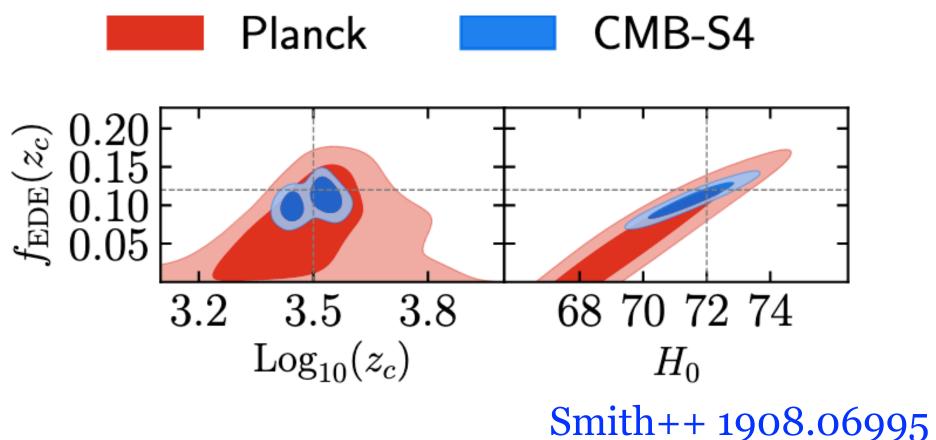


Other current CMB experiments like ACT are already showing a 3σ detection of EDE!

Hill++ 2109.04451 Poulin++ 2109.06229

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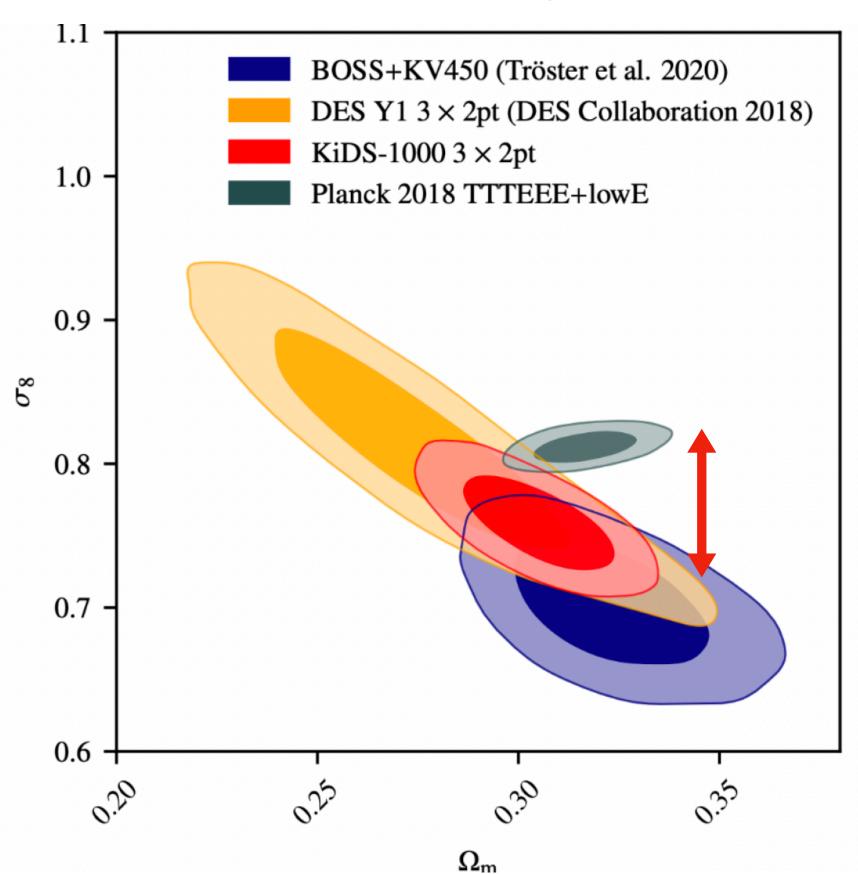
Is there any model that could explain the  $S_8$  anomaly?

# III. The S<sub>8</sub> tension vs. Decaying Dark Matter

In collaboration with Riccardo Murgia, Vivian Poulin and Julien Lavalle

# What is needed to resolve the S<sub>8</sub> tension?

Di Valentino++ 2008.11285



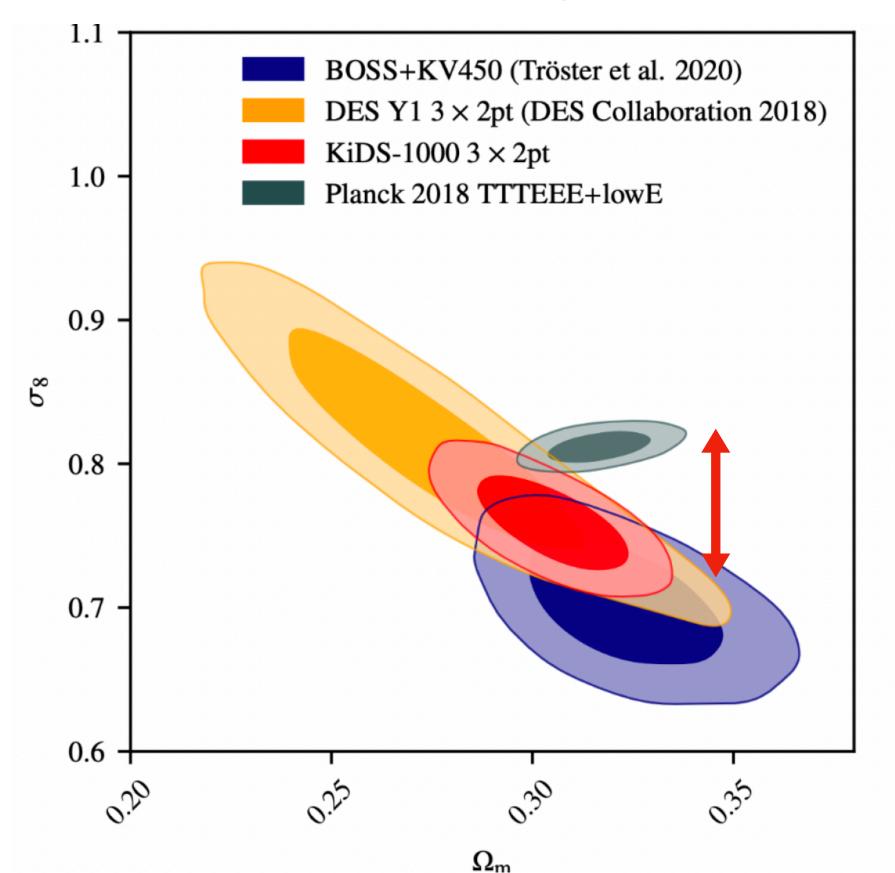
$$S_8 \equiv \sigma_8 \sqrt{\Omega_m/0.3}$$

 $\Omega_m$  should be left unchanged

$$\sigma_8 = \int P_m(k, z = 0) W_R^2(k) d\ln k$$

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Di Valentino++ 2008.11285

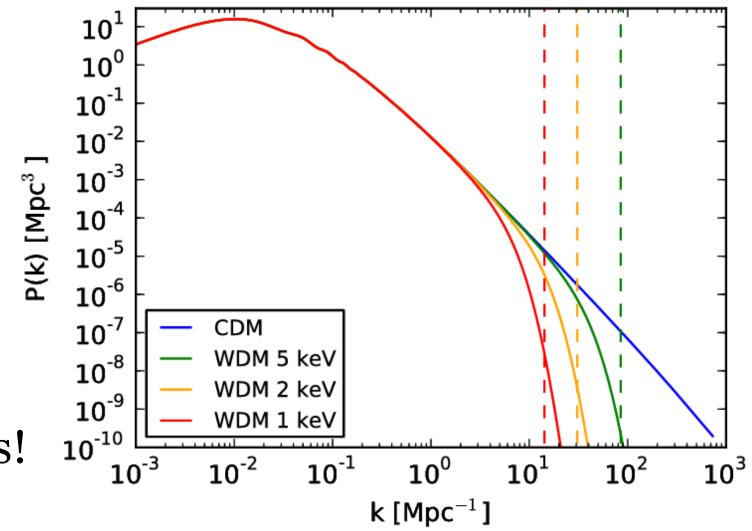


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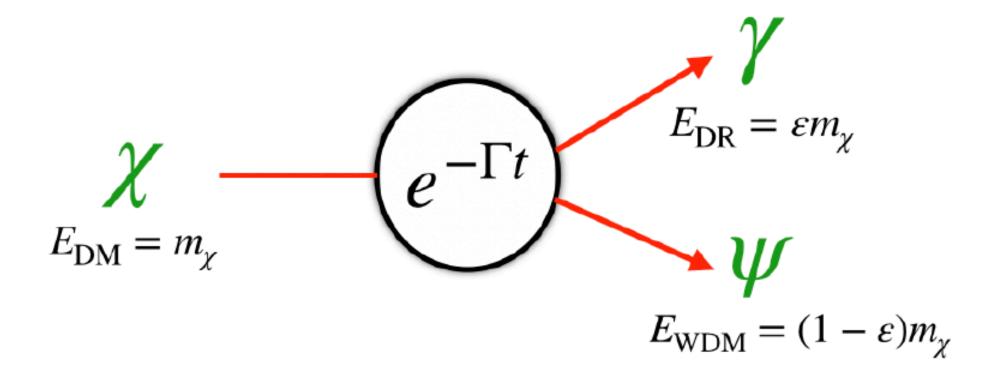
Need to suppress power at scales  $k \sim 0.1 - 1 \ h/\text{Mpc}$ 



Ex: Warm Dark Matter
Very constrained by many probes!

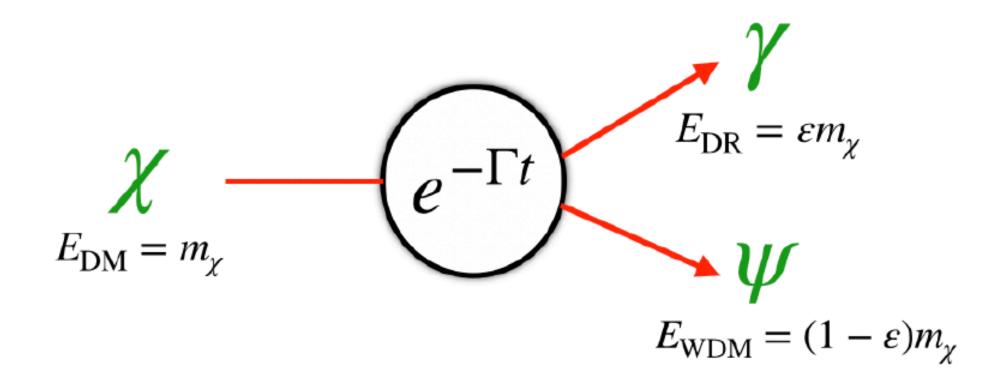
# 2-body Dark Matter decay

We explore DM decays to massless (Dark Radiation) and massive (Warm Dark Matter) particles,  $\chi(\mathrm{DM}) \to \gamma(\mathrm{DR}) + \psi(\mathrm{WDM})$ 



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We explore DM decays to massless (Dark Radiation) and massive (Warm Dark Matter) particles,  $\chi(\text{DM}) \rightarrow \gamma(\text{DR}) + \psi(\text{WDM})$ 



The model is fully specified by:

$$\{\Gamma,\,\varepsilon\} \ \ \text{where} \ \ \varepsilon = \frac{1}{2} \left(1 - \frac{m_\psi^2}{m_\chi^2}\right) \left\{ \begin{array}{l} = 0 \ \text{for } \Lambda \text{CDM} \\ = 1/2 \ \text{for DM} \to \text{DR} \end{array} \right.$$

# 2-body Dark Matter decay

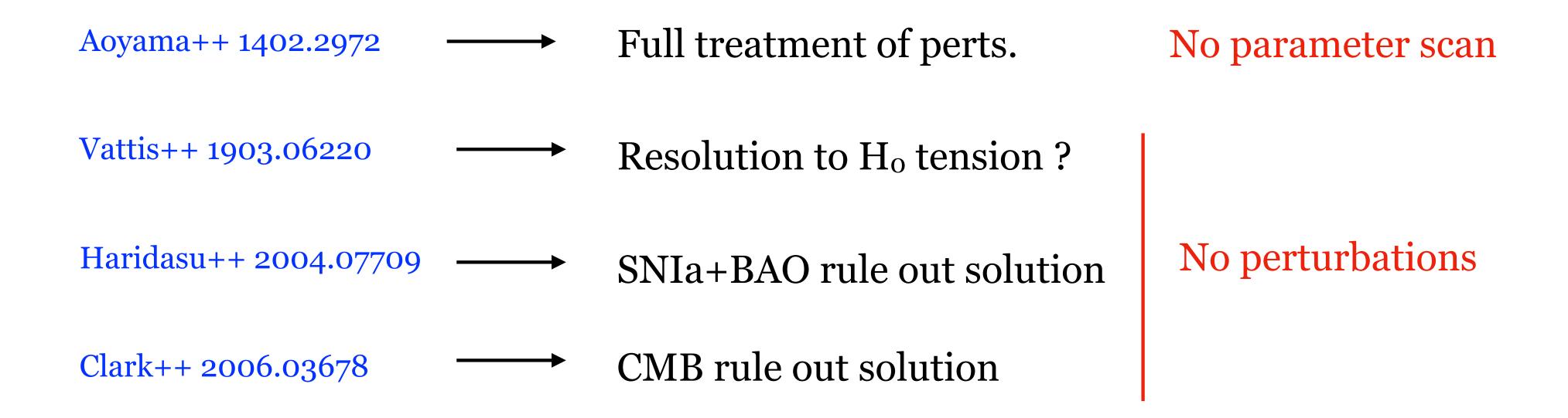
Aoyama++ 1402.2972  $\longrightarrow$  Full treatment of perts. No parameter scan

Vattis++ 1903.06220  $\longrightarrow$  Resolution to Ho tension?

Haridasu++ 2004.07709  $\longrightarrow$  SNIa+BAO rule out solution

Clark++ 2006.03678  $\longrightarrow$  CMB rule out solution

# 2-body Dark Matter decay



Our goal: Perform parameter scan by including full treatment of linear perts, in order to assess the impact on the  $S_8$  tension

# Evolution of perturbations: full treatment

• Effects on  $P_m(k)$  and  $C_\ell$ ? Track linear perts. for the particles species involved in the decay:  $\delta_i$ ,  $\theta_i$  and  $\sigma_i$  for i = dm, dr, wdm

• Boltzmann hierarchy of eqs. Dictate the evolution of the p.s.d. multipoles  $\Delta f_{\ell}(q,k,\tau)$ 

- ◆ DM and DR treatments are easy, momentum d.o.f. are integrated out
- ♦ For WDM, one needs to follow the evolution of the full p.s.d. Computationally expensive  $\longrightarrow$   $\mathcal{O}(10^8)$  ODEs to solve!

# Evolution of perturbations: fluid equations

New fluid eqs.\*, based on previous approximation for massive neutrinos

Lesgourgues & Tram, 1104.2935

$$\dot{\delta}_{\text{wdm}} = -3aH(c_{\text{syn}}^2 - w)\delta_{\text{wdm}} - (1+w)\left(\theta_{\text{wdm}} + \frac{\dot{h}}{2}\right) + a\Gamma(1-\varepsilon)\frac{\bar{\rho}_{\text{dm}}}{\bar{\rho}_{\text{wdm}}}(\delta_{\text{dm}} - \delta_{\text{wdm}})$$

$$\dot{\theta}_{\text{wdm}} = -aH(1 - 3c_a^2)\theta_{\text{wdm}} + \frac{c_{\text{syn}}^2}{1 + w}k^2\delta_{\text{wdm}} - k^2\sigma_{\text{wdm}} - a\Gamma(1 - \varepsilon)\frac{\bar{\rho}_{\text{dm}}}{\bar{\rho}_{\text{wdm}}}\frac{1 + c_a^2}{1 + w}\theta_{\text{wdm}}$$

<sup>\*</sup>Implemented in modified version of public Boltzmann solver CLASS

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where

$$c_a^2(\tau) = w \left( 5 - \frac{\mathfrak{p}_{\text{wdm}}}{\bar{P}_{\text{wdm}}} - \frac{\bar{\rho}_{\text{dm}}}{\bar{\rho}_{\text{wdm}}} \frac{\Gamma}{3wH} \frac{\varepsilon^2}{1 - \varepsilon} \right) \left[ 3(1 + w) - \frac{\bar{\rho}_{\text{dm}}}{\bar{\rho}_{\text{wdm}}} \frac{\Gamma}{H} (1 - \varepsilon) \right]^{-1}$$

and

$$c_{\text{syn}}^2(k,\tau) = c_a^2(\tau) \left[ 1 + (1 - 2\varepsilon)T(k/k_{\text{fs}}) \right]$$

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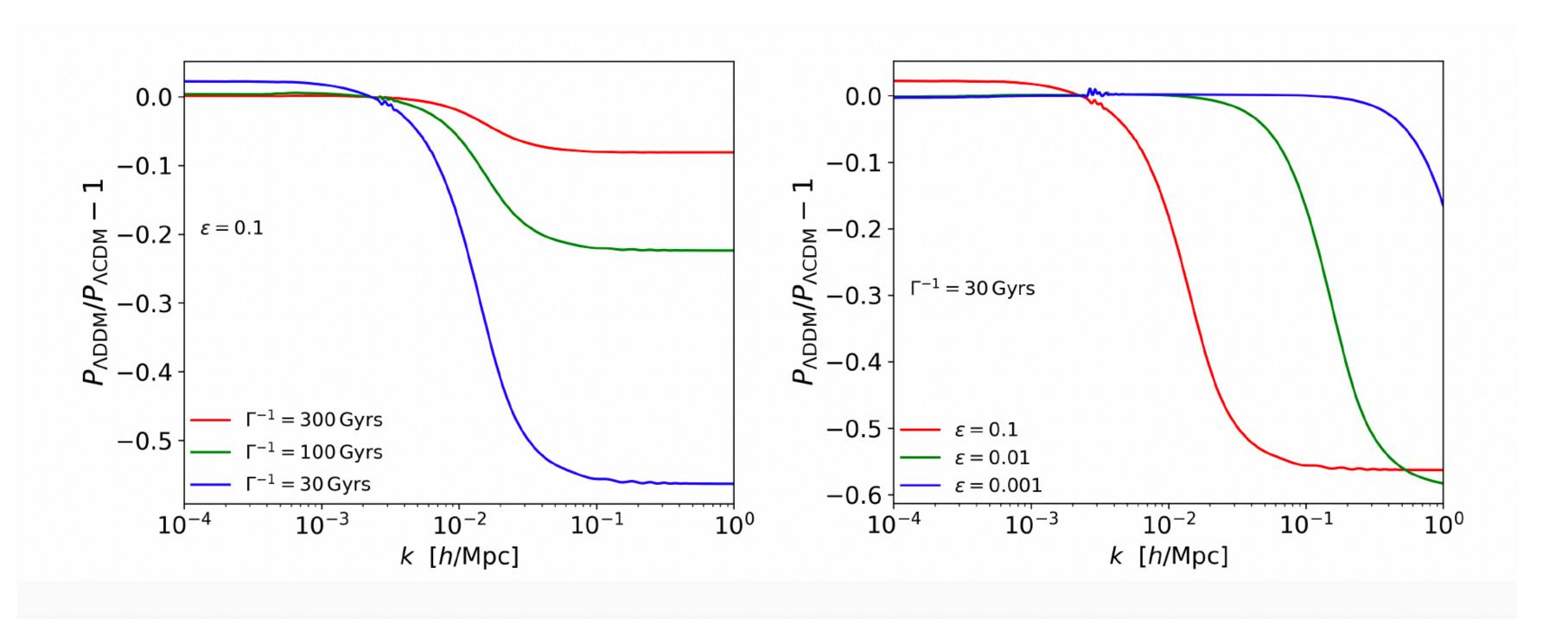
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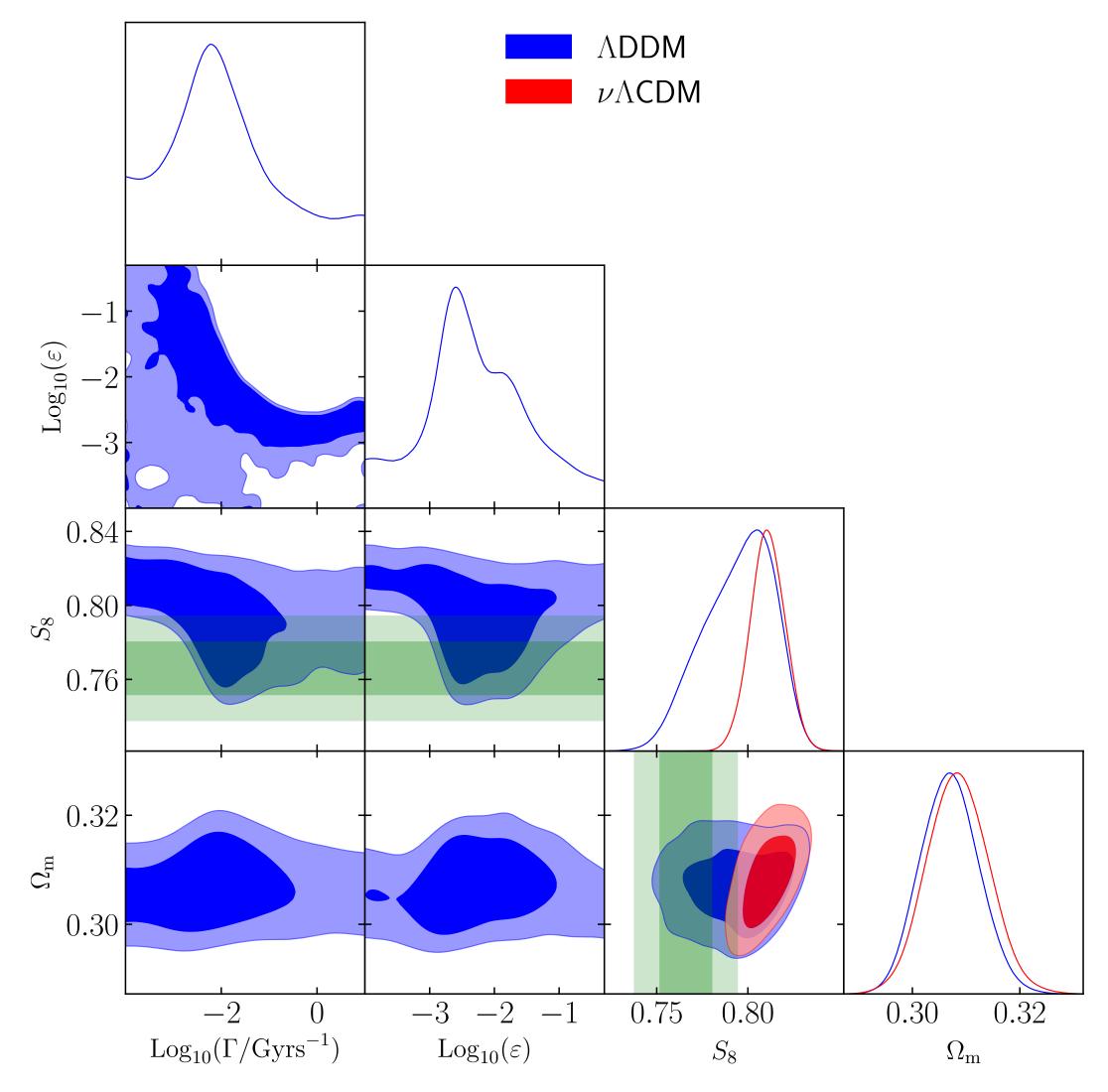
#### CPU time reduced from $\sim$ 1 day to $\sim$ 1 minute!

## Impact of decaying DM on the matter spectrum

The WDM daughter leads to a power suppression in  $P_m(k)$  at small scales  $k > k_{\rm fs}$ , where  $k_{\rm fs} \sim aH/c_a$ 

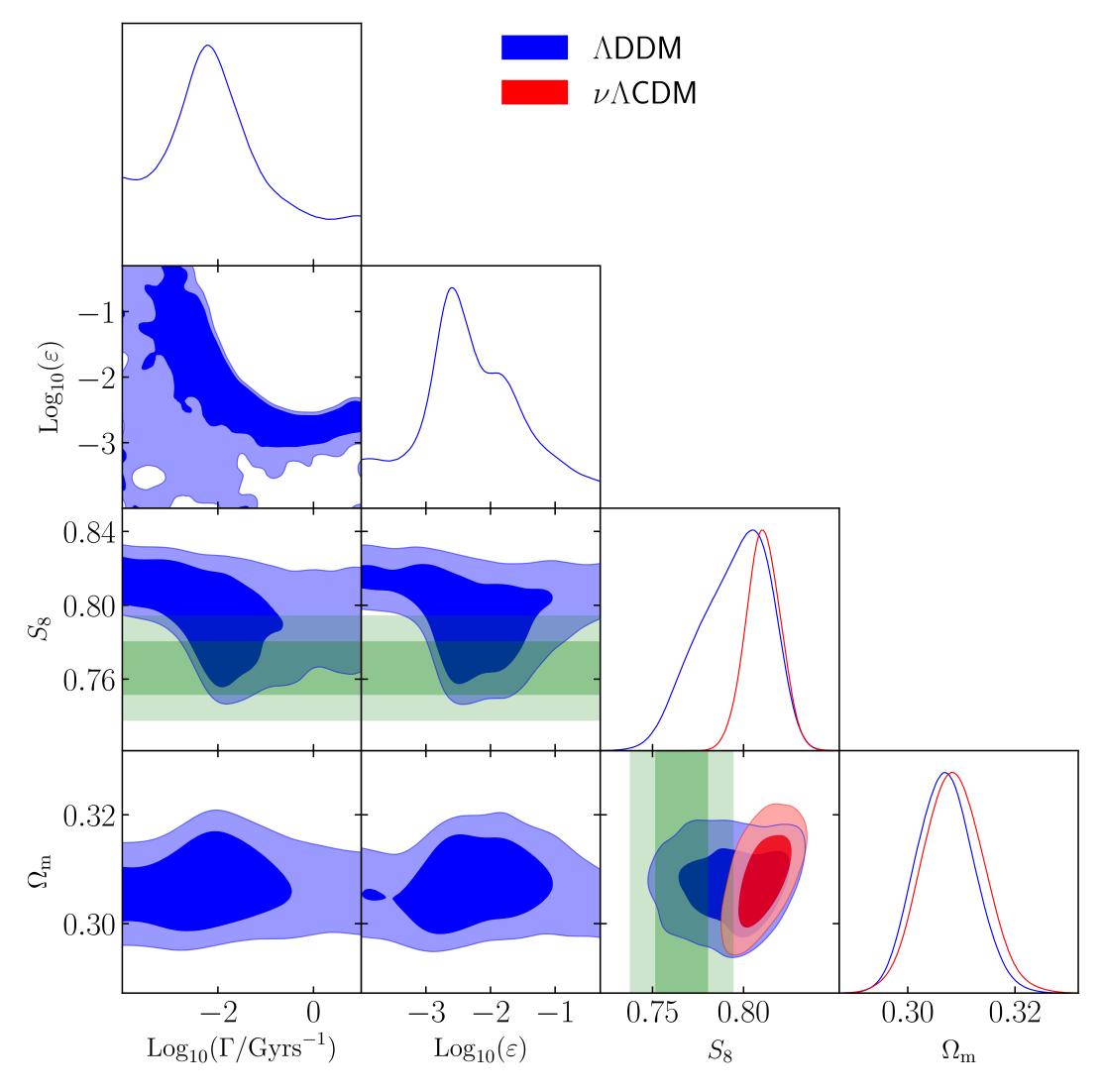


GFA, Murgia, Poulin 2008.09615



• MCMC analysis using
Planck+BAO+SNIa+prior on S<sub>8</sub>
from KIDS+BOSS+2dfLenS

GFA, Murgia, Poulin 2102.12498



- MCMC analysis using
  Planck+BAO+SNIa+prior on S<sub>8</sub>
  from KIDS+BOSS+2dfLenS
- Reconstructed S<sub>8</sub> values are in excellent agreement with WL data!

	$\nu$ $\Lambda$ CDM	ΛDDM
$\chi^2_{ m CMB}$	1015.9	1015.2
$\chi^2_{S_8}$	5.64	0.002

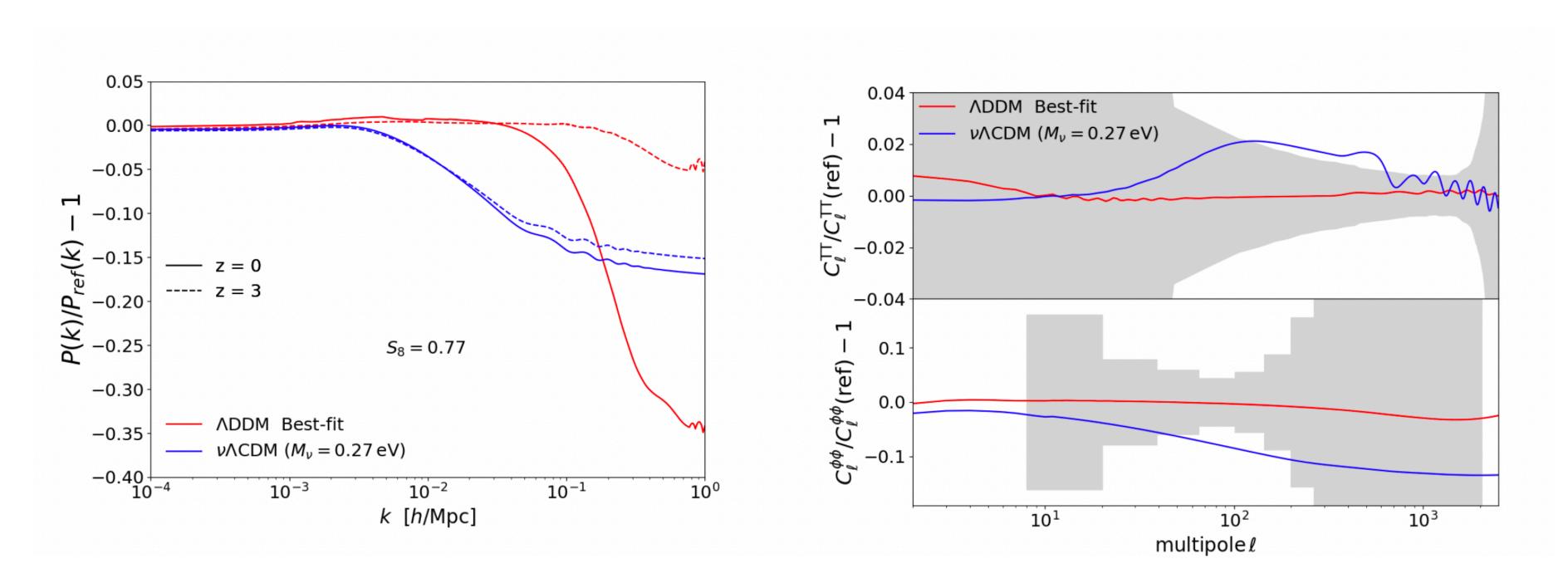
$$\longrightarrow \Delta \chi^2_{\rm min} \simeq -5.5$$

$$\Gamma^{-1} \simeq 55 \ (\varepsilon/0.007)^{1.4} \ \text{Gyr}$$

GFA, Murgia, Poulin 2102.12498

# Why does the 2-body DM decay work better than massive neutrinos?

The 2-body decay gives a better fit thanks to the time-dependence of the power suppression and the cut-off scale



## Interesting implications

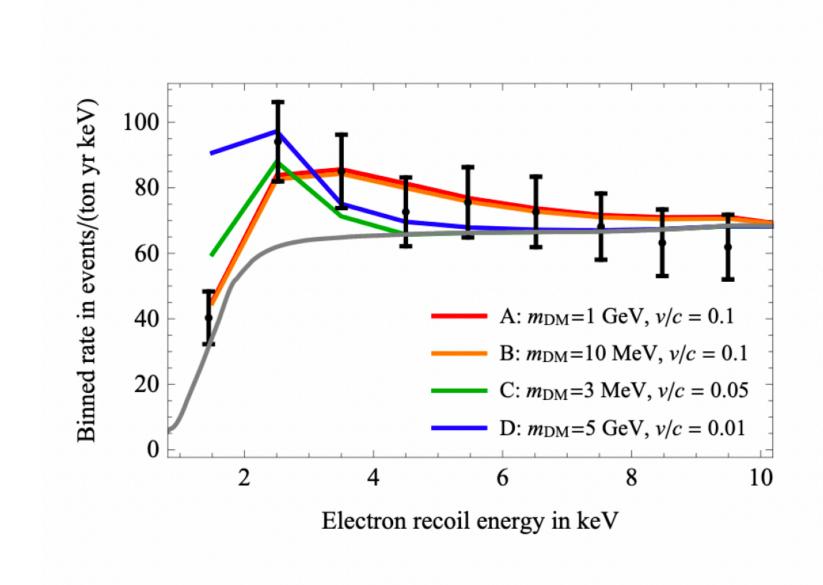
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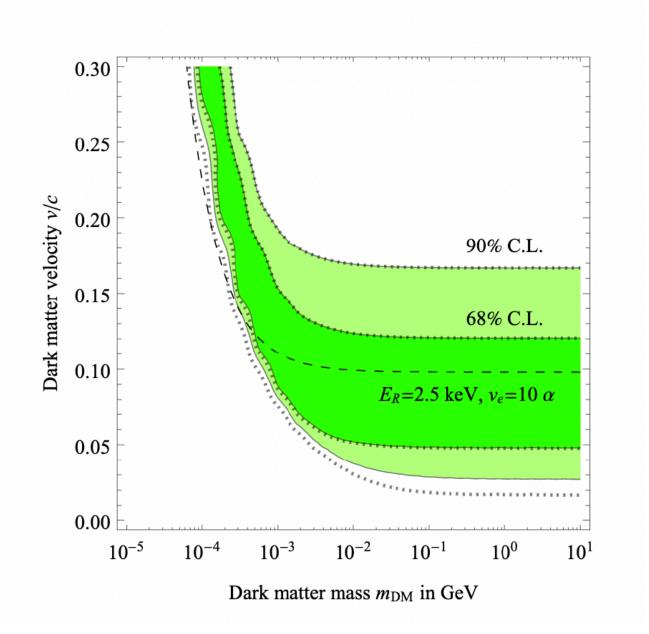
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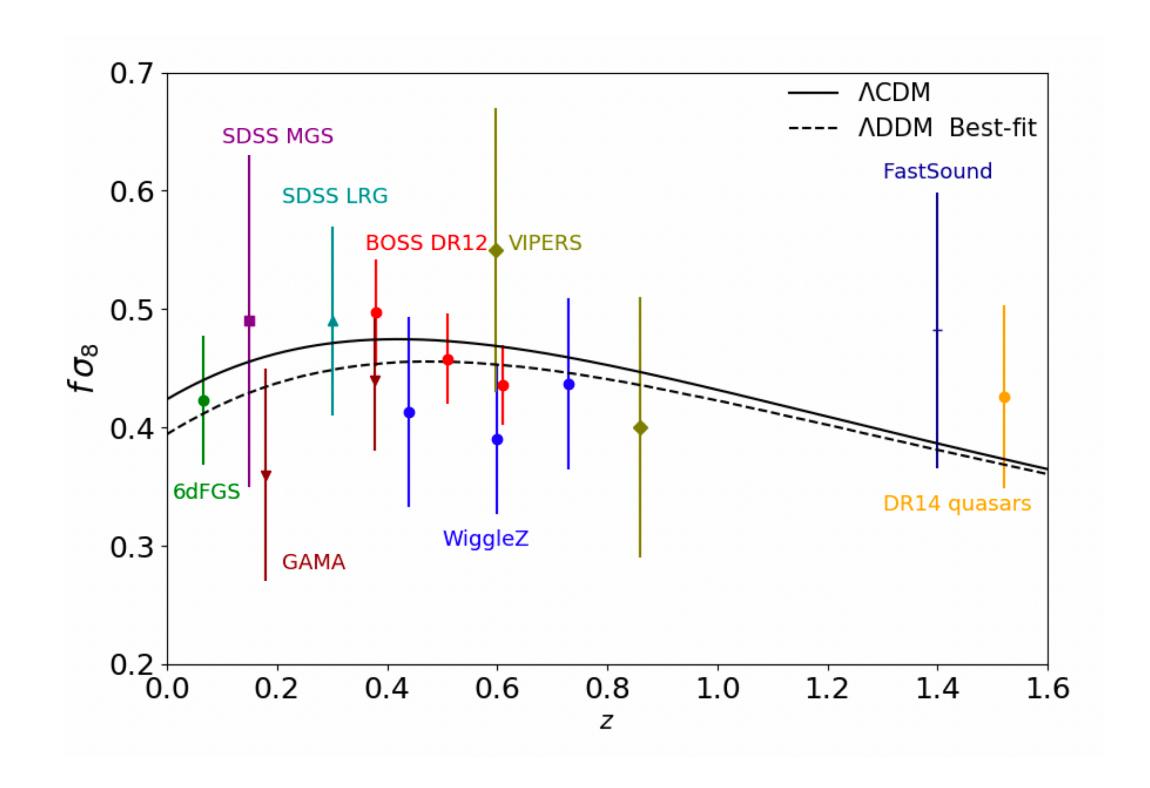
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- Small-scale crisis of ACDM: Reduction in the abundance of subhalos and their concentrations Wang++ 1406.0527
- Xenon-1T excess: It could be explained by a fast DM component, such as the WDM, with  $v/c \simeq \varepsilon$  Kannike++ 2006.10735





## Prospects for the 2-body DM decay

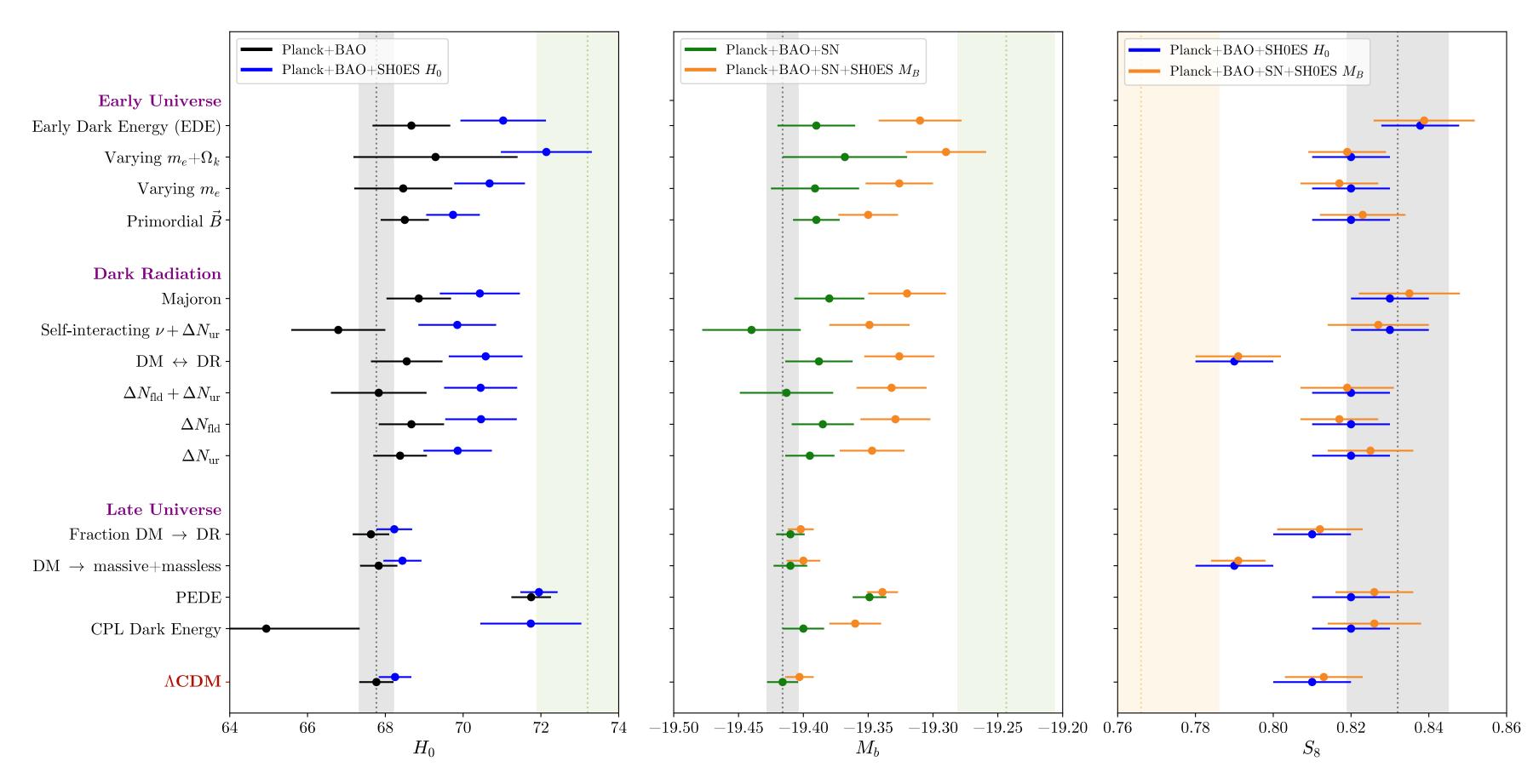


Accurate measurements of  $f\sigma_8$  at  $0 \le z \le 1$  will further test the 2-body decay

**Next goal:** Predict non-linear matter power spectrum (using either N-body simulations or EFT of LSS)

# Addendum: The H<sub>0</sub> Olympics

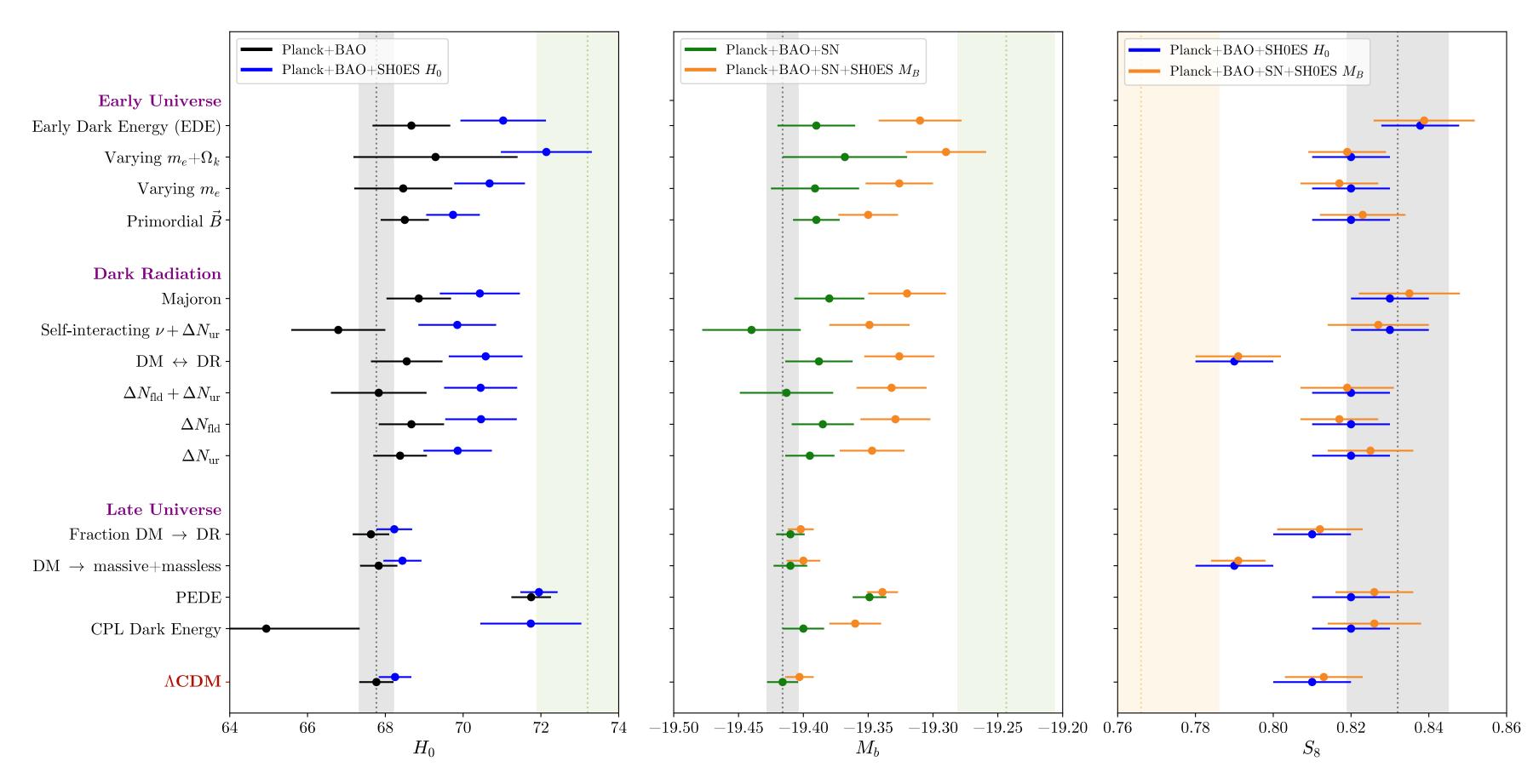
Goal: Take a representative sample of proposed solutions, and quantify the relative success of each using certain metrics and a wide array of data



16 different models considered, including EDE and DM → DR +WDM

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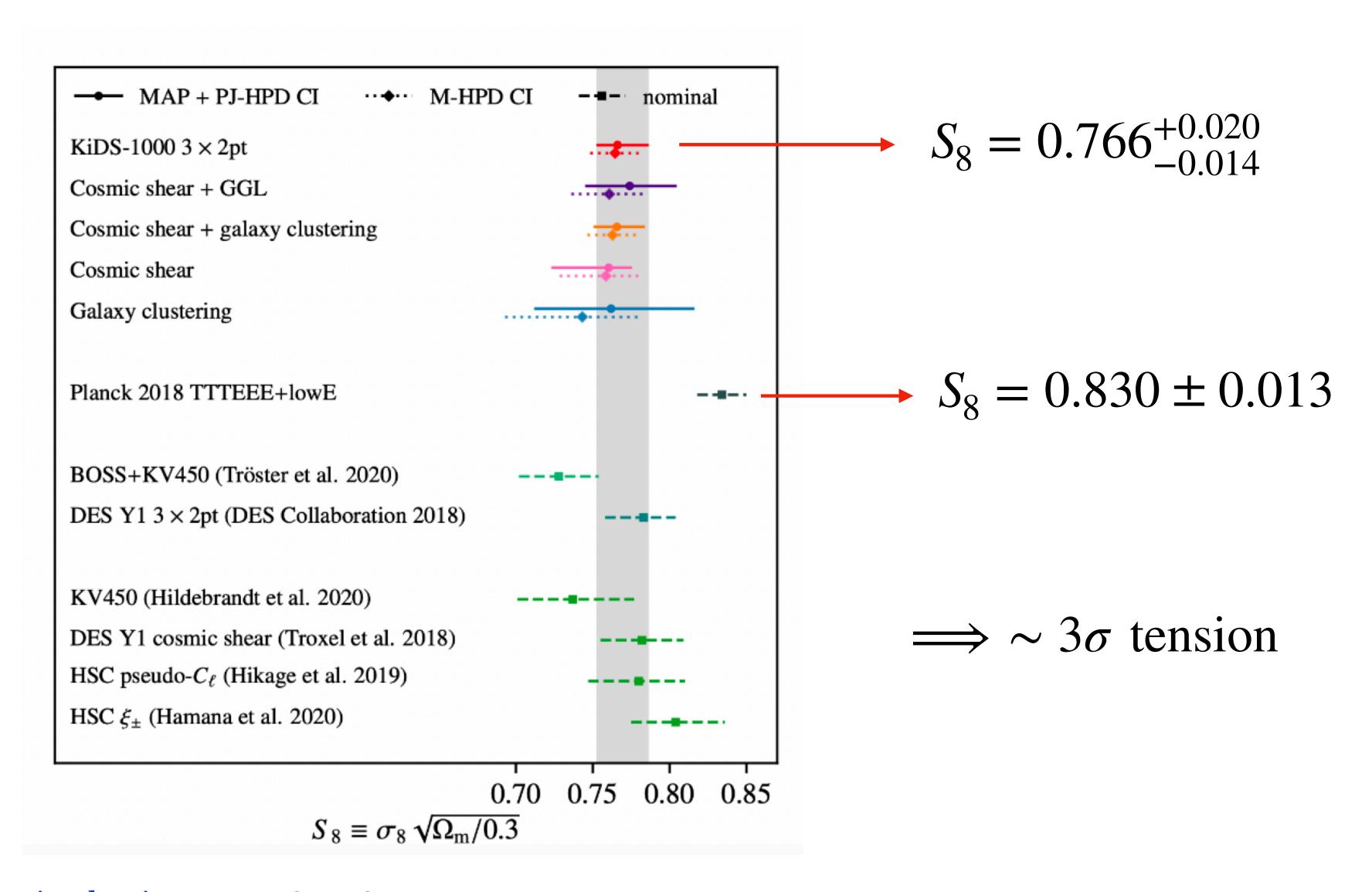
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Clark++ 2110.09562

We might be on the verge of the discovery of a rich dark sector!

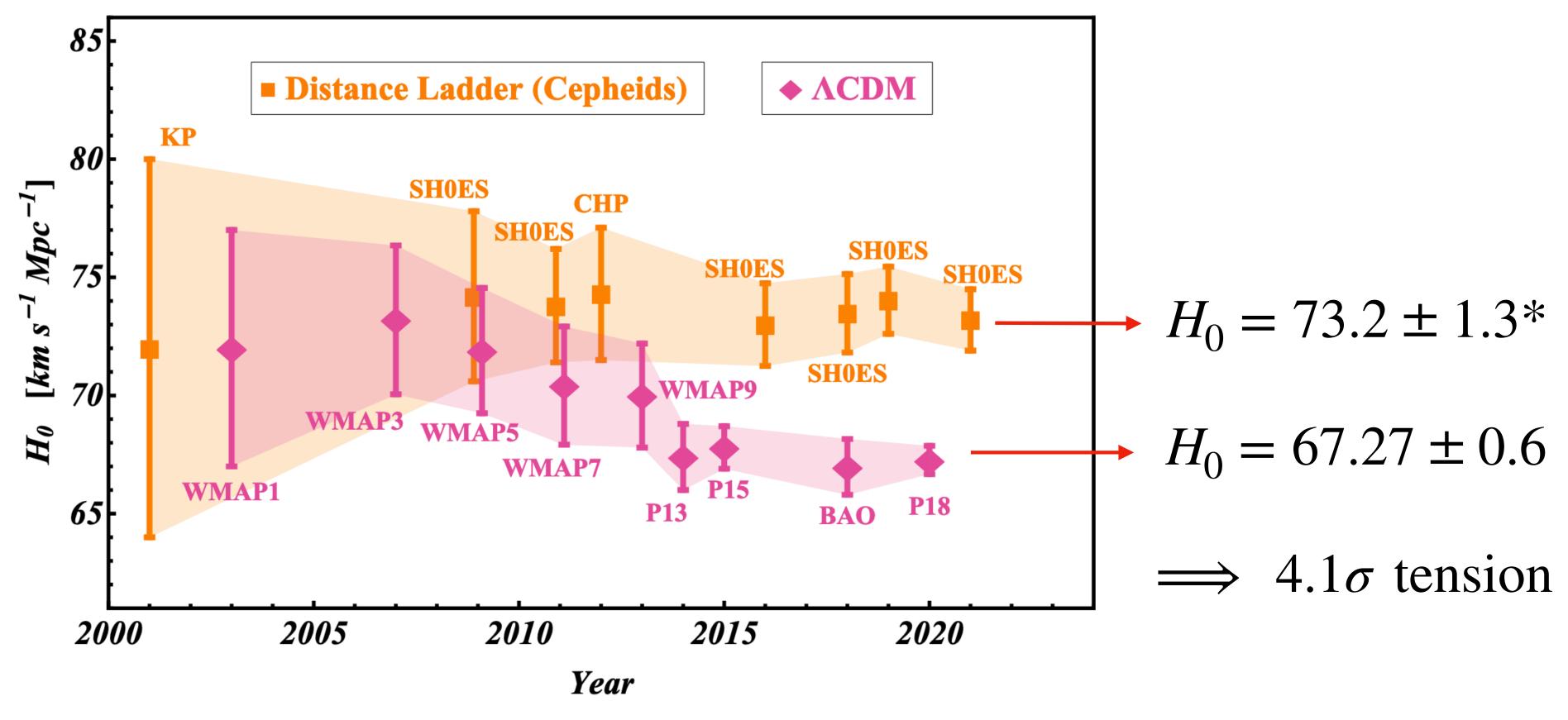
#### **BACK-UP SLIDES**

# The S<sub>8</sub> tension



# The Hotension

Predominantly driven by the Planck and SHoES collaborations



Perivolaropoulos&Skara 2105.05208

<sup>\*</sup>Units of km/s/Mpc are always assumed

# Decaying dark matter

- Dark matter (DM) is assumed to be perfectly stable in  $\Lambda$ CDM Can we test this hypothesis?
- DM Decays to SM particles  $\longrightarrow$  very constrained From **e**. **m**. **impact** on CMB :  $\Gamma^{-1} \gtrsim 10^8$  Gyr Poulin++ 1610.10051

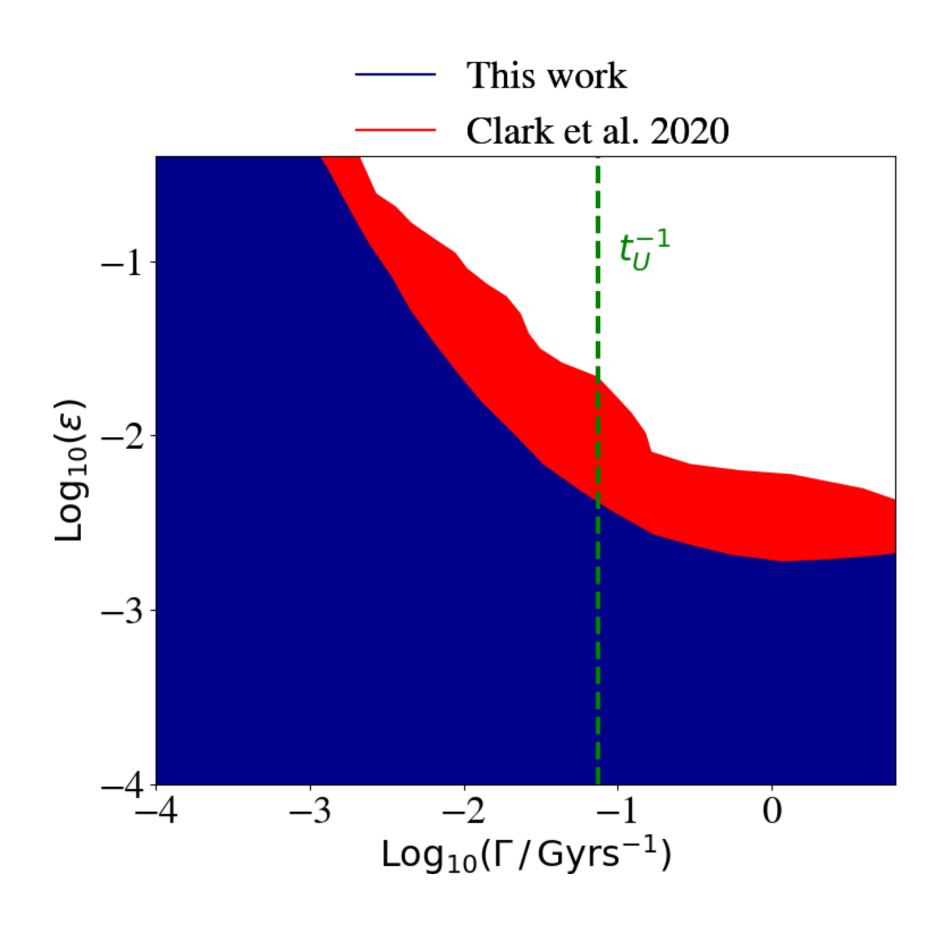
• DM decays to **massless** Dark Radiation ——— less constrained, but more model-independent

From grav. impact on CMB :  $\Gamma^{-1} \gtrsim 10^2$  Gyr Audren++ 1407.2418 Poulin++ 1606.02073

What about massive products?

## General constraints on the 2-body DM decay

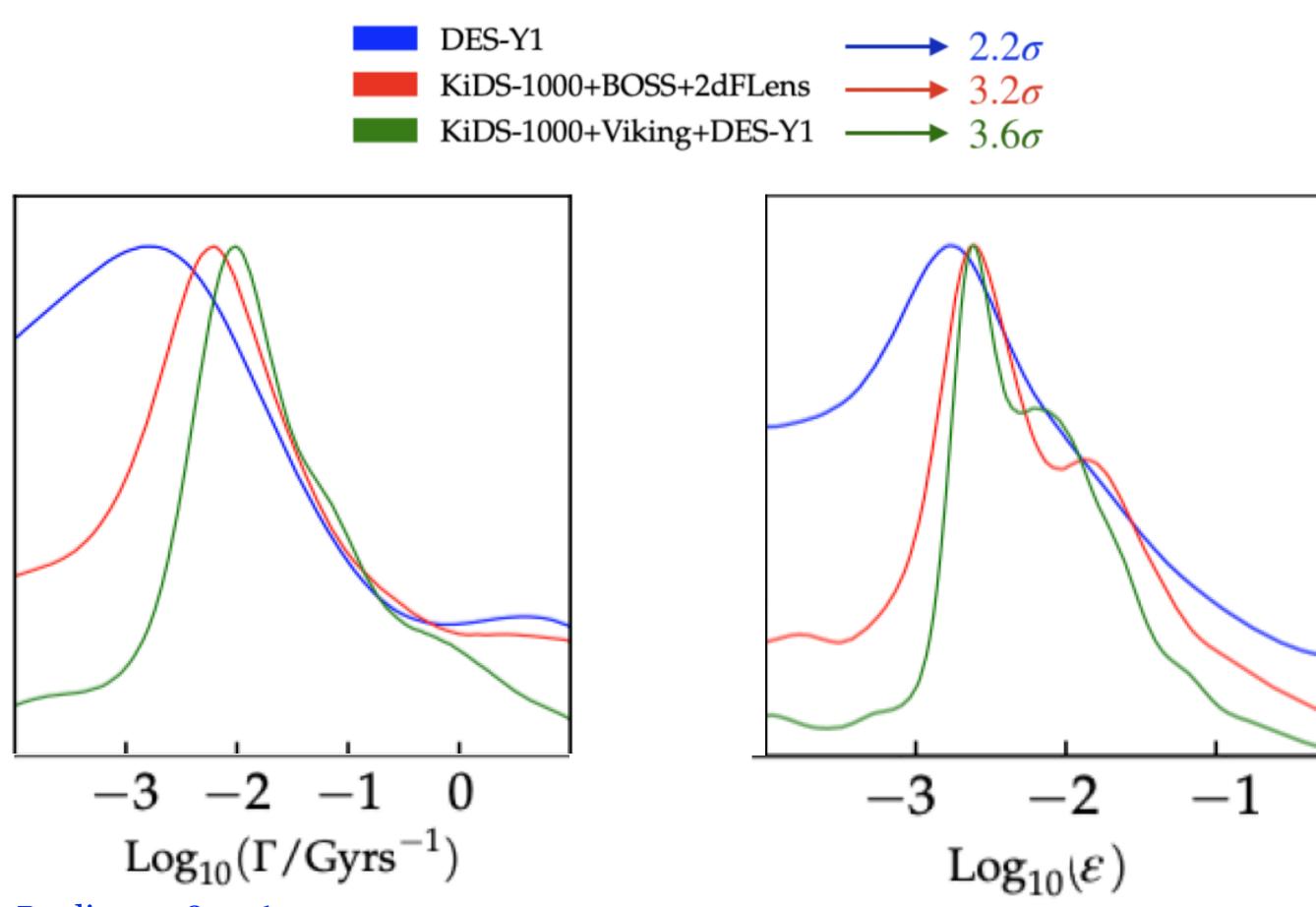
Planck+BAO+SNIa analysis



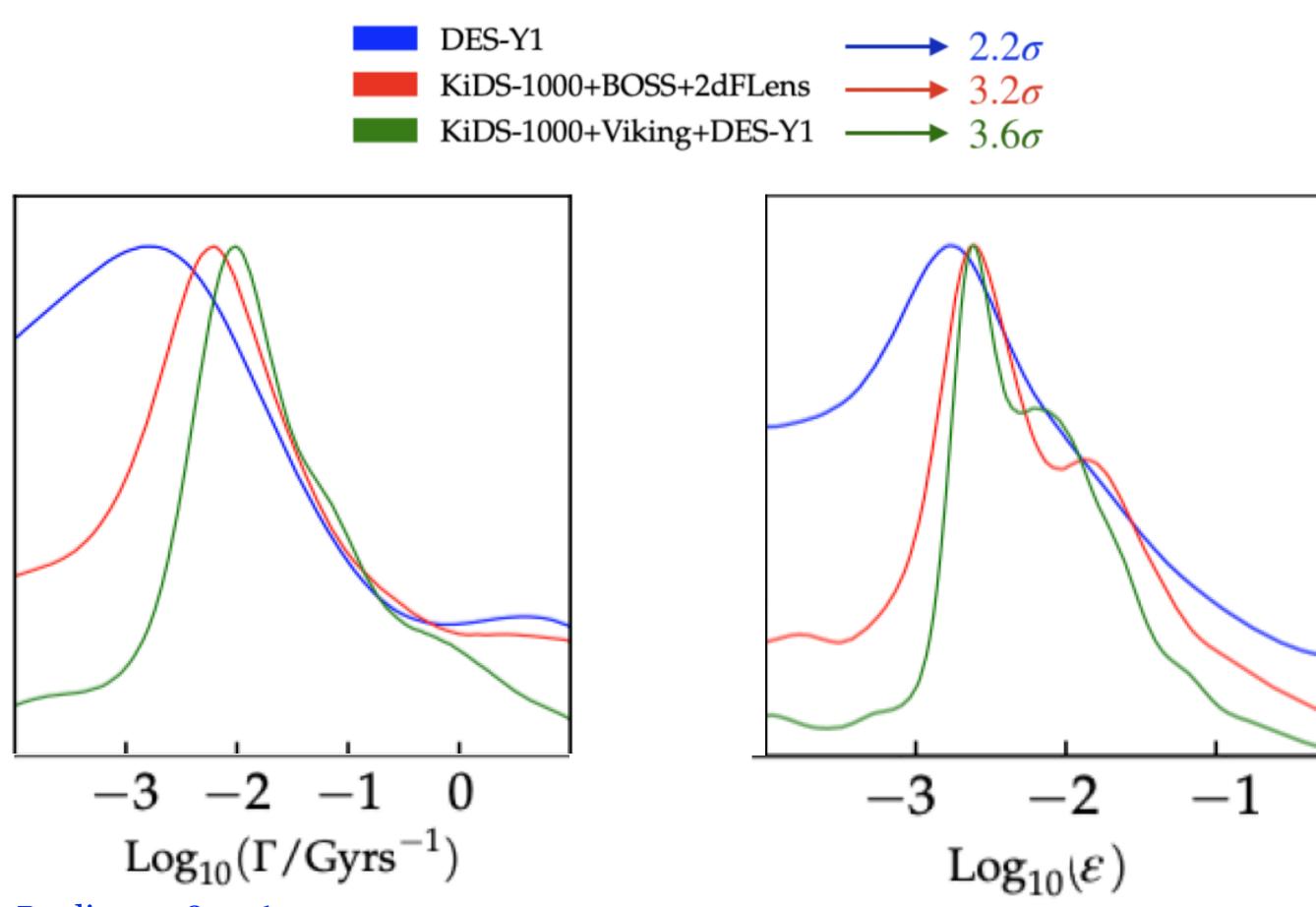
Strong negative correlation between  $\varepsilon$  and  $\Gamma$ 

Constraints up to 1 order of magnitude stronger than previous literature

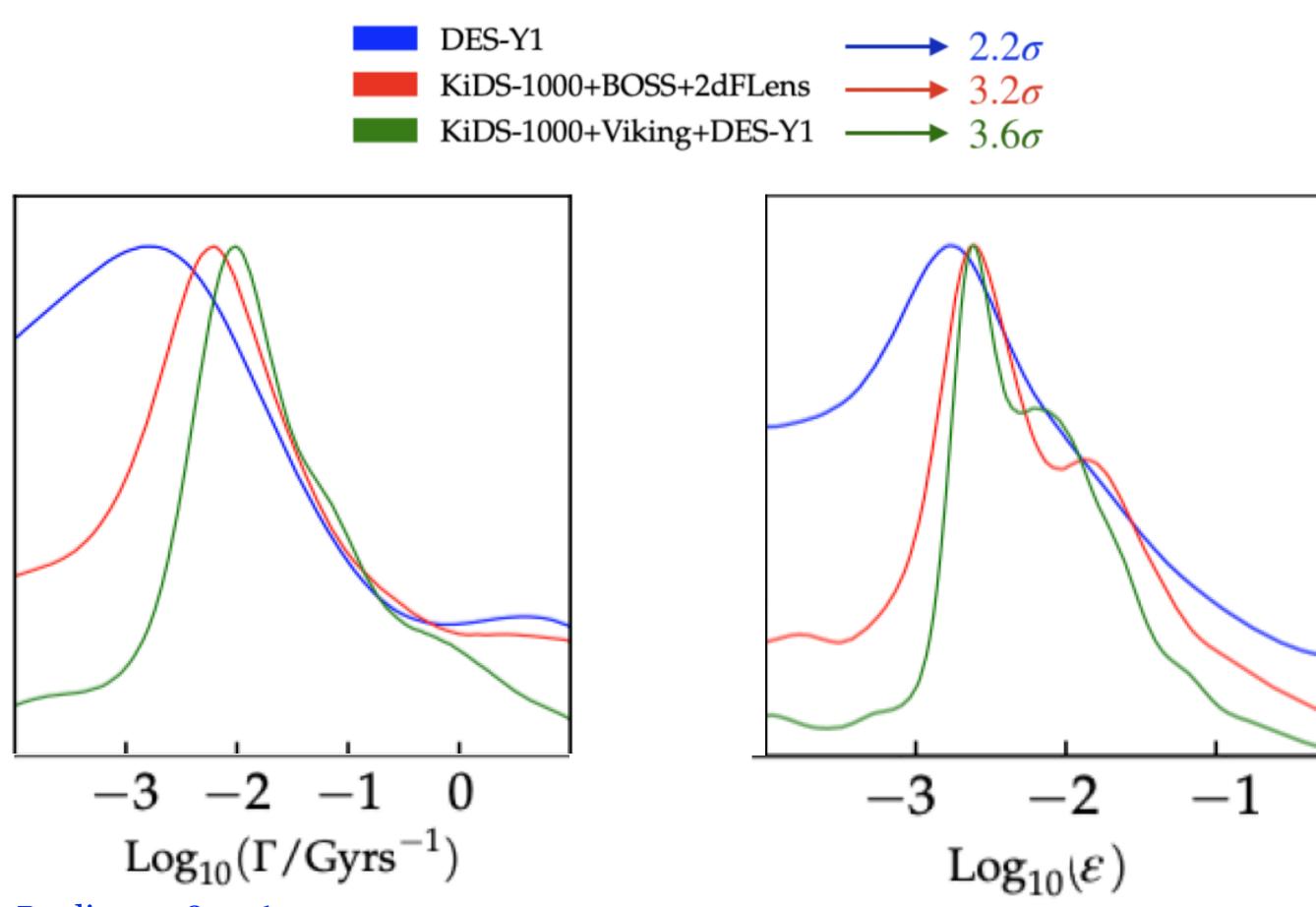
The level of detection depends on the level of tension with  $\Lambda$ CDM



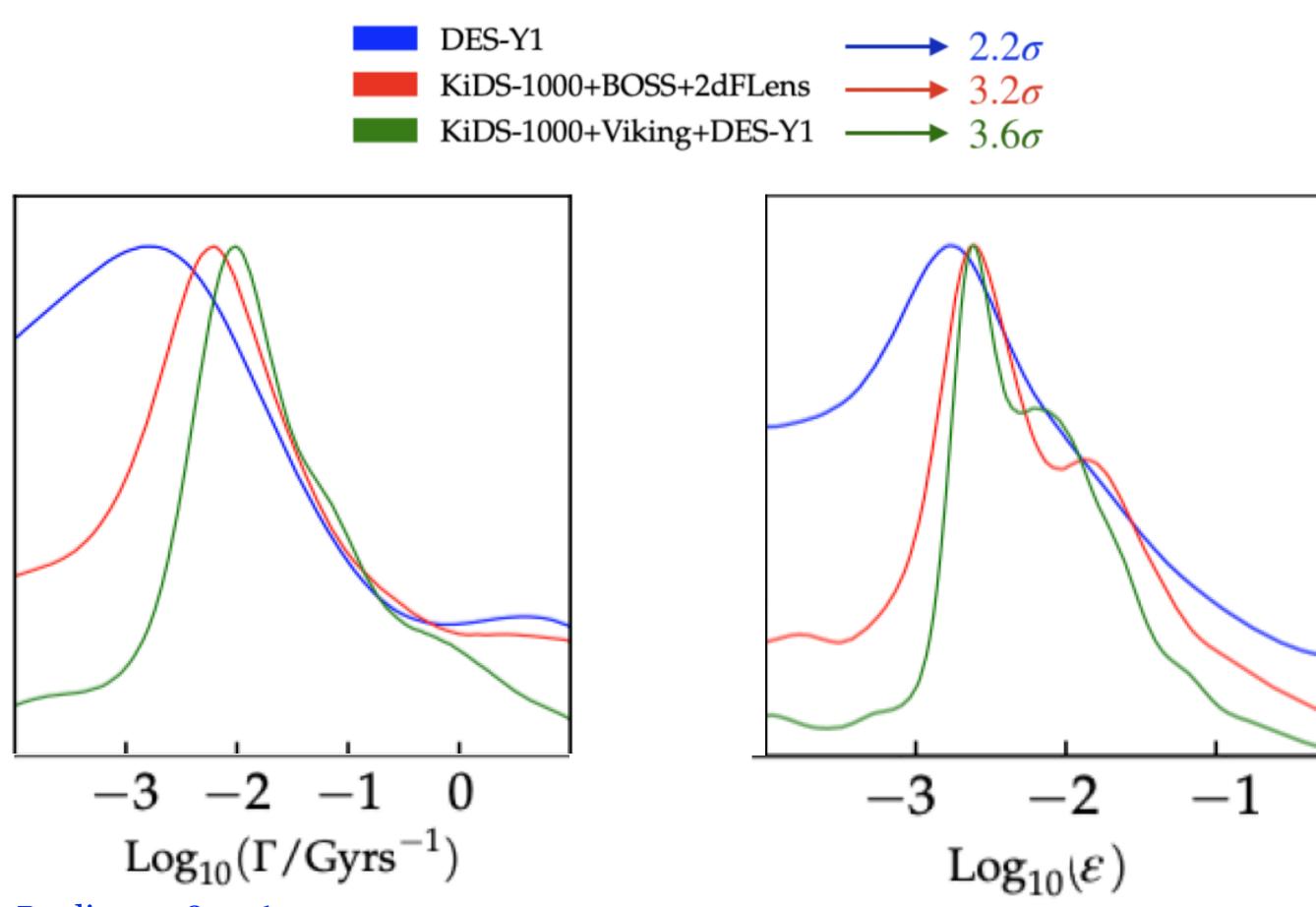
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